

# Economic Effects of Biofuel Promotion. An Assessment with a World Dynamic CGE Model

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# INTRODUCTION AND STRUCTURE OF THE PRESENTATION

## Structure of Presentation

- **Motivation**
- Description of the Core of the Model
- The Bellman's Equation for Oil Producing Region and Solution
- Data, Parametrization and Calibration
- Preliminary Results - Simulation

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# WHY BIOFUELS?

## Biofuels as Policy Issue

### the EU

- Directive 2003/30/EC on the promotion of the use of biofuels or other renewable fuels for transport
- Directive 2009/28/EC on the promotion of the use of energy from renewable sources
- the aim is to substitute 10 % of traditional fossil fuels (gas oil, gasoline) by biofuels (Fatty Acid Methyl Esters - Biodiesel, Bioethanol, etc.) by the year 2020

### the U.S.

- American Energy Independence and Security Act
- The aim is to place 15 bn. gallons of biofuels on the market by the year 2015 and 36 bn. gallons by the year 2022

### Czech Republic

- Air Protection Act 86/2002 Coll.
- The aim is to place annually 6 % of biodiesel and 4,1 % of bioethanol on the market

# WHY BIOFUELS?

## Economic Questions Appeared in Connection with Biofuels

### Economically related issues

- Effects on employment (positive or negative and in which sectors)
- Effects on prices of motor fuels (decrease due to competition or increase due to more expensive biofuels)
- Effects on consumers (end use prices)
- Effects on regions (decreasing dependency on crude oil coming from politically volatile regions?)



# WHY CGE MODEL?

## The specifics of Biofuel Production/Consumption Chain

### Specifics of Biofuel Chain

- Production chain begins in agriculture (first generation biofuels, also second generation biofuels)
- Land Competition in Agricultural Production
  - Among different biofuels - (eg. crop for biodiesel or bioethanol production ?)
  - Between different biofuels and food (eg. sugar cane for sugar or bioethanol ?)
- Land Competition with other Agricultural Uses and Other Types of Land Area
  - Pastures
  - Forests
- Manufactured in industry sector (competition between refineries and biofuel producers)
- Biofuels as well as their feedstock are largely traded (agricultural products like rapeseed or corn, maize, sugar cane, etc.)

# DESCRIPTION OF THE CORE OF THE MODEL

## Regions

### Regions in the Model

- the Czech Republic,
- the rest of the EU-27,
- the OPEC countries,
- the rest of the OECD,
- rest of the former USSR,
- the rest of Asia,
- the rest of Africa,
- the rest of Latin America,
- the rest of Europe.

### Regional Characteristics

- Endowed with an arable land  $\mathcal{L}$
- Populated by a representative agent
- Agent consumes final good  $C_{it}$ , food  $A_{it}$ , public good  $G_{it}$ , and supplies an inelastic amount of labor  $L_{it}$

# DESCRIPTION OF THE CORE OF THE MODEL

## Social Planner Problem - objective function

### Objective Function

$$\max \mathcal{E}_0 \sum_{t=0}^{\infty} \beta^t u(C_{it}, G_{it}, A_{it})$$

### Description

- $\mathcal{E}_0$  is the expectation operator
- $\beta$  is the parameter of the intertemporal rate of substitution
- subindex  $i$  refers to regions
- the subindex  $t$  refers to time

# DESCRIPTION OF THE CORE OF THE MODEL

## Social Planner Problem - sectoral production functions

### Production function in the final-good sector

$$Y_{it} = \mathbb{Y}(K_{it}, \zeta_{it} L_{it}^y, F_{it})$$

### Description

- $\mathbb{Y}$  is the neoclassical production function, we assume the Cobb-Douglas form of this function
- $L_{it}^y$  is the labor used in that sector
- $F_{it}$  is the fuel used in that sector
- $\zeta_{it}$  is the labor augmented technological progress

