

# Stock Valuation and Risk

# Chapter Objectives

- explain methods of valuing stocks
- explain how to determine the required rate of return on stocks
- explain how to measure the risk of stocks

# Valuation Models

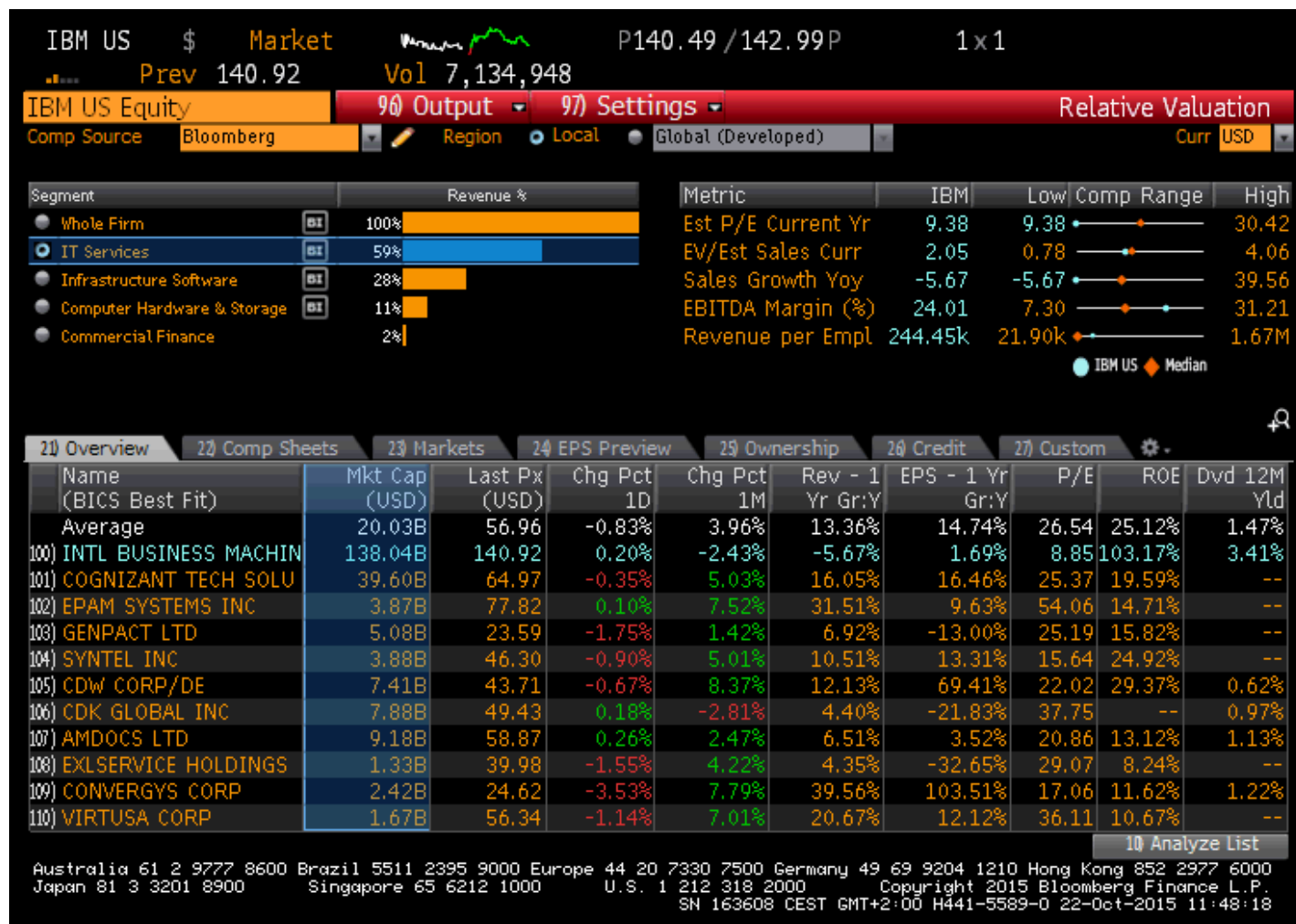
## Absolute Valuation Models

- Present value models
  - Dividend discount models
  - Free cash flow to equity
  - Free cash flow to the firm
  - Residual income
- Asset-based models

## Relative Valuation Models

- Price ratios
  - Price-to-earnings ratio
  - Price-to-book-value ratio
  - Price-to-cash-flow ratio
- Enterprise value multiples

# Relative Valuation method



AAPL US \$ Market

P113.81 / 114.24Q

1x2

Prev 113.76

Vol 137

AAPL US Equity

96 Output

97 Settings

Relative Valuation

Comp Source

Bloomberg

Region

Local

Global (Developed)

Curr USD

Segment	Revenue %
Whole Firm	100%
Communications Equipment	56%
Computer Hardware & Storage	30%
E-Commerce Discretionary	10%
Other Hardware	3%

Metric	AAPL	Low	Comp Range	High
Est P/E Current Yr	12.45	9.22		12.45
Price/Sales Ratio	2.95	0.46		2.95
Sales Growth Yoy	6.95	-51.05		6.95
EBITDA Margin (%)	33.07	2.92		33.07
Gross Margin (%)	38.59	21.69		48.10

● AAPL US ◆ Median

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Name (BICS Best Fit)	Mkt Cap ↓ (USD)	Last Px (USD)	Chg Pct 1D	Chg Pct 1M	Rev - 1 Yr Gr:Y	EPS - 1 Yr Gr:Y	P/E	ROE	Dvd 12M Yld
Average	205.07B	312.26	1.07%	7.84%	-15.39%	28.56%	11.28	10.84%	1.27%
100) APPLE INC	648.74B	113.76	-0.01%	0.32%	6.95%	13.49%	13.14	41.15%	1.74%
101) HTC CORP	2.02B	2.44	4.35%	22.79%	-7.62%	--	--	-8.78%	0.48%
102) BLACKBERRY LTD	3.71B	7.08	-0.85%	-3.53%	-51.05%	94.81%	--	-0.03%	--
103) SAMSUNG ELECTRONICS	165.82B	1125.77	0.79%	11.79%	-9.83%	-22.61%	9.42	11.01%	1.60%

