

CERTORA

Move fast and break nothing

Formal Verification of Smart Contracts with The Certora Prover

Jaroslav Bendík

April 2022

Blockchain and Smart Contracts

Blockchain

- A distributed database
- Chronologically ordered data
- Decentralized
- Cryptographic security measures
- Immutable
- Usual use: digital ledger

Blockchain and Smart Contracts

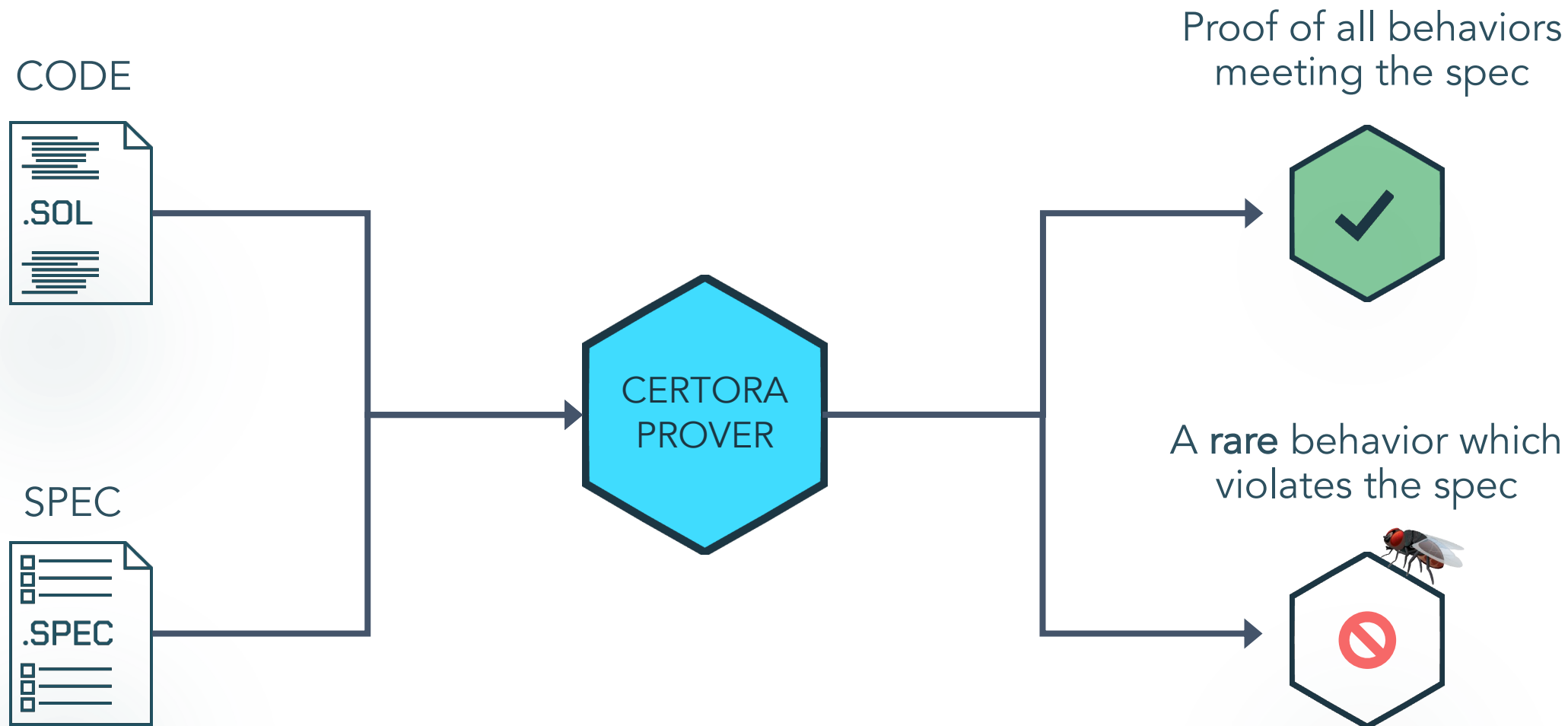
Blockchain

- A distributed database
- Chronologically ordered data
- Decentralized
- Cryptographic security measures
- Immutable
- Usual use: digital ledger

Smart Contract

- A set of functions running on Ethereum blockchain
- A user can invoke some of the functions
- Successful function invocations are irreversible
- Unsuccessful function invocations revert
- A maximum size of 24KB
- Cannot be deleted/changed once deployed

Formal Verification with Certora Prover



Example Smart Contract

```
contract Bank {  
    mapping (address => uint256) public funds;  
  
    function deposit (uint256 amount) public payable {  
        funds[msg.sender] += amount;  
    }  
  
    function getFunds (address account) public view returns (uint256) {  
        return funds[account];  
    }  
}
```

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Example Smart Contract

How do we know that **deposit** increases funds by amount?

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function deposit (uint256 amount) public payable {  
    funds[msg.sender] += amount;  
}
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Writing the Specification

How do we know that **deposit** increases funds by amount?

```
function deposit (uint256 amount) public payable {  
    funds[msg.sender] += amount;  
}
```

Need to first write “deposit increases funds by amount” more formally so that we can automatically check it!

— Specification in CVL

```
rule deposit_ok (uint256 amount) {  
  env e;  
  uint256 before_deposit = getFunds (e, e.msg.sender);  
  deposit (e, amount);  
  uint256 after_deposit = getFunds (e, e.msg.sender);  
  assert (after_deposit == before_deposit + amount);  
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```

Not executable but looks like Solidity!

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Inline from contract

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}
```

Must hold for ALL values of amount!

Certora Verification Language Overview

- Assumptions + assertions
- Invariants
- Ghost functions + Hooks (ghost solidity functions)
- Summary functions (replace solidity functions)
- CVL functions (to avoid repeated code in .spec files)
- Quantifiers

