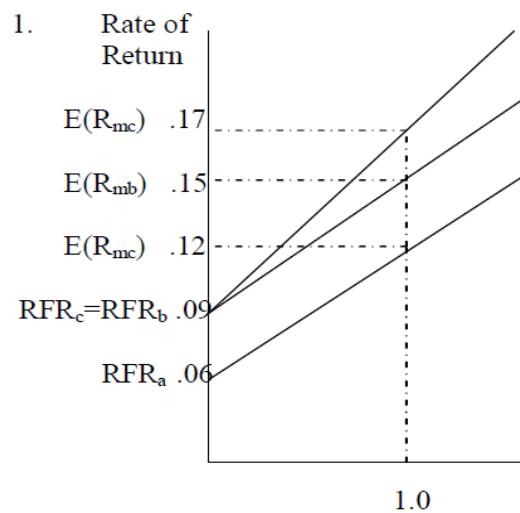


1.



2.

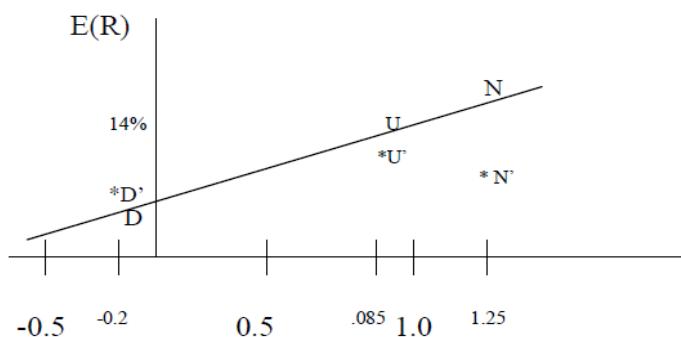
RFR	10
RM	14

beta

U	0.85
N	1.25
D	-0.2

3.

	current price	expected price
U	22	24
N	48	51
D	37	40



11.

### Single Index Model

company	alpha (intercept)	sigma
Intel	0.22	0.121
Ford	0.1	0.146
Anheuser Busch	0.17	0.076

Merck	0.05	0.102
S&P 500	0	0.055

a.	cov	beta
Intel	0.0047916	1.584
Ford	0.0026499	0.876
Anheuser Busch	0.002299	0.76
Merck	0.003366	1.112727273
S&P 500	0.003025	1

b	Intel
RFR	0.05
RM	0.15
	Anheuser Busch
	Merck
	S&P 500

c	expected
Intel	0.2 <
Ford	0.15 >
Anheuser Busch	0.19 >
Merck	0.1 <

## 12. CAPM model

RFR	0.08
RM	0.14

13.	Single index model	Chelle	0.37
		2	0.09
		3	-0.11
		4	0.08
		5	0.11
		6	0.04

**mean** **0.096666667**

**a.** **correlation** **0.130546149**

**b.** **standard deviation** **0.14208761**  
**0.082663978**

c. **beta** **0.224390244**

**17. CAPM model**

proxy	RFR	0.07
	RM	0.16
True	RFR	0.09
	RM	0.18

**18. CAPM model**

a.	Ra	0.11
	Beta	0.09

proxy **0.0781 <**  
True **0.0981 <**

b.	Ra	0.14
	Beta	1

proxy **0.16 >**  
True **0.18 >**

c.	Ra	0.12
	Beta	-0.4

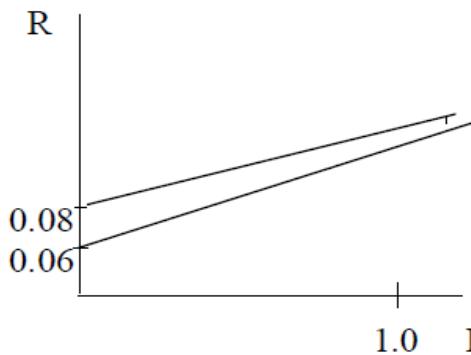
proxy **0.034 <**  
True **0.054 <**

d.	Ra	0.2
	Beta	1.1

proxy **0.169 <**  
True **0.189 <**

**19. CAPM model + Single Index model**

a.	RFR	0.08
	RM	0.12



b.	Period	Return of Rader
	1	0.29
	2	0.12
	3	-0.12
	4	0.17
	5	0.2
	6	-0.05
	mean	0.101666667

riziko	Proxy
	0.0025
	0.0009
	0.0256
	0.0049
	0.0324
	0.0289
<b>variance index</b>	<b>0.015866667</b>
<b>standard deviation index</b>	<b>0.125962958</b>

<b>beta</b>	<b>0.984243697</b>	<b>1.05</b>
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c.	RM	0.12
	ri	0.11

SML<sub>c</sub>

↙ SML<sub>b</sub>

↙ SML<sub>c</sub>

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Systematic Risk (Beta)

CAPM model

expected (required) rate of return*
13.4
15
9.2

expected dividend

0.75  
2  
1.25

expected rate of return
12.5
10.416666667
11.48648649

—  
riM

0.72  
0.33  
0.55

0.6  
1

$$B_i = \frac{COV_{i,m}}{\sigma_m^2} \text{ and } r_i$$

then  $COV_{i,m} = (r_{i,m})$

**expected (required) return**

0.2084
0.1376
0.126
0.161272727
0.15

required \*

<b>0.2084 overvaluated</b>	<b>sell</b>
<b>0.1376 undervaluated</b>	<b>buy</b>
<b>0.126 undervaluated</b>	<b>buy</b>
<b>0.161272727 overvaluated</b>	<b>sell</b>

stock	beta	expected (required) return*
A	1.72	0.1832
B	1.14	0.1484
C	0.76	0.1256
D	0.44	0.1064
E	0.03	0.0818
F	-0.79	0.0326