10 Analyze List

# Choice of Discounted Cash Flow Models

## Dividend Discount Models

- History of dividend payments
- Dividends related to earnings
- Noncontrolling perspective

## Free Cash Flow Models

- Small or zero dividends
- Positive cash flow related to earnings
- Controlling perspective

## Residual Income Models

- Small or zero dividends
- Negative free cash flows
- High-quality accounting disclosures

# Valuing Common Stock Using a Multi-period DDM

$$V_0 = \sum_{t=1}^n \frac{D_t}{(1+r)^t} + \frac{P_n}{(1+r)^n}$$

# Dividend Discount Model

$$P = \sum_{t=1}^{\infty} \frac{D_t}{(1+r)^t} = \frac{D1}{(r-g)}$$

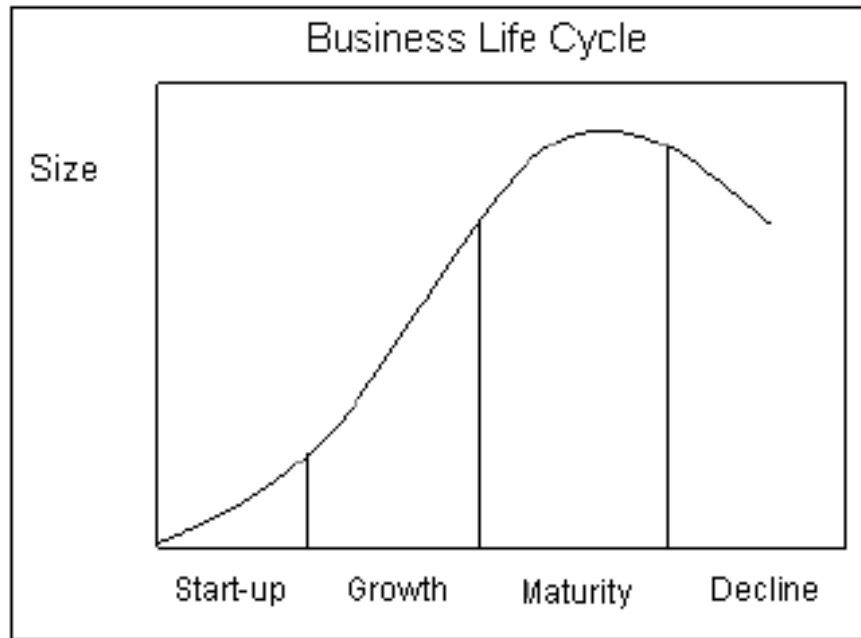
where  $t$  = period

$D_t$  = dividend in period  $t$

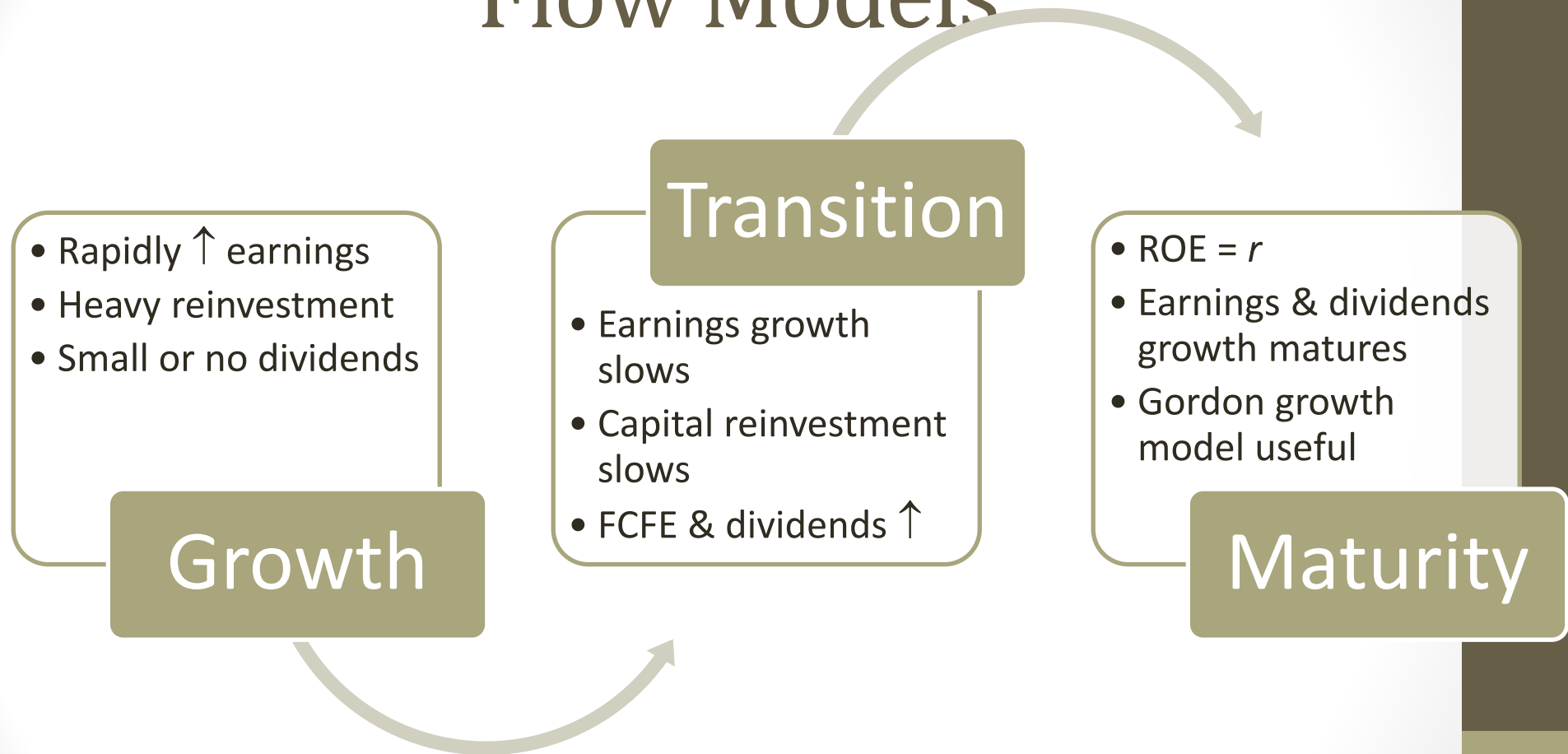
$r$  = discount rate



# Business Life Cycle and Dividend Policy



# Choice of Discounted Cash Flow Models



# General Two-Stage DDM

$$V_0 = \sum_{t=1}^n \frac{D_0 (1 + g_S)^t}{(1 + r)^t} + \frac{D_0 \times (1 + g_S)^n \times (1 + g_L)}{(1 + r)^n \times (r - g_L)}$$