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```
require forall address i. forall address j. funds(i) + funds(j) <= totalFunds();
```

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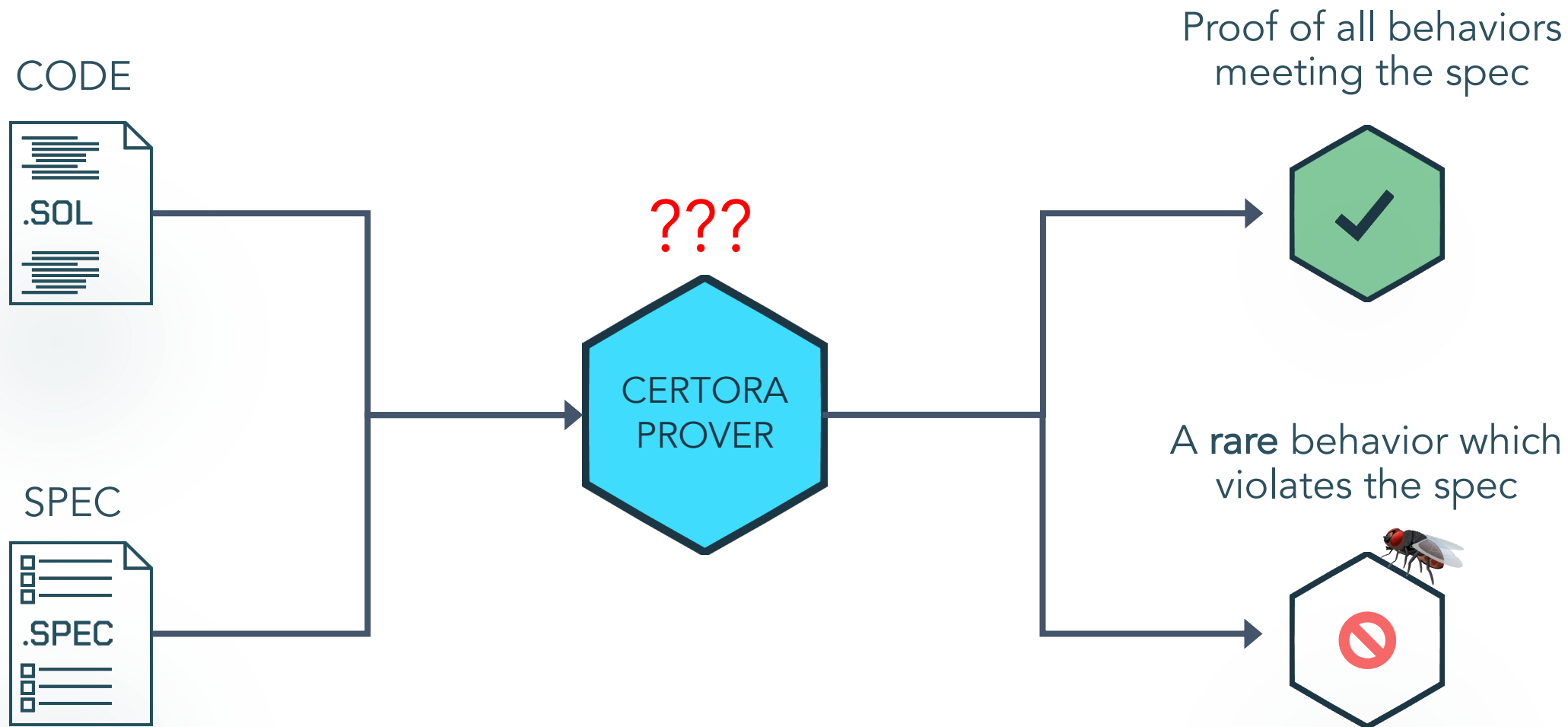
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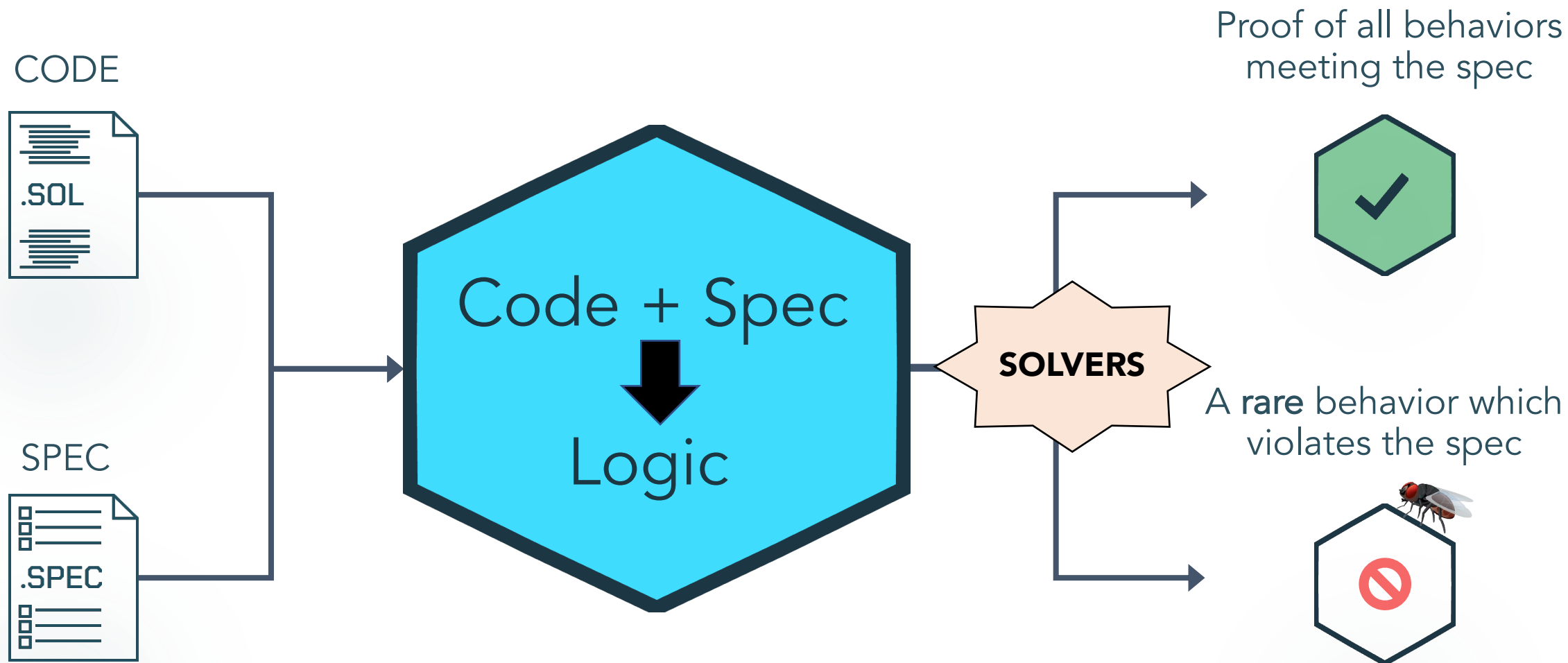
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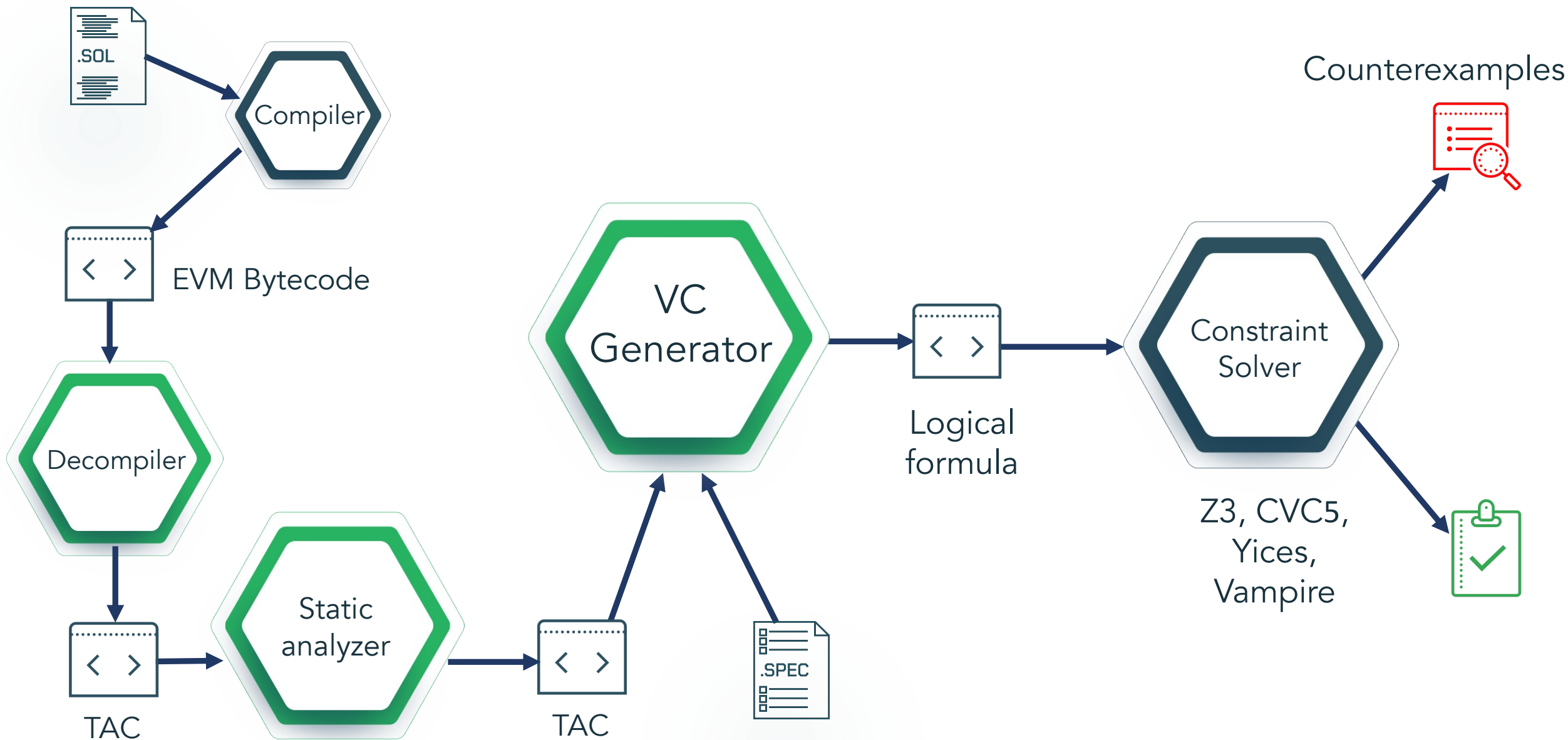
Formal Verification with Certora Prover



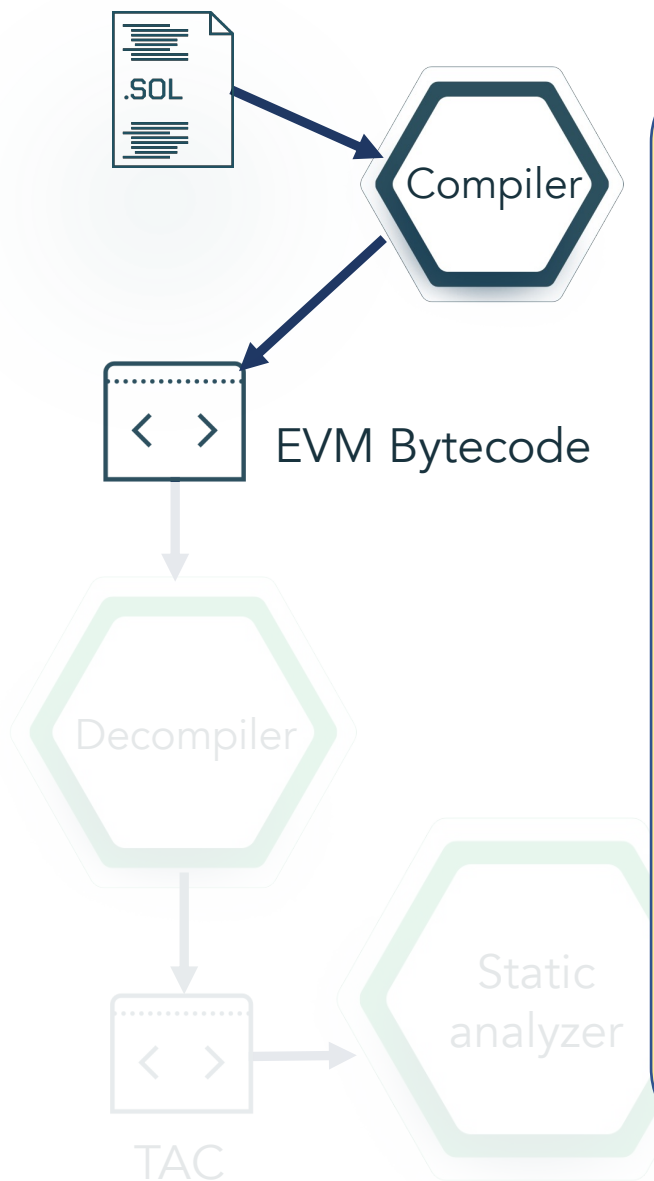
