

# Measurement Tools and Techniques II

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INVESTICE DO ROZVOJE VZDĚLÁVÁNÍ

# Measurement Tools and Techniques II

```
Linux 2.6.22-1.2149.ng1 (bhcoospile@staffy) [gcc 3.2.3 20030422 | #1 1CPU [pax]
Memory: Total      Used      Free      Shared  Buffers  Cached
Mem:    514672     501928     12744      0      189932     83804
Swap:   594396     47704      546692

Bootup: Mon Jun 26 10:47:13 2004      Load average: 0.10 0.05 0.01 1/93 21142

user  :  1d 1:40:40.10  0.4% page in : 2185526  disk 1:    49c    1w
nice  :    0d1:56.80  0.0% page out: 17943250  disk 2: 287031c 2014489w
system: 16:19:44.10  4.0% swap in : 14061  disk 3: 175512c 131672w
idle  : 15d 1:55:06.23 89.6% swap out: 32127  disk 4:    593c    523w
vcTime: 16d 19:57:37.33 context :433330839

irq 0: 145424735 timer          irq 8: 1 rtc
irq 1: 156715 keyboard        irq 9: 19757050 ath0, ath1
irq 2: 0 cascade [4]         irq 10: 12236 usb-uhci
irq 3: 1402339 serial         irq 11: 5658 eal371
irq 4: 2183769 serial         irq 12: 143313718 P802 Mouse
irq 6: 161                    irq 14: 2637954 1060
irq 7: 4028744 serial         irq 15: 6405449 1061
```

Fig. 2.4. Output of the Linux procinfo command

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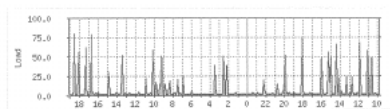


Fig. 2.5. Screenshot of an MRTG strip chart showing load average as a time series. The intervals on the time axis are the reverse of normal convention (cf. Figs. 3.1 and 2.6)

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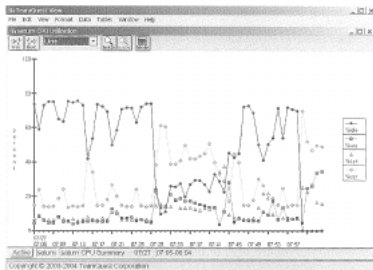


Fig. 2.6. Screenshot of CPU utilization components showing how the intervals on the time axis increase correctly from left to right in TeamQuest View (used with permission)

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Table 2.2. K-S parameters for exponential fit of ranked data

$n$	Data	Ranked	Empl.	Theory	$F_n$	$F_{n-1}$	$D_+$	$D_-$
1	11.72	1.43	0.1220	0.1797	0.1667	0.0000	-0.0130	0.1797
2	10.43	4.12	0.3515	0.4348	0.3333	0.1667	-0.1015	0.2682
3	8.02	7.58	0.6468	0.6500	0.5000	0.3333	-0.1500	0.3167
4	7.58	8.02	0.6843	0.6707	0.6667	0.5000	-0.0040	0.1707
5	1.43	10.43	0.8899	0.7642	0.8333	0.6667	0.0692	0.0975
6	4.12	11.72	1.0000	0.8027	1.0000	0.8333	0.1973	-0.0306

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Table 2.3. Critical K-S statistics for exponential fit

Statistic	Value
$N$	6
$D_{max}$	0.3167
$K_{crit}$	0.7757
p-value	0.7632
$\alpha$	0.2368

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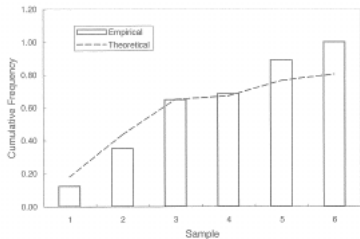


Fig. 2.7. Exponential fit to cumulative frequency data

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Listing 2.2. Exponential variate generator

```
#!/usr/bin/perl
# genexp.pl

$X = 1; # Seed the RNG

# Generate 20 EXP variates with mean = 5
for ($i = 1; $i <= 20; $i++) {
    printf("%2d\t%6.4f\n", $i, exp_variate(5.0));
}

sub exp_variate {
    # Return an exponential variate.
    # log == Ln in Perl.
    my ($mean) = @_;
    return(-log(rand_num() / $mean));
}

sub rand_num {
    # Portable RNG
    # Return a (pseudo) random number between 0.0 and 1.0
    use integer;
    use constant ac => 16807; # Multiplier
    use constant mc => 2147483647; # Modulus
    use constant qc => 127773; # m div a
    use constant rc => 2836; # m mod a
    my $x_div_q; # x divided by q
    my $x_mod_q; # x modulo q
    my $x_new; # New x value
    $x_div_q = $x / qc;
    $x_mod_q = $x % qc;
    $x_new = (ac * $x_mod_q) - (rc + $x_div_q);
    if ($x_new > 0) { $x = $x_new; }
    else { $x = $x_new + mc; }
    no integer;
    return($x / mc);
}
```



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