# Two-Stage H-Model

$$V_0 = \frac{[D_0 \times (1 + g_L)] + [D_0 \times H (g_S - g_L)]}{r - g_L}$$

# Free Cash Flow

Free Cash Flow to the Firm



= Cash flow available to



Common stockholders



Debtholders



Preferred stockholders

Free Cash Flow to Equity

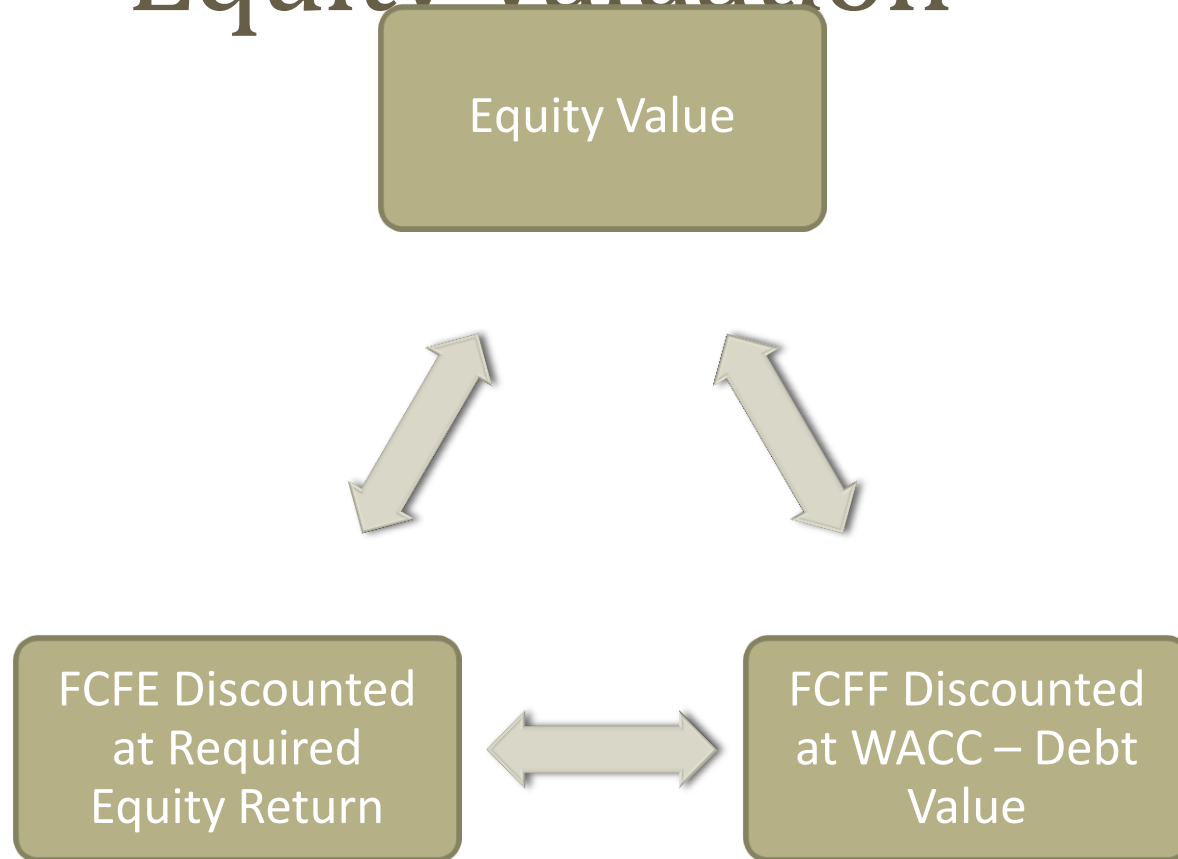


= Cash flow available to



Common stockholders

# FCFF vs. FCFE Approaches to Equity Valuation



# Free Cash Flow to the Firm (for firm's that follow IFRS)

- $FCFF = NI + NCC + [Int \times (1 - \text{tax rate})] - FCInv - WCInv$

Where:

NI = Net Income

NCC = Non-cash Charges (depreciation and amortization)

Int = Interest Expense

FCInv = Fixed Capital Investment (total capital expenditures)

WCInv = Working Capital Investments (Change in Net working Capital)

# Free Cash Flow to Equity

- $FCFE = FCFF - [Int \times (1 - \text{tax rate})] + \text{Net Borrowing}$
- $FCFE = \text{Net Income} - \text{Net Capital Expenditure} - \text{Change in Net Working Capital} + \text{New Debt} - \text{Debt Repayment}$