Formal Verification with Certora Prover



Certora Prover Architecture



Certora Prover Works on Bytecode



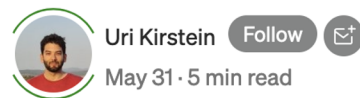
Compile Solidity to get EVM Bytecode

Can support other EVM languages (Vyper)

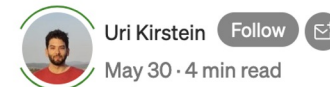
Helps find compiler bugs!

Compiler Bugs Found by Certora Prover

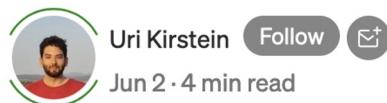
Non-deterministic Solidity Transactions — Certora Bug Disclosure



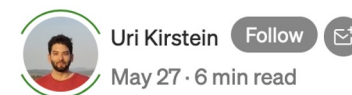
The Solidity Compiler Silently Corrupts Storage — Certora Bug Disclosure



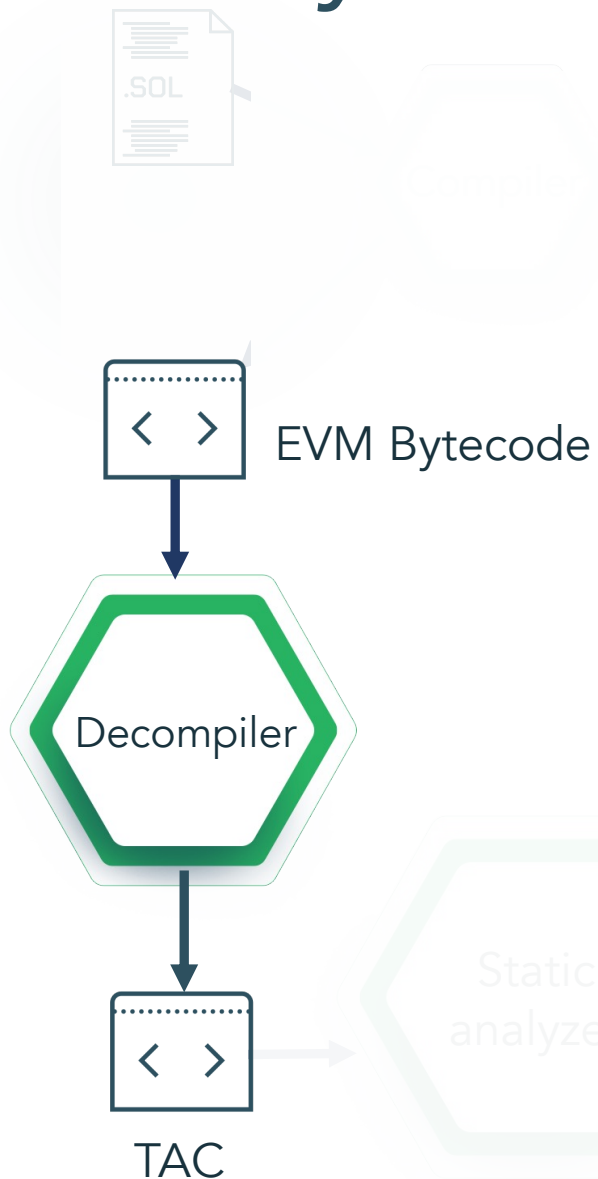
Memory Isolation Violation in Deserialization Code — Certora Bug Disclosure



Bug Disclosure — Solidity Code Generation Bug Can Cause Memory Corruption



Bytecode to Three-Address Code



Break down code into small simple steps

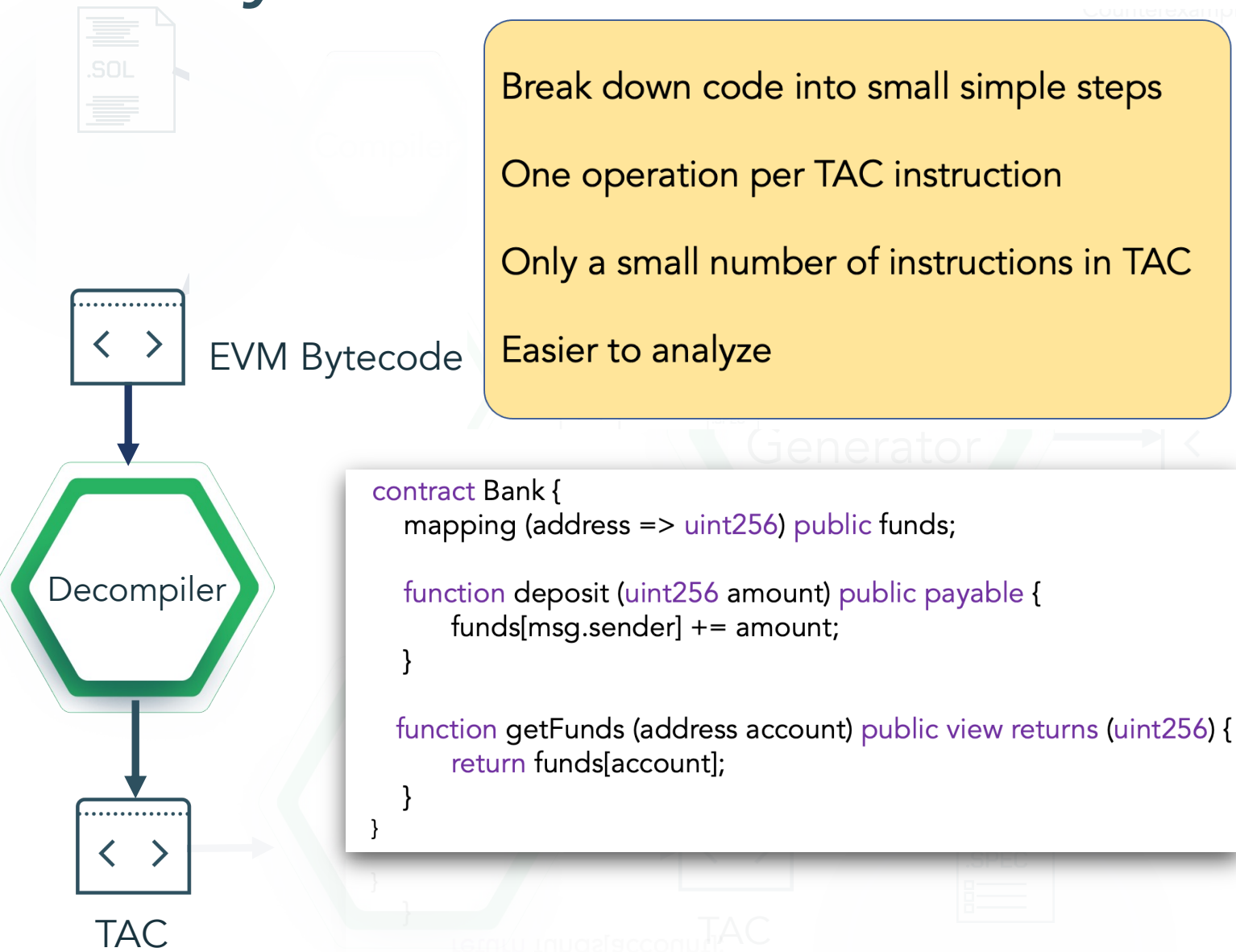
One operation per TAC instruction

Only a small number of instructions in TAC

Easier to analyze

Counterexamples

Bytecode to Three-Address Code



