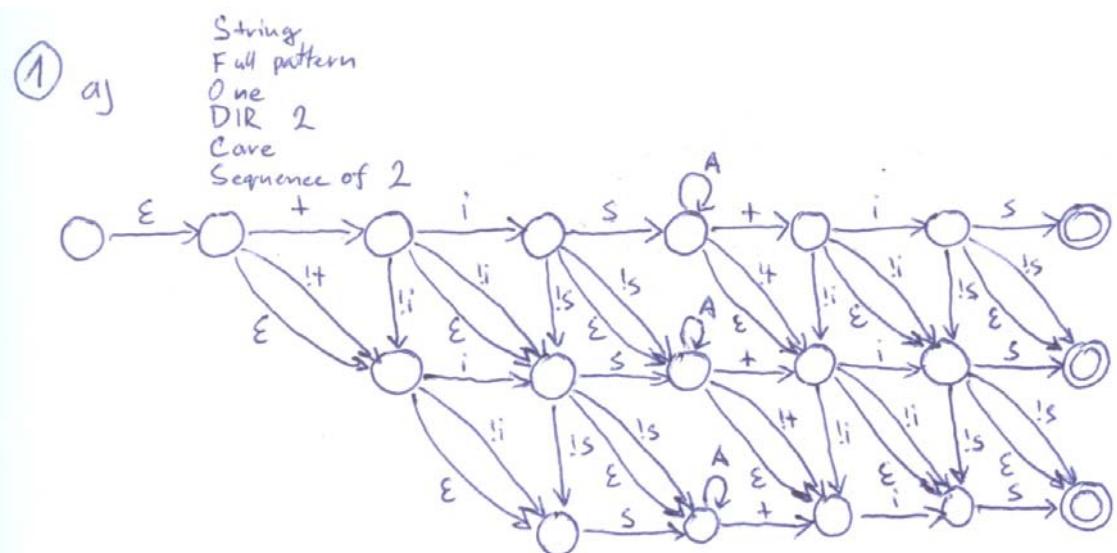


# Textové informační systémy 8.6.2007

1.

a)



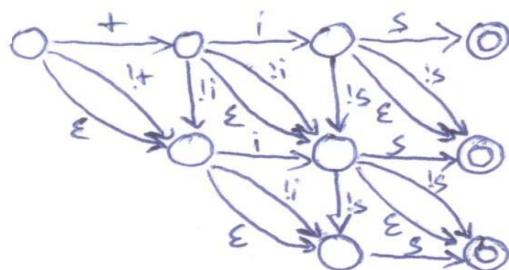
Automat najde 2 vyskyty vzorku s maximalne 2 chybami celkem.

b)

Odpověď: 9

bj

String  
Full pattern  
One  
DIR 2  
Care  
One



### c)

Odpověď: 12

```
tenis
-----
tDD--
--DiD
--DDs
--Dis
tIIis
tRR--
--Ris
tRD--
--RiD
tDR--
--RDs
-IRis
```

### 2.

```
N = 22
beta (22) = 10110
beta' (22) = 0110
alfa ( | beta(22) | ) = alfa (5) = 00001
gamma (22) = 000101001

omega = B0.B1. ... Bk.0
Bk = beta (22) = 10110
Bk-1 = beta ( | Bk | - 1 ) = beta (4) = 100
Bk-2 = beta ( | Bk-1 | -1 ) = beta (2) = 10
| B0 | = 2 => Bk-2 == B0
omega = 10100101100
```

### 3.

Karp-Rabinovo vyhledavani - pouziti hashovaci funkce. Misto prikladani vzorku k textu na vsech pozicich, kontroluje shodu jen tam, kde podretezec textu vypada "podobne". Podobnost urcuje hashovaci funkce. Hashovaci funkce by mela byt efektivne vycislitelna a mela by dobre separovat ruzne retezce.

Vyhledavani je v nejhorsim pripade kvadraticke, ale prumerne  $O(T+V)$ .