# FCFF vs. FCFE Approaches to Equity Valuation

$$\text{Firm value} = \sum_{t=1}^{\infty} \frac{\text{FCFF}_t}{(1 + \text{WACC})^t}$$

Equity value = Firm value – Debt value

$$\text{Equity value} = \sum_{t=1}^{\infty} \frac{\text{FCFE}_t}{(1 + r)^t}$$

# Single-Stage Free Cash Flow Models

$$\text{Firm value} = \frac{\text{FCFF}_1}{\text{WACC} - g}$$

$$\text{Equity value} = \text{Firm value} - \text{Debt value}$$

$$\text{Equity value} = \frac{\text{FCFE}_1}{r - g}$$

# Required Rate of Return on Stocks I

- Capital Asset Pricing Model
- Sometimes used to estimate the required rate of return for any firm with publicly traded stock.
- The only important risk of a firm is systematic risk.
- Suggests that the return of a stock ( $R_j$ ) is influenced by the prevailing risk-free rate ( $R_f$ ), the market return ( $R_m$ ), and the beta ( $B_j$ ):

$$R_j = R_f + \text{betaj}(R_m - R_f)$$

where  $\text{betaj}$  is measured as the covariance between  $R_j$  and  $R_m$ , which reflects the asset's sensitivity to general stock market movements.

# Required Rate of Return on Stocks

- Capital Asset Pricing Model (Cont.)
- Estimating the Market Risk Premium
  - The yield on newly issued Treasury bonds is commonly used as a proxy for the risk-free rate.
  - The term,  $(R_m - R_f)$ , is the market risk premium: the return of the market in excess of the risk-free rate.
  - Historical data for 30 or more years can be used to determine the average market risk premium over time.
- Estimating the Firm's Beta - typically measured by applying regression analysis to determine the sensitivity of the asset's return to the market return based on monthly or quarterly data.

# Country Risk Premium

<HELP> for explanation.  
 Screen saved as C:\Users\76289\Dropbox\BloombergWorkBook\rf2.gif

95) Output to Excel Country Risk Premium

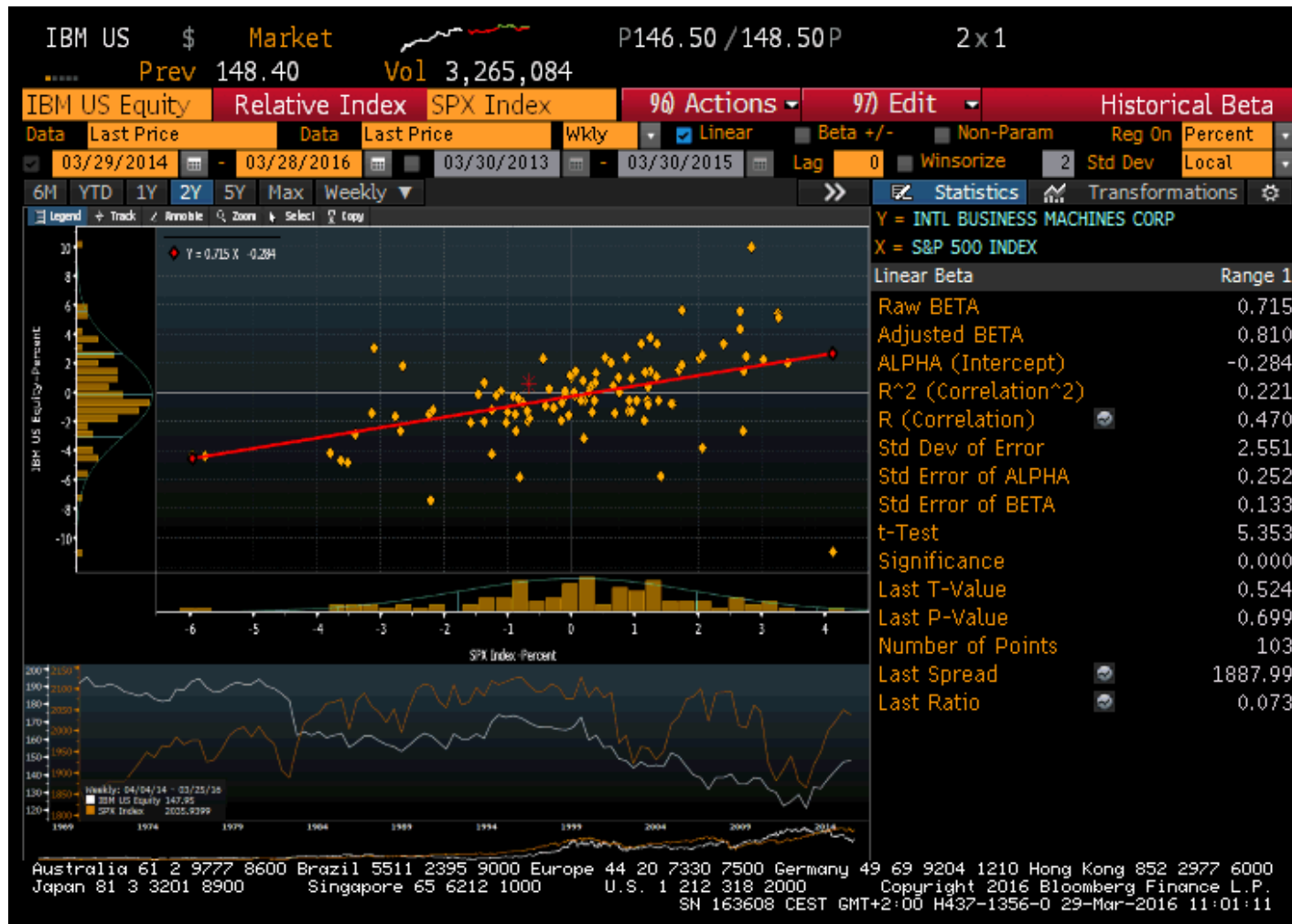
Date 09/04/14 Region Global 91) Customize