```

Block 0_0_0_0_0_0_0_0: lastHasThrown = false
lastReverted = false
R0 = tacExtcodesize[tacAddress]
B1 = R0>0x0
assume B1
TRANSIENT::MetaKey(name=internal.func.finder.info, typ=class
analysis.ip.InternalFunctionFinderReport)=InternalFunctionFinderReport(unresolvedFunctions=[]):
tacM0x40 = 0x80
R2 = tacCalldatasize
B4 = R2<0x4
assume !B4
R15 = tacSighash
B19 = 0xb6b55f25==R15
assume B19
JUMPDEST 57_1024_0_0_0_0_0_0
R21 = tacCalldatasize
R22 = R21-0x4
B25 = R22<0x20
if B25:bool goto 75_1021_0_0_0_0_0_0 else goto 79_1021_0_0_0_0_0_0

Block 75_1021_0_0_0_0_0_0: lastHasThrown = false
lastReverted = true
TRANSIENT::MetaKey(name=tac.revert.path, typ=class java.lang.Boolean)=true:
revert and return M@0[0x0:0x0+0x0]

Block 79_1021_0_0_0_0_0_0: JUMPDEST 79_1021_0_0_0_0_0_0
R35 = tacCalldatabuf14
TRANSIENT::MetaKey(name=internal.func.start, typ=class
analysis.ip.InternalFuncStartAnnotation)=InternalFuncStartAnnotation(id=2, startPc=208, exitPc=[86],
args=[InternalFuncArg(s=R35:bv256, offset=1, sort=SCALAR)],
functionId=ParseableName(exp=deposit(uint256)), stackOffsetToArgPos={1=0}):
JUMPDEST 208_1022_0_0_0_0_0_0
TRANSIENT::MetaKey(name=tac.internal.function.hint, typ=class
analysis.ip.InternalFunctionHint)=InternalFunctionHint(id=0, flag=0, sym=0xf196e50000):
TRANSIENT::MetaKey(name=tac.internal.function.hint, typ=class
analysis.ip.InternalFunctionHint)=InternalFunctionHint(id=0, flag=1, sym=0x1):