Index

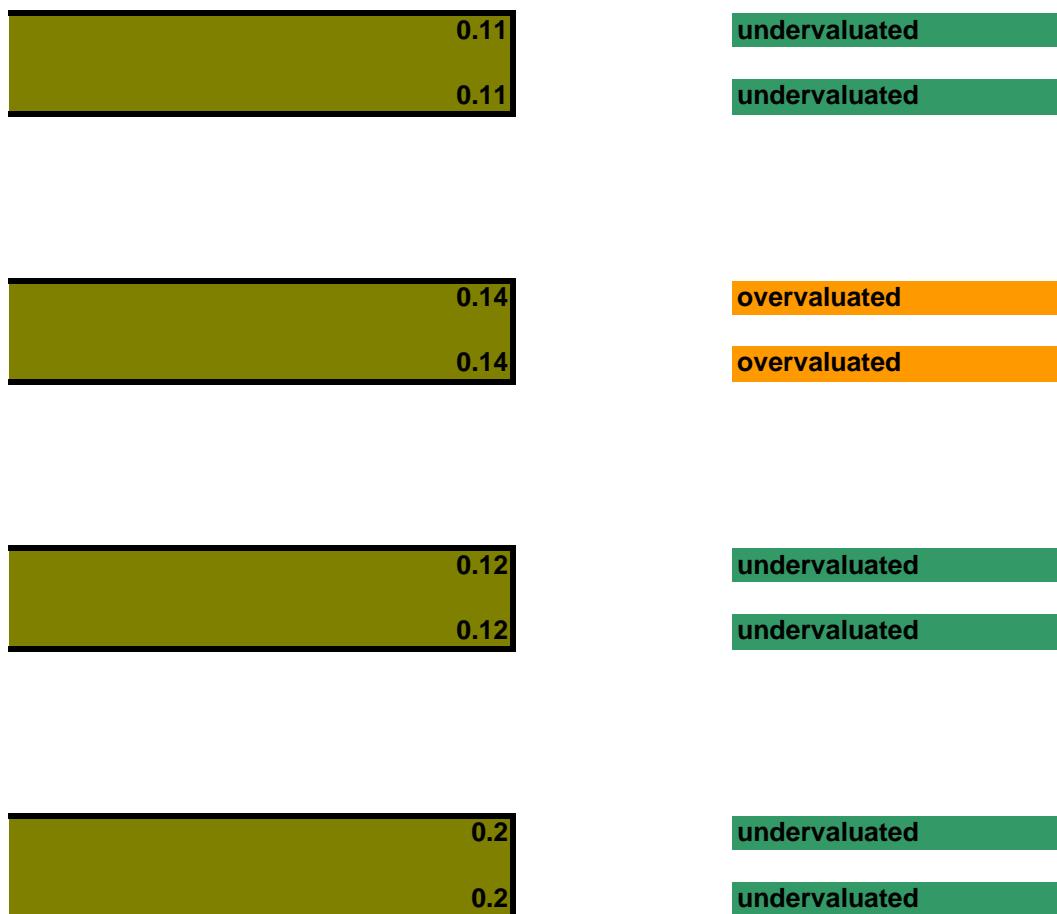
0.15	0.273333333	0.06	0.0164
0.13	-0.006666667	0.04	-0.00027
0.14	-0.206666667	0.05	-0.01033
-0.09	-0.016666667	-0.18	0.003
0.12	0.013333333	0.03	0.0004
0.09	-0.056666667	0	0

**0.09**

**covariance** **0.001533**

—  $COV_{1,M}$

$$I_{1,M} = \frac{1}{\sigma_1 \sigma_M}$$



Rz	0.06
RM	0.15

## Beta

Proxy Index	True Index		
0.12	0.15	0.188333333	0.05
0.1	0.13	0.018333333	0.03
-0.09	-0.08	-0.221666667	-0.16
0.14	0.18	0.068333333	0.07
0.25	0.28	0.098333333	0.18
-0.1	0	-0.151666667	-0.17
0.07	0.11		

## True

0.0016  
0.0004  
0.0361  
0.0049  
0.0289  
0.0121

**0.014  
0.118321596**

<b>required * (proxy)</b>	<b>0.119369748 &gt;</b>	<b>0.11</b>
<b>required * (market)</b>	<b>0.123 &gt;</b>	<b>0.11</b>

comparison of required rate of return to expected		
higher	overvaluated	sale
higher	overvaluated	sale
lower	undervaluated	buy

$$\rho_{i,m} = \frac{\text{COV}_{i,m}}{(\sigma_i)(\sigma_m)}$$

$$(\sigma_i)(\sigma_m)$$

chelle	index
0.074711111	0.0036
4.44444E-05	0.0016
0.042711111	0.0025
0.000277778	0.0324
0.000177778	0.0009
0.003211111	0

<b>variance</b>	<b>0.020188889</b>	<b>0.006833333</b>
<b>standard devi.</b>	<b>0.14208761</b>	<b>0.082663978</b>



	cov Radex x Proxy	cov Rader x True
0.04	0.009416667	0.007533333
0.02	0.00055	0.000366667
-0.19	0.035466667	0.042116667
0.07	0.004783333	0.004783333
0.17	0.0177	0.016716667
-0.11	0.025783333	0.016683333

cov	0.015616667	0.0147
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**overvaluated**  
**overvaluated**