	Country	Curr	Div Yld	Grwth Rate	Div Pay Ratio	Mkt Return	RF Rate ↓	Premium
1)	Switzerland (CRP CH)	CHF	2.832%	6.895%	55.043%	8.646%	0.513%	8.133%
2)	Japan (CRP JP)	JPY	1.524%	11.785%	27.217%	10.793%	0.535%	10.258%
3)	Germany (CRP DE)	EUR	2.628%	8.706%	37.362%	10.095%	0.970%	9.125%
4)	Slovenia (CRP SI)	EUR	4.128%	9.038%	46.828%	11.209%	0.970%	10.239%
5)	Eurozone (CRP EU)	EUR	2.849%	12.065%	47.193%	11.223%	0.970%	10.253%
6)	Finland (CRP FI)	EUR	4.127%	14.610%	69.071%	13.520%	1.117%	12.403%
7)	Netherlands (CRP NL)	EUR	2.925%	9.170%	46.359%	9.746%	1.122%	8.624%
8)	Austria (CRP AT)	EUR	2.710%	23.069%	46.784%	17.960%	1.204%	16.756%
9)	Denmark (CRP DK)	DKK	2.032%	12.854%	43.028%	10.866%	1.240%	9.626%
10)	Czech (CRP CZ)	CZK	4.471%	8.302%	68.334%	11.721%	1.240%	10.481%
11)	Belgium (CRP BE)	EUR	3.439%	8.823%	56.433%	9.506%	1.271%	8.235%
12)	France (CRP FR)	EUR	2.977%	9.143%	47.834%	10.446%	1.304%	9.142%
13)	Sweden (CRP SE)	SEK	3.568%	8.247%	64.811%	9.967%	1.475%	8.492%
14)	Taiwan (CRP TW)	TWD	3.040%	14.910%	30.128%	13.536%	1.617%	11.919%
15)	Ireland (CRP IE)	EUR	1.494%	10.325%	30.875%	12.742%	1.747%	10.995%
16)	Hong Kong (CRP HK)	HKD	3.537%	9.846%	38.462%	11.974%	1.871%	10.103%
17)	Italy (CRP IT)	EUR	2.656%	12.695%	53.668%	12.633%	1.908%	10.725%
18)	Romania (CRP RO)	RON	5.139%	9.297%	39.024%	14.237%	1.934%	12.303%

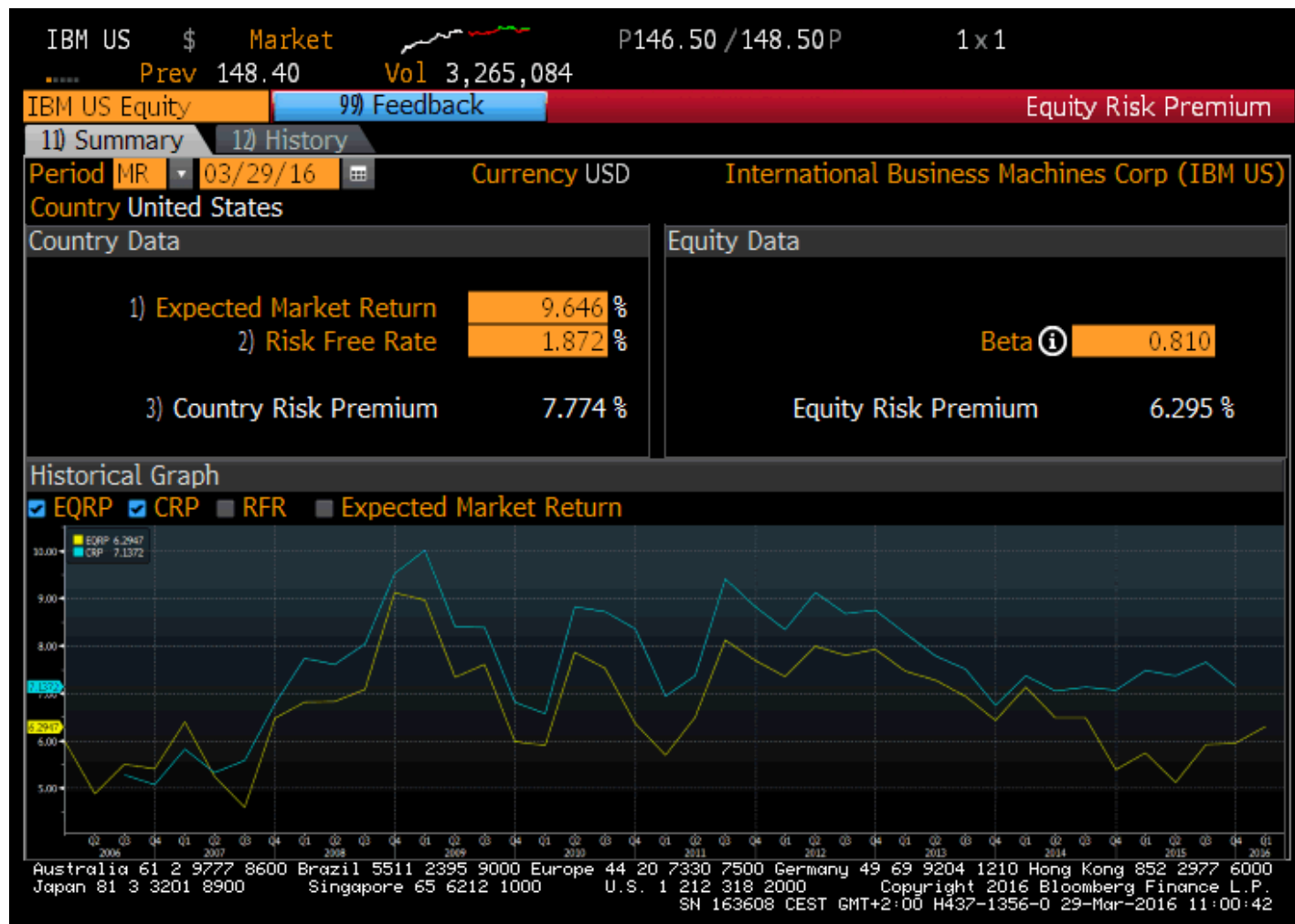
Data is updated daily. Click on a row to see historical data