TRANSIENT::MetaKey(name=tac.internal.function.hint, typ=class
analysis.ip.InternalFunctionHint)=InternalFunctionHint(id=0, flag=4096, sym=R35:bv256):
R53 = tacCaller
tacM0x0 = R53
tacM0x20 = 0x0
R65 = keccak256simple(tacM0x0,tacM0x20)
R68 = tacS!ce4604a00000000000000000000000000001[R65]
R76 = R35+R68
tacS!ce4604a00000000000000000000000000001[R65] = R76
TRANSIENT::MetaKey(name=internal.func.end, typ=class
analysis.ip.InternalFuncExitAnnotation)=InternalFuncExitAnnotation(id=2, rets=[]):
JUMPDEST 86_1024_0_0_0_0_0_0
TRANSIENT::MetaKey(name=tac.return.path, typ=class java.lang.Boolean)=true:
return M@0[0x0:0x0+0x0]
  
```


Static Analysis on TAC

Even in TAC, instructions can have subtle dependencies

Gather facts at various program points (e.g., points-to relation)

Lower burden on subsequent steps in the pipeline

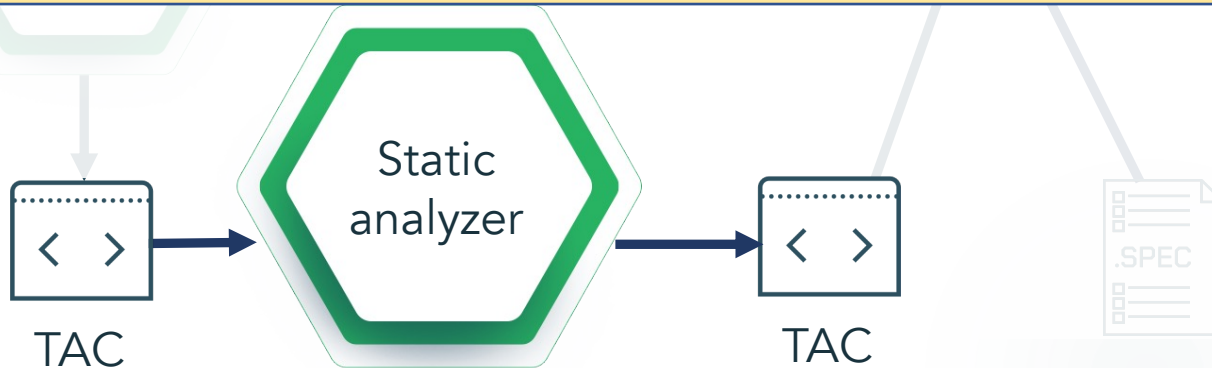


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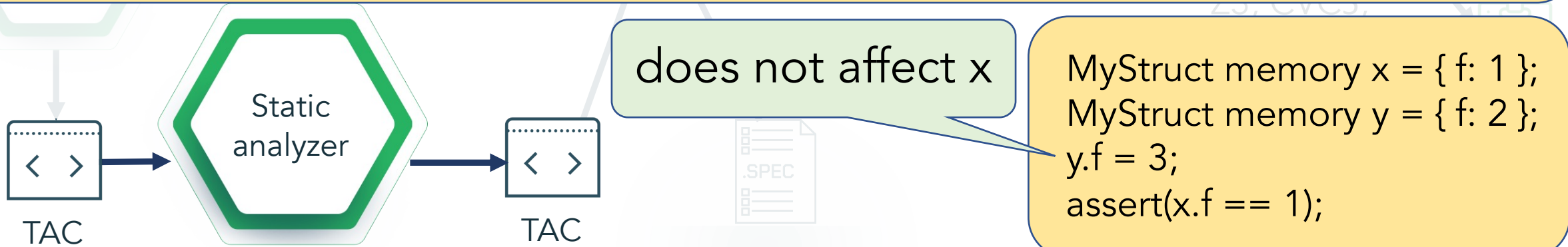
```
MyStruct memory x = { f: 1 };  
MyStruct memory y = { f: 2 };  
y.f = 3;  
assert(x.f == 1);
```

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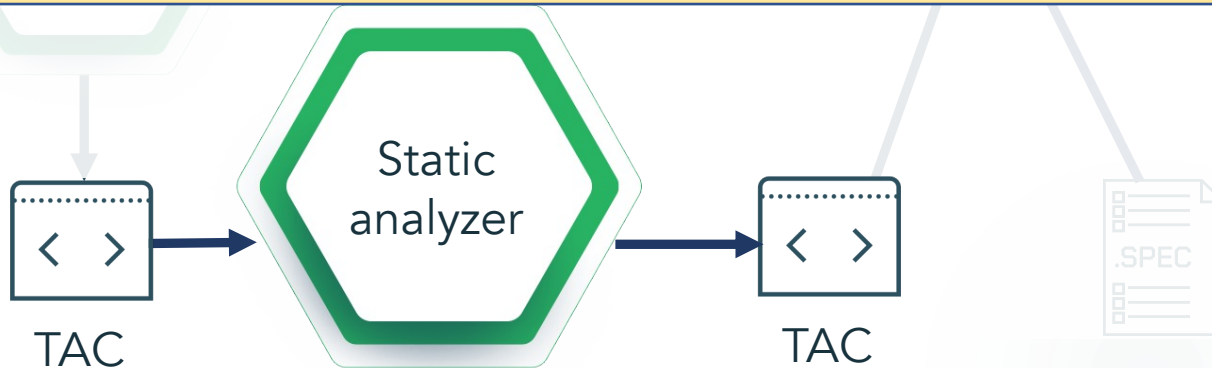


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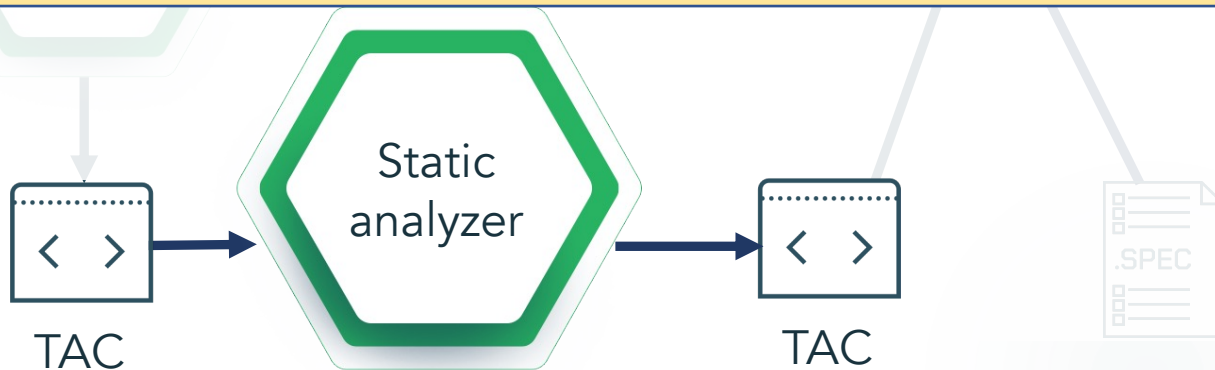
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Static Analysis on TAC Cont.