# DESCRIPTION OF THE CORE OF THE MODEL

## Social Planner Problem - sectoral production functions

Production function in the fuel producing sector

$$F_{it}^d = \mathbb{F}(O_{it}, \zeta_{it}^b B_{it}, \zeta_{it}^t T_{it}, L_{it}^f)$$

### Description

- $\mathbb{F}$  is the production function of CES form
- $O_{it}$  are conventional fossil fuels used for the production of fuel
- $B_{it}$  are agricultural inputs
- $\zeta_{it}^b$  is the technology progress
- $T_{it}$  is a back-stop technology
- $\zeta_{it}^t$  is the corresponding technological progress
- $F_{it}^d$  is the domestic production of fuels

# DESCRIPTION OF THE CORE OF THE MODEL

## Social Planner Problem - sectoral production functions

### Agricultural production function

$$A_{it}^d + B_{it}^d = \mathbb{A}(L_{it}^a, \mathcal{L}_i, \zeta_{it}^a)$$

### Description

- $\mathcal{L}_i$  is the agricultural land in region  $i$
- $L_{it}^a$  is labor employed in agriculture
- $\zeta_{it}^a$  is the exogenous technological progress

# DESCRIPTION OF THE CORE OF THE MODEL

## Social Planner Problem - sectoral production functions

### Oil extraction production function

$$O_{it}^d = \chi(K_t^o, L_t^o, O_{it}^e)$$

### Description

- $\chi$  is the production function in oil extracting sector capturing that it is costly to extract the oil using capital and labor, for oil non-extracting country holds:  $O_{it}^d \equiv 0$  (and also  $O_{it}^e \equiv 0$ )
- $K_t^o$  is sector specific capital in oil extracting sector - this type of capital can not be used in final good sector
- $L_t^o$  is labor employed in oil extracting sector
- $O_{it}^e$  is oil extraction in region

# DESCRIPTION OF THE CORE OF THE MODEL

## Social Planner Problem - Identities

### GDP

$$C_{it} + G_{it} + I_{it} + \phi(I_{it}, K_{it}) + I_{it}^o + \phi^o(I_{it}^o, K_{it}^o) + \varkappa(T_{it}) + X_{it} = Y_{it}$$

### Description

- $I_{it}$  are investments
- $K_{it}$  is the capital used in the final good sector
- $\phi(I_{it}, K_{it})$  is the investment adjustment function
- $I_{it}^o$  are investments used in the oil extracting sector
- $K_{it}^o$  is capital used in the oil extracting sector with
- $\phi^o$  is the corresponding adjustment cost function (for oil non-producing regions  $I_{it}^o = K_{it}^o = 0$ )
- $X_{it}$  are net exports of the final good
- $\varkappa(T_{it})$  is the cost of using the backstop technology
- $Y_{it}$  is the production of the final good



# DESCRIPTION OF THE CORE OF THE MODEL

## Social Planner Problem - Identities

### Regional Fuel Equilibrium

$$F_{it}^d = F_{it} + F_{it}^x$$

#### Description

- $F_{it}^x$  are net exports of fuels from region  $i$
- $F_{it}$  is domestic consumption of fuels
- $F_{it}^d$  is domestic production of fuels

### Regional Agricultural Equilibrium

$$A_{it}^d = A_{it} + A_{it}^x$$

#### Description

- $A_{it}^x$  are net exports of food from region  $i$
- $A_{it}$  is domestic consumption of food
- $A_{it}^d$  is domestic production of agricultural products

### Regional Biofuel Equilibrium

$$B_{it}^d = B_{it} + B_{it}^x$$

#### Description

- $B_{it}^x$  are net exports of biofuels from region  $i$
- $B_{it}$  is domestic consumption of biofuels
- $B_{it}^d$  is domestic production of biofuels