Australia 61 2 9777 8600 Brazil 5511 3048 4500 Europe 44 20 7330 7500 Germany 49 69 9204 1210 Hong Kong 852 2977 6000  
 Japan 81 3 3201 8900 Singapore 65 6212 1000 U.S. 1 212 318 2000 Copyright 2014 Bloomberg Finance L.P.  
 SN 541209 CEST GMT+2:00 H437-5705-0 05-Sep-2014 12:25:10

# Firm's Beta



# Equity Risk Premium



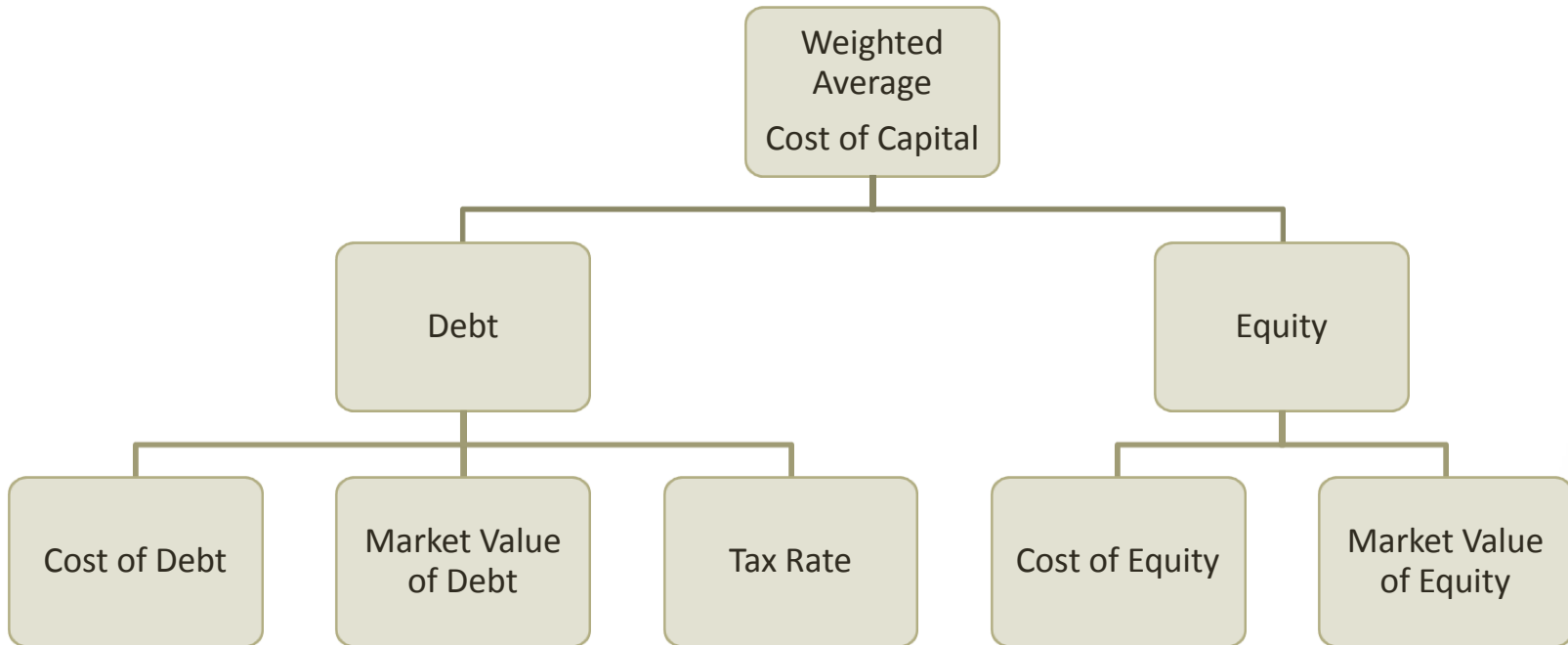
# Required Rate of Return on Stocks I

- Capital Asset Pricing Model (Cont.)
- Application of the CAPM
  - Given the risk-free rate as well as estimates of the firm's beta and the market risk premium, it is possible to estimate the required rate of return from investing in the firm's stock.
  - At any given time, the required rates of return estimated by the CAPM will vary across stocks because of differences in their risk premiums, which are due to differences in their systematic risk (as measured by beta).