Analysis Type

Points-to analysis

-->

Example Application

reveals connections between TAC variables

Value range analysis

-->

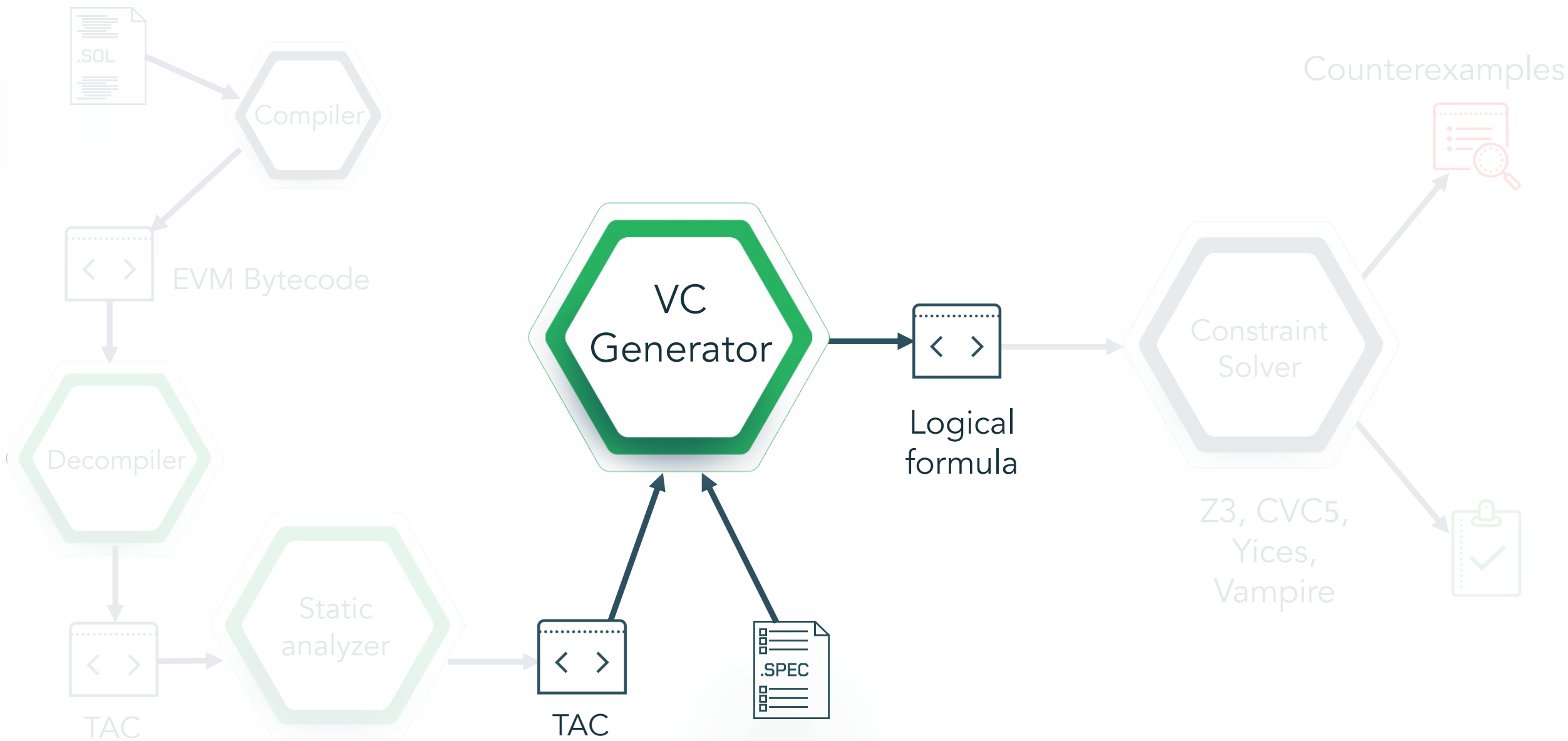
allows us to simplify SMT axioms

Control-flow analysis

-->

split the original program into several smaller programs

Generate Verification Conditions



Hoare Triples

Hoare Triple: $\{P\} S \{Q\}$

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If P holds before executing S , then Q holds after executing S

Weakest Precondition

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If P holds before executing S , then Q holds after executing S

$WP(S, Q)$: weakest predicate such that Q holds after executing S
 $\{WP(S, Q)\} S \{Q\}$

Weakest Precondition

Hoare Triple: $\{P\} S \{Q\}$

If P holds before executing S , then Q holds after executing S

$WP(S, Q)$: weakest predicate such that Q holds after executing S
 $\{WP(S, Q)\} S \{Q\}$

Then to prove the triple, just show that $P \Rightarrow WP(S, Q)$ is valid

Thus, if $P \Rightarrow WP(S, Q)$ is valid then $\{P\} S \{Q\}$

Weakest Precondition Computation

Basic instructions:

- Assertions: $WP(\text{assert } A, B) = A \wedge B$
- Assumptions: $WP(\text{assume } A, B) = A \implies B$
- Assignments = assumptions!
- Sequential composition: $WP(S;T, B) = WP(S, WP(T, B))$
- Choice statements: $WP(S[]T, B) = WP(S, B) \wedge WP(T, B)$