**4.**

```
var TEXT: array[1..T] of char; VZOREK: char;  
  
I := 1;  
TEXT [T+1] := VZOREK;  
while (TEXT[I] <> VZOREK) do  
begin  
  if TEXT[I+1] = VZOREK then break;  
  I := I+2;  
end;  
FOUND := (I<T) OR (TEXT[T] = VZOREK);  
  
vystup v promenne FOUND : ano/ne.
```

**5.**

**a)**

NE

**b)**

```
X = abcde;  
Y = fghij;  
R(X,Y) = 5;  
DIR(X,Y) = 5;  
DIRT(X,Y) = 5;
```

stale vyuziva pouze funkce R-Replace.

**c)**

```
T=(a^100).baaaaa  
V=baaaaa
```

## 6.

$$\textcircled{6} \quad \text{aj } R = 01^*(1+0)$$

$$\frac{d01^*(1+0)}{d0} = \frac{d0}{d0} 1^*(1+0) = \underline{1^*(1+0)}$$

$$\frac{d01^*(1+0)}{d1} = \frac{d0}{d1} 1^*(1+0) = \underline{\emptyset}$$

$$\frac{d1^*(1+0)}{d0} = \frac{d1^*}{d0} (1+0) + \frac{d(1+0)}{d0} = \frac{d1}{d0} 1^*(1+0) + \frac{d1}{d0} + \frac{d0}{d0} = \underline{\epsilon}$$

$$\frac{d1^*(1+0)}{d1} = \frac{d1^*}{d1} (1+0) + \frac{d(1+0)}{d1} = \frac{d1}{d1} 1^*(1+0) + \frac{d1}{d1} + \frac{d0}{d1} = \underline{1^*(1+0)+\epsilon}$$

$$\frac{d1^*(1+0)+\epsilon}{d0} = \frac{d1^*(1+0)}{d0} + \frac{\epsilon}{d0} = \underline{\epsilon}$$

$$\frac{d1^*(1+0)+\epsilon}{d1} = \frac{d1^*(1+0)}{d1} + \frac{\epsilon}{d1} = \underline{1^*(1+0)+\epsilon}$$

by  $\left( \begin{array}{c} \left( \frac{dR}{d0} \right) \\ \hline \frac{d1}{d1} \\ \hline \frac{d0}{d0} \end{array} \right)$

$$\frac{dR}{d0} = \underline{1^*(1+0)}$$

$$\frac{d1^*(1+0)}{d1} = \underline{1^*(1+0)+\epsilon}$$

$$\frac{d1^*(1+0)+\epsilon}{d1} = \underline{1^*(1+0)+\epsilon}$$

$$\frac{d1^*(1+0)+\epsilon}{d0} = \underline{\epsilon}$$

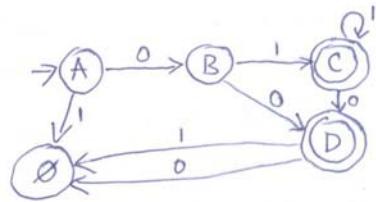
$$A \equiv 01^*(1+0)$$

$$B \equiv 1^*(1+0)$$

$$C \equiv 1^*(1+0)+\epsilon$$

$$D \equiv \epsilon$$

stavy C a D jsou  
bezkoncové (obsahují 'ε')



DKA najde v T = 0110

3. vztahy  
výsledky

$$\begin{matrix} T \setminus I = 3 \\ \hline \text{01} \\ \text{011} \\ \text{0110} \end{matrix}$$

## 7.

$$G = (\{S\}, \{a, b\}, P, S)$$

$$\begin{aligned} P = & \{ 0: S \rightarrow bS, \\ & 1: S \rightarrow a, \\ & 2: S \rightarrow bSS \} \end{aligned}$$

0: bs

0: bbs

1: bba

2: bss

2: bbsss

2: bbbssss

0: bbbbssss

1: bbbbbasss

1: bbbbaasss

1: bbbbaaaas

1: bbbbaaaa