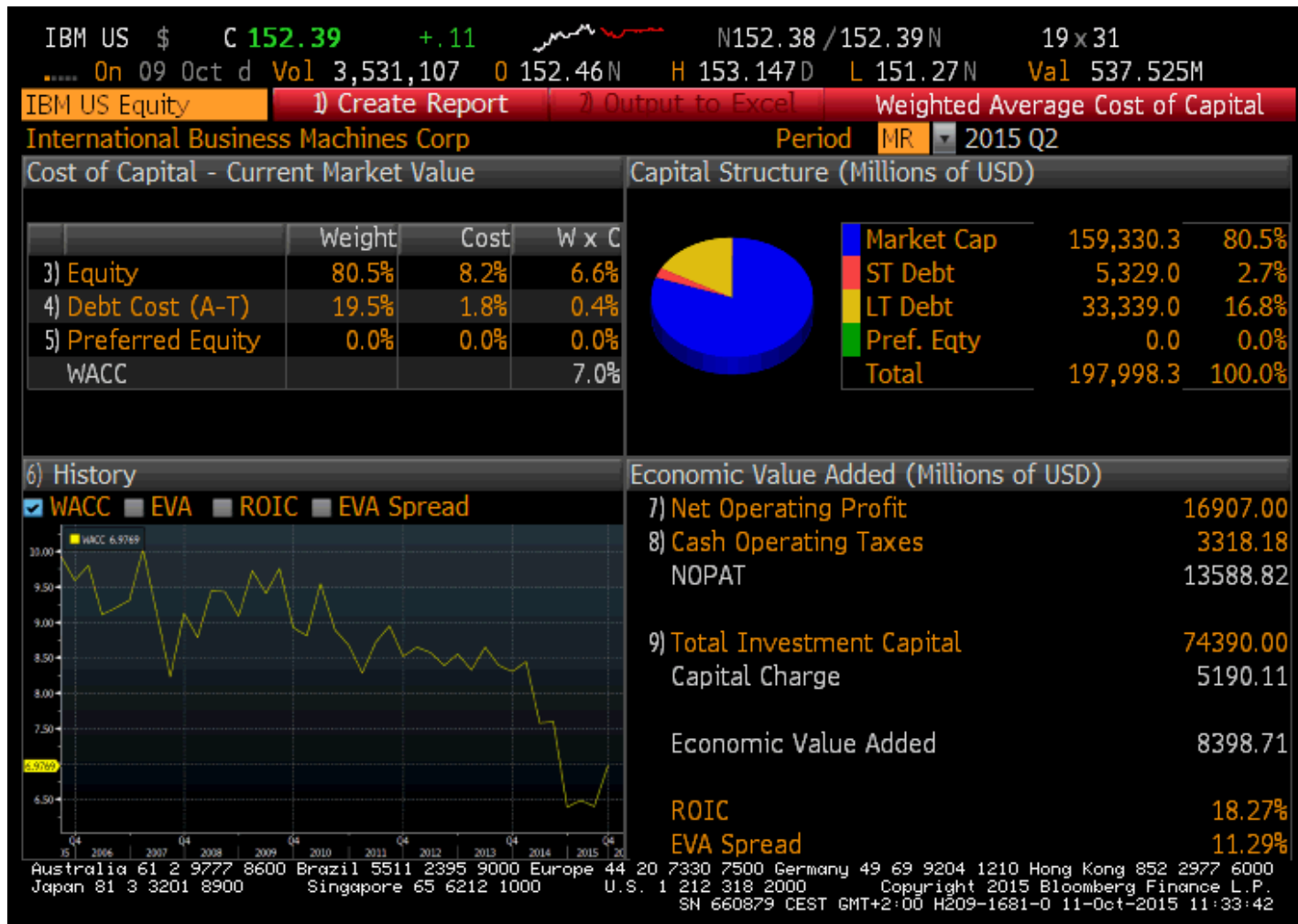


# Required Rate of Return on Stocks II

## Weighted Average Cost of Capital



# WACC - IBM



# Weighted Average Cost of Capital

$$\frac{\text{MVD}}{\text{MVD} + \text{MVCE}} r_d (1 - \text{Tax Rate}) + \frac{\text{MVCE}}{\text{MVD} + \text{MVCE}} r_e,$$

- **Where**

- MVD = Current market value of debt
- MVCE = Current market value of common equity
- $r_d$  = Before-tax cost of debt (which is transformed into the after-tax cost by multiplying it by  $1 - \text{Tax rate}$ )
- $r_e$  = Cost of equity

# Example:

## Weighted Average Cost of Capital

Risk-free rate	3.0%
Equity risk premium	5.0%
Beta	1.20
YTM of long-term bond	6.1%
Long-term debt/Total capital at market value	40%
Tax rate	30%

# Example: Weighted Average Cost of Capital

$$r_e = R_F + \beta_i [E(R_m) - R_F]$$

$$r_e = 3\% + 1.2(5\%) = 9.0\%$$

$$\text{WACC} = \frac{\text{MVD}}{\text{MVD} + \text{MVCE}} r_d (1 - \text{Tax Rate}) + \frac{\text{MVCE}}{\text{MVD} + \text{MVCE}} r_e$$

$$= 0.40(6.1\%)(1 - 0.30) + 0.60(9.0\%)$$

$$= 7.11\%$$

# Stock Risk

- The return from investing in stock over a particular period is measured as

$$R = \frac{(SP - INV) + D}{INV}$$

where  $INV$  = initial investment

$D$  = dividend

$SP$  = selling price of the stock

- The risk of a stock can be measured by using its price volatility, its beta, and the value-at-risk method.