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Loops

Unroll specific number of iterations +

1. Either assume loop termination condition, or
2. Assert loop termination condition

Verification Condition

If $P \Rightarrow WP(S, Q)$ is valid formula then the program satisfies the specification

Verification Condition

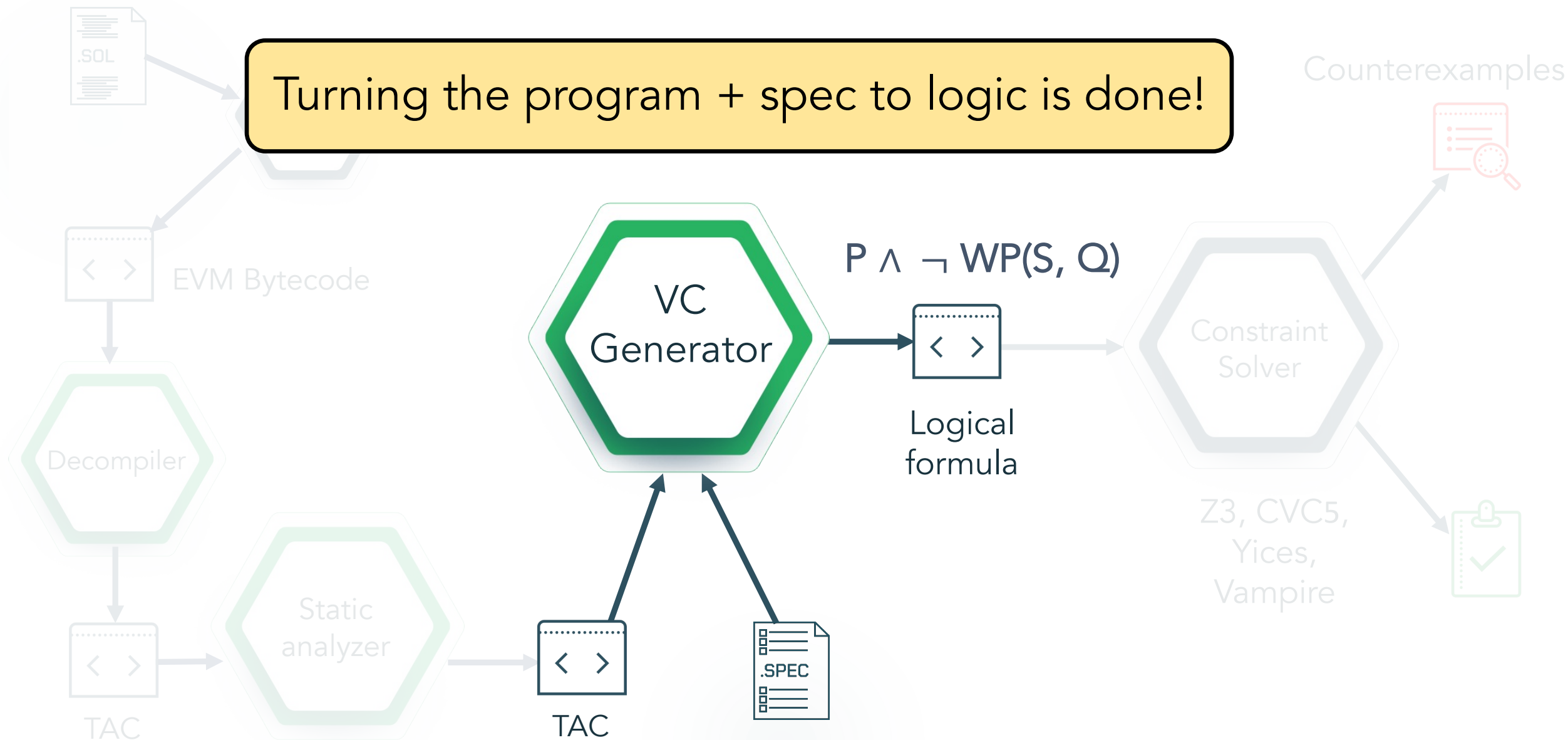
If $P \Rightarrow WP(S, Q)$ is valid formula then the program satisfies the specification

We check $P \wedge \neg WP(S, Q)$ for satisfiability (not validity!).

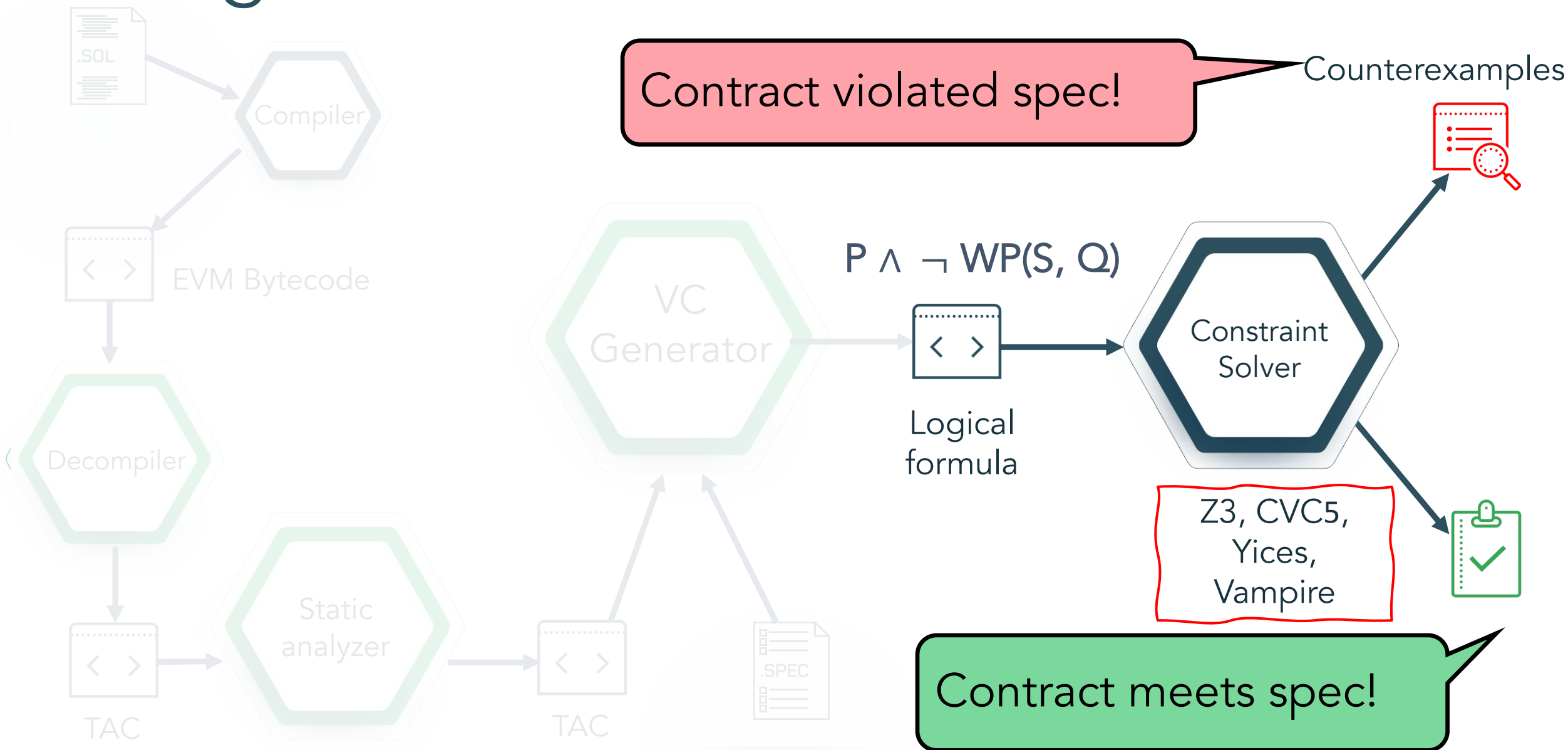
- If $P \wedge \neg WP(S, Q)$ is **unsatisfiable** then the **program satisfies the spec.**
- Else, if $P \wedge \neg WP(S, Q)$ is **satisfiable**, then the **program might violate the spec.**

Generate Verification Conditions

Turning the program + spec to logic is done!



Using Constraint Solvers



SMT Machinery

Encodings of $P \wedge \neg WP(S, Q)$

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- Precise NIA
- LIA Overapproximation

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SMT solvers

- z3, cvc4, cvc5, vampire, yices
- 1-4 configs per solver
- Chosen configurations run in parallel

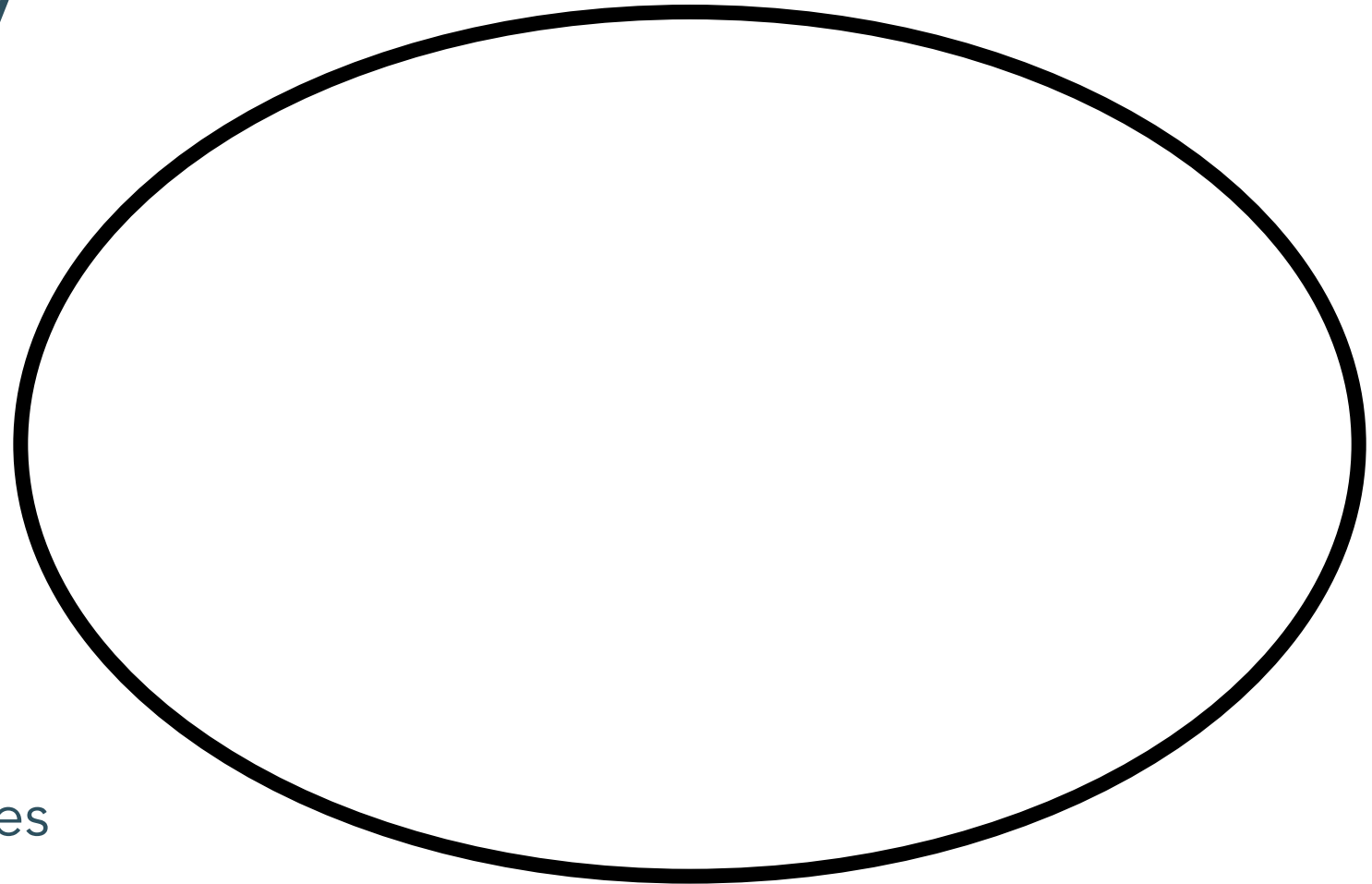
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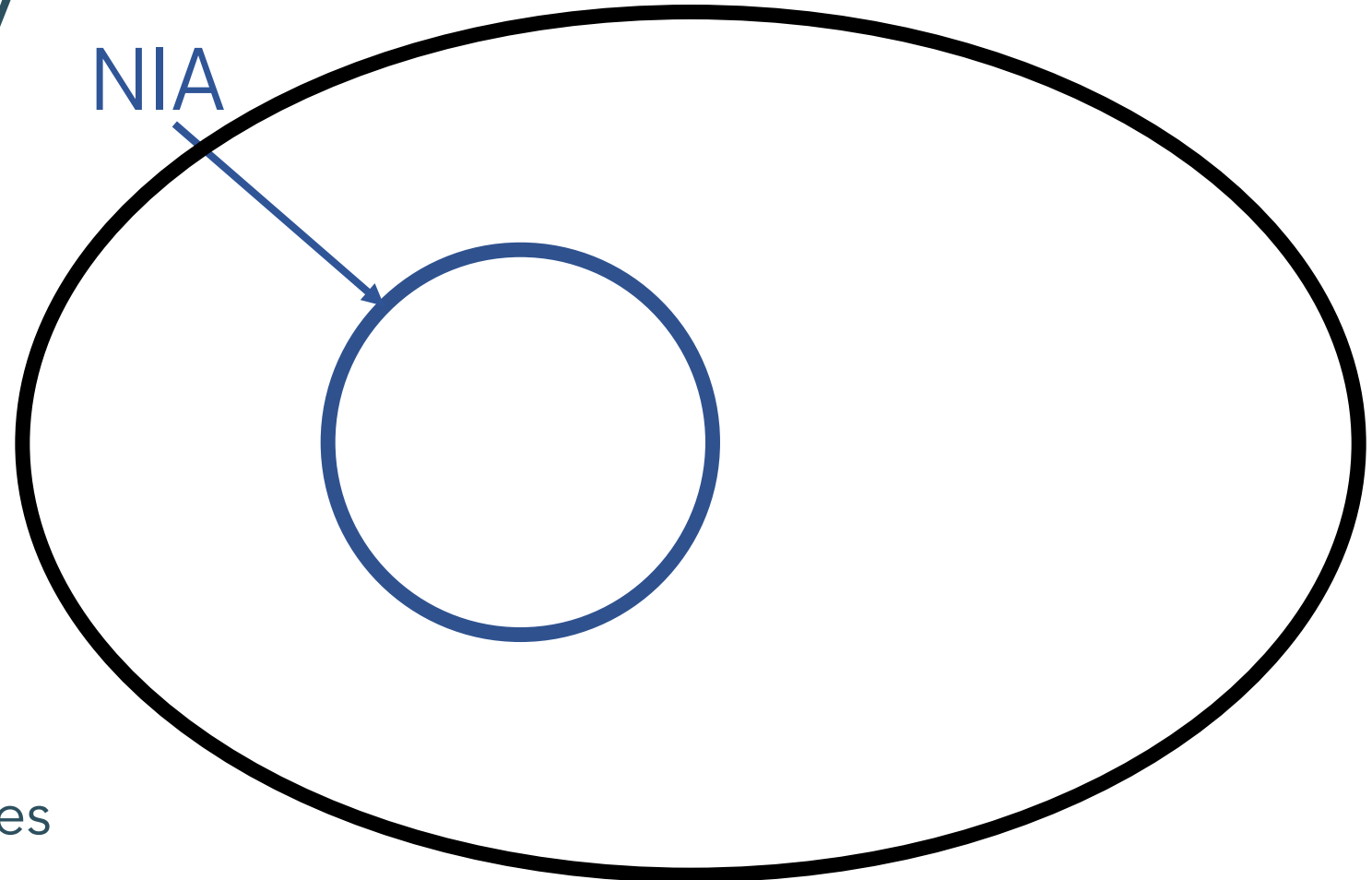
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