# DESCRIPTION OF THE CORE OF THE MODEL

## Social Planner Problem - Identities

### Regional Oil and Oil Reserves Equilibrium

$$O_{it} = O_{it}^d - O_{it}^x$$

$$R_{it+1} = R_{it} - O_{it}^e + \zeta_{it}^r,$$

### Description

- $O_{it}^x$  are net exports of oils from region  $i$
- $O_{it}$  is domestic consumption of oil
- $O_{it}^d$  is domestic production of oils
- $R_{it}$  are oil reserves
- $\zeta_{it}^r$  are shocks to oil reserves (such as new discoveries)

- for **oil non-producers** holds:

$$R_{it} \equiv 0, O_{it}^d \equiv 0, \zeta_{it}^r \equiv 0, \text{ and thus } -O_{it} = O_{it}^x \leq 0$$

# DESCRIPTION OF THE CORE OF THE MODEL

## Social Planner Problem - Identities

### Balance of Payments

$$X_{it} + \pi_{bt} B_{it}^x + \pi_{at} A_{it}^x + \pi_{ft} F_{it}^x + \pi_{ot} O_{it}^x + (1 + r_t) W_{it} = W_{it+1}$$

### Description

- $W_{it}$  is the net worth of region  $i$
- $\pi_{bt}$ ,  $\pi_{at}$ ,  $\pi_{ot}$  are relative prices of agricultural products and oil
- The agricultural production function postulates  $\pi_{bt} \equiv \pi_{at}$

# DESCRIPTION OF THE CORE OF THE MODEL

## Social Planner Problem - Identities and Capital Accumulation

### Labor Market Clearing Condition

$$L_{it} = L_{it}^y + L_{it}^a + L_{it}^f + L_{it}^o$$

### Description

- for **oil non-producers** holds:

$$L_{it} = L_{it}^y + L_{it}^a + L_{it}^f$$

### Capital Accumulation

$$K_{it+1} = (1 - \delta)K_{it} + I_{it}$$

$$K_{it+1}^o = (1 - \delta)K_{it}^o + I_{it}^o$$

# THE DESCRIPTION OF THE MODEL

## Social Planner Problem - Bellman's Equation for Oil Producers

### Bellman's Equation for Oil Producing Region

$$\begin{aligned}
 \mathcal{V}(K_{it}, K_{it}^o, W_{it}, R_{it}) = & \max u(C_{it}, G_{it}, A_{it} | \xi_{it}) \\
 & + \beta \mathcal{E}_t \mathcal{V}(K_{it+1}, K_{it+1}^o, W_{it+1}, R_{it+1}^o) \\
 & - \lambda_t^f \left( F_{it} + F_{it}^x - \mathbb{F}(O_{it}, \zeta_{it}^b B_{it}, \zeta_{it}^t T_{it}, L_{it}^f) \right) \\
 & - \lambda_t^a \left( A_{it} + B_{it} + \bar{A}_{it}^x - \mathbb{A}(L_{it}^a, \mathcal{L}_i, \zeta_{it}^a) \right) \\
 & - \lambda_t^l \left( L_{it} - L_{it}^y - L_{it}^a - L_{it}^f \right) - v_{it} T_{it}
 \end{aligned}$$

# THE DESCRIPTION OF THE MODEL

## Social Planner Problem - Solution

### Solution

- $u_{ct} = u_{gt} = u_{at}/\pi_{at}$
- $\mathbb{Y}_{F_t} = \pi_{ft}$
- $\mathbb{Y}_{L_t} = \pi_{at}\mathbb{A}_{L_t} = \pi_{ft}\mathbb{F}_{L_t}$
- $\pi_{ft}\mathbb{F}_{B_t} = \pi_{at}$
- $\pi_{ft}\mathbb{F}_{O_t} = \pi_{ot}$
- the Euler equation:  $u_{ct} = \beta\mathcal{E}_t(1 + r_{t+1})u_{ct+1}$
- the inter-temporal allocation of capital:  
 $u_{ct}(1 + \phi_{lt}) = \beta\mathcal{E}_t u_{ct+1} [\mathbb{Y}_{K_{t+1}} + \phi_{K_t} - (1 - \delta)(1 + \phi_{lt+1})]$
- Hotelling Rule:  $\pi_{ot}u_{ct}\chi_{O_t} = \beta\mathcal{E}_t u_{ct+1}\pi_{ot+1}\chi_{O_{t+1}}$

# THE DESCRIPTION OF THE MODEL

## Closure of the Model

### Determination of Prices

- The equations below will determine the international relative prices  $\pi_{at}$ ,  $\pi_{ft}$ ,  $\pi_{ot}$  and the world interest rate  $r_t$
- By virtue of the Walras law, also  $\sum_{i \in \mathcal{I}} [W_{it+1} - (1 + r_t)W_{it}] = 0$ .

### Closure of the Model

- $\sum_{i \in \mathcal{I}} X_{it} = 0$
- $\sum_{i \in \mathcal{I}} \bar{A}_{it}^x = 0$
- $\sum_{i \in \mathcal{I}} F_{it}^x = 0$
- $\sum_{i \in \mathcal{I}} O_{it}^x = 0$

# THE DESCRIPTION OF THE MODEL

## Parametrization and Solution Technique

### Production and Utility Functions

- $u(C_{it}, G_{it}, A_{it} | \xi_{it}) \equiv \log C_{it} + \xi_{it}^g \log(G_{it} - \bar{G}_i) + \xi_{it}^a \log(A_{it} - \bar{A}_i)$
- $\mathbb{Y}(K_{it}, \zeta_{it}^L L_{it}^y, F_{it}) = K_{it}^{\alpha_K} (\zeta_{it}^L L_{it}^y)^{\alpha_L} F_{it}^{1-\alpha_K-\alpha_L}$
- $\mathbb{F}(O_{it}, \zeta_{it}^b B_{it}, L_{it}^f) =$   
 $(\alpha_o O_{it}^{\rho_o} + (1 - \alpha_o) (\zeta_{it}^b B_{it})^{\rho_o} + (\zeta_{it}^t T_{it})^{\rho_o})^{\frac{\alpha_f}{\rho_o}} (L_{it}^f)^{1-\alpha_f}$
- $\mathbb{A}(L_{it}^a, \mathcal{L}_i, \zeta_{it}^a) = \mathcal{L}_i \zeta_{it}^a (L_{it}^a)^{\alpha_a}$

### Boundedly Rational Agents - Adaptive Expectations



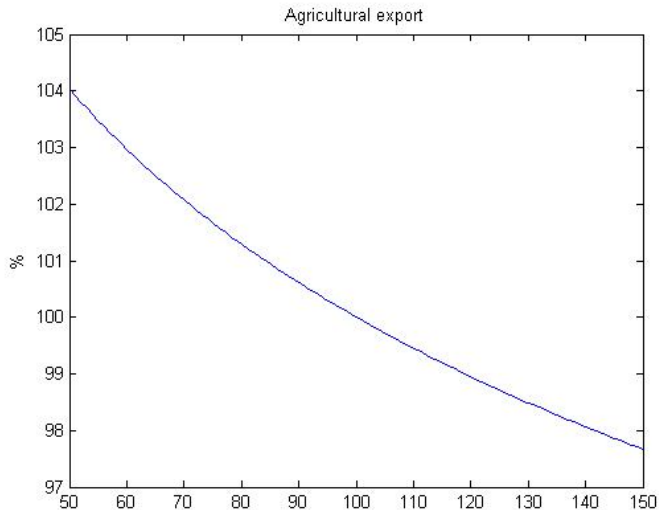
# THE DESCRIPTION OF THE MODEL

## Calibration

- The utility function (average shares of food in consumption)
- Government utility function (national accounts GNT spending)
- Production functions (cost structure in industries)
- International trade in oil and agricultural products replicate the trade balances
- $\beta$  takes conventional value from literature (0.95)
- Sample averages of last 5 years
- Improving calibration - exogenous processes on history
- Solution: first-order dynamic system with some unobserved variables

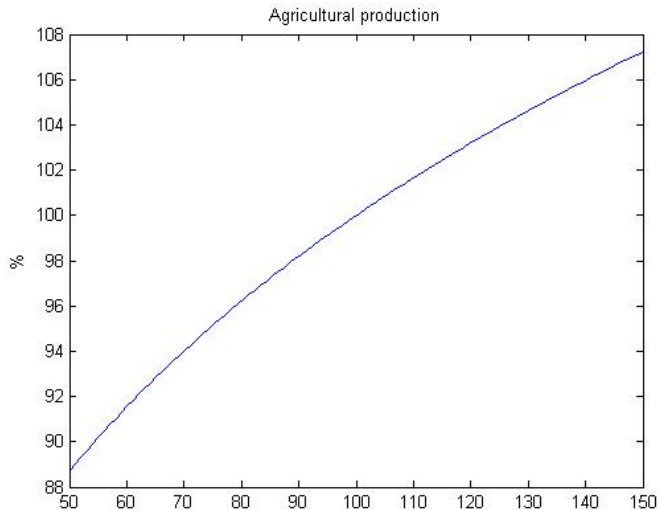
# AN ILLUSTRATIVE SIMULATION

## Agricultural Export



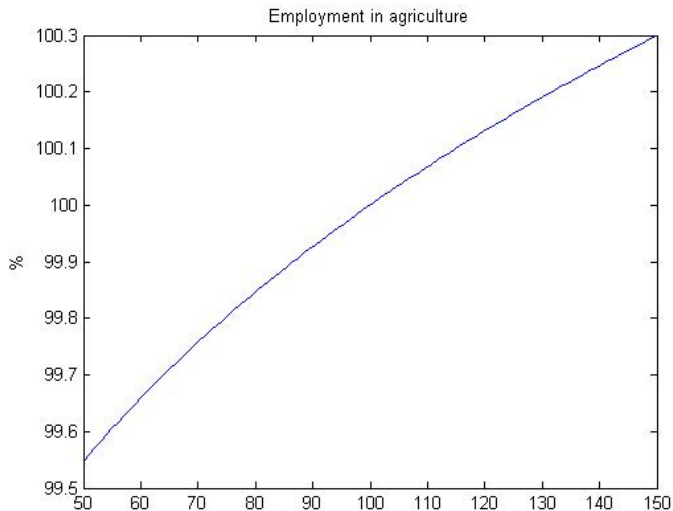
# AN ILLUSTRATIVE SIMULATION

## Agricultural Production



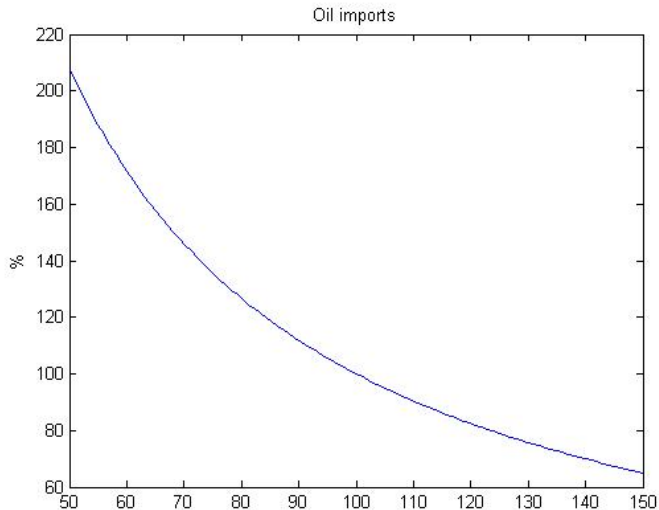
# AN ILLUSTRATIVE SIMULATION

## Agricultural Employment



# AN ILLUSTRATIVE SIMULATION

## Oil Imports



# CONCLUSION

## Future Extensions

- Competitive Economy for the Czech Republic
- Parameter Checks and Possible Estimation

## Possible Applications

- Assessments of Policy Impacts in Selected Regions
- Dynamics of Selected Commodity Prices