# Stock Risk

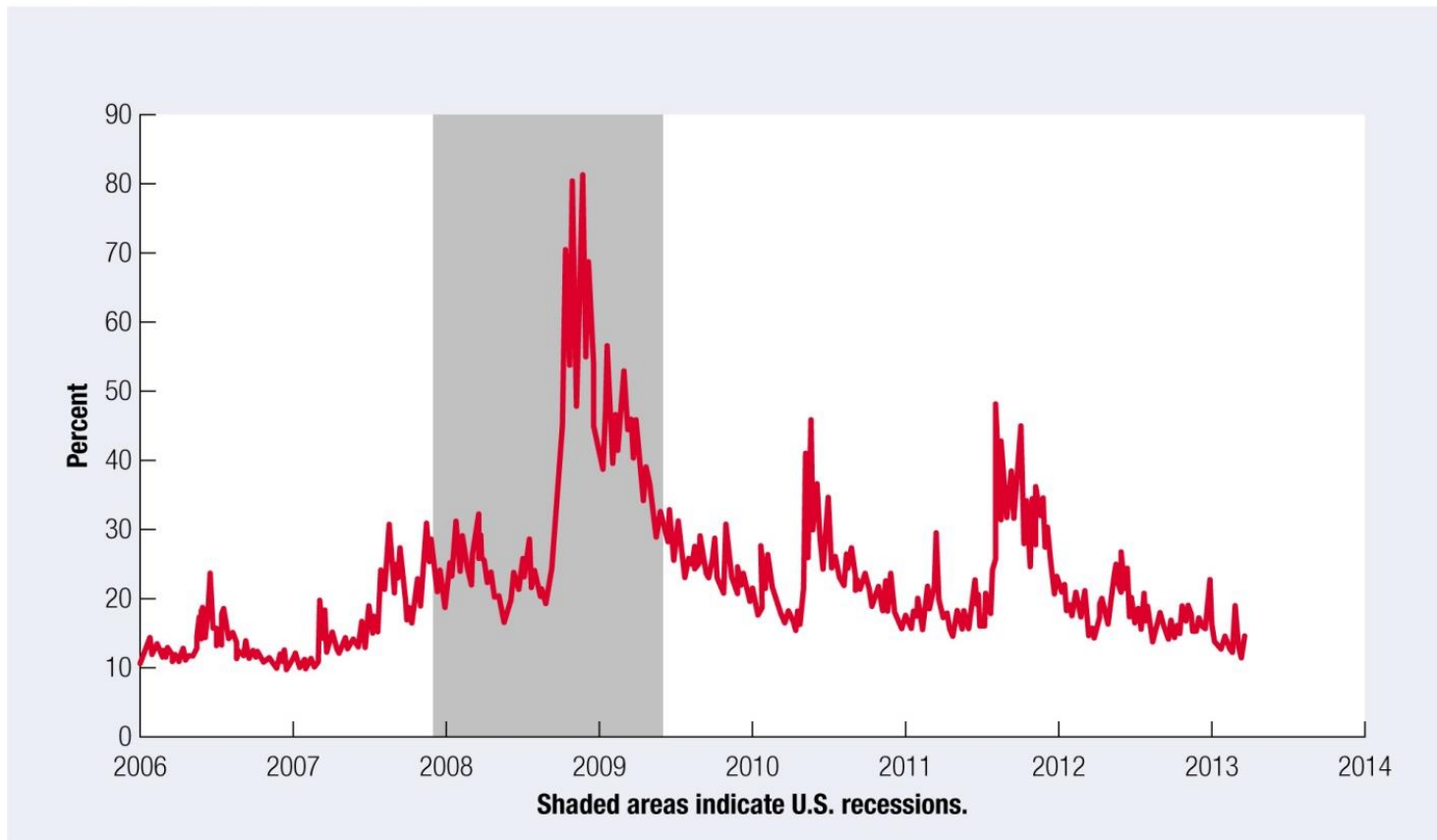
- Volatility of a Stock or total risk serves as a measure of risk because it may indicate the degree of uncertainty surrounding the stock's future returns.
- Using Standard Deviation to forecast Stock Price Volatility
  - Using the historical method: a historical period is used to derive a stock's standard deviation of returns, and that estimate is then used as the forecast over the future.
- Using Implied Volatility to Forecast Stock Price Volatility
  - Derive a stock's implied standard deviation from a stock option pricing model.

# Stock Risk

- Volatility of a Stock (cont.)
- Forecasting Stock Price Volatility of the Stock Market
  - Monitor the volatility index (VIX) derived from stock options on the S&P 500 stock at a given point in time.
  - The VIX measures investors' expectation of the stock market volatility over the next 30 days. (Exhibit 11.3)



# Exhibit 11.3 Implied Volatility Index for U.S. Stocks over Time



# Stock Risk

- Volatility of a Stock (Cont.)
  - Volatility of a Stock Portfolio - The portfolio's volatility can be measured by the standard deviation:

$$\sigma_p = \sqrt{w_i^2 \sigma_i^2 + w_j^2 \sigma_j^2 + \sum_{i=1}^n \sum_{j=1}^n w_i w_j \sigma_i \sigma_j CORR_{ij}}$$

*where*

$\sigma_i$  = standard deviation of returns of the *i*th stock

$\sigma_j$  = standard deviation of returns of the *j*th stock

$CORR_{ij}$  = correlation coefficient between the *i*th and *j*th stocks

$w_i$  = proportion of funds invested in the *i*th stock

$w_j$  = proportion of funds invested in the *j*th stock

# Stock Risk

- Beta of a Stock - measures the sensitivity of its returns to market (Exhibit 11.4)
- Beta of a Stock Portfolio can be measured as the weighted average of the betas of stocks that make up the portfolio

$$\beta_p = \sum w_i \beta_i$$

- High-beta stocks are expected to be relatively volatile because they are more sensitive to market returns over time. Likewise, low-beta stocks are expected to be less volatile because they are less responsive to market returns.

# Risk-Adjusted Stock Performance

- Sharpe Index
- The reward-to-variability ratio, or Sharpe Index, measures risk-adjusted returns when total variability is the most appropriate measure of risk.

$$\text{Sharpe Index} = \frac{\overline{R} - \overline{R}_f}{\sigma}$$

where  $\overline{R}$  = average return on the stock

$\overline{R}_f$  = average risk - free rate

$\sigma$  = standard deviation of the stock's return

- This index measures the excess return above the risk-free rate per unit of risk.

# Risk-Adjusted Stock Performance

## Treynor Index

The Treynor Index measures risk-adjusted returns when **beta** is the most appropriate measure of risk.

$$\text{Treynor Index} = \frac{\overline{R} - \overline{R}_f}{\beta}$$

where  $\overline{R}$  = average return on the stock

$\overline{R}_f$  = average risk - free rate

$\beta$  = stock's beta

Thank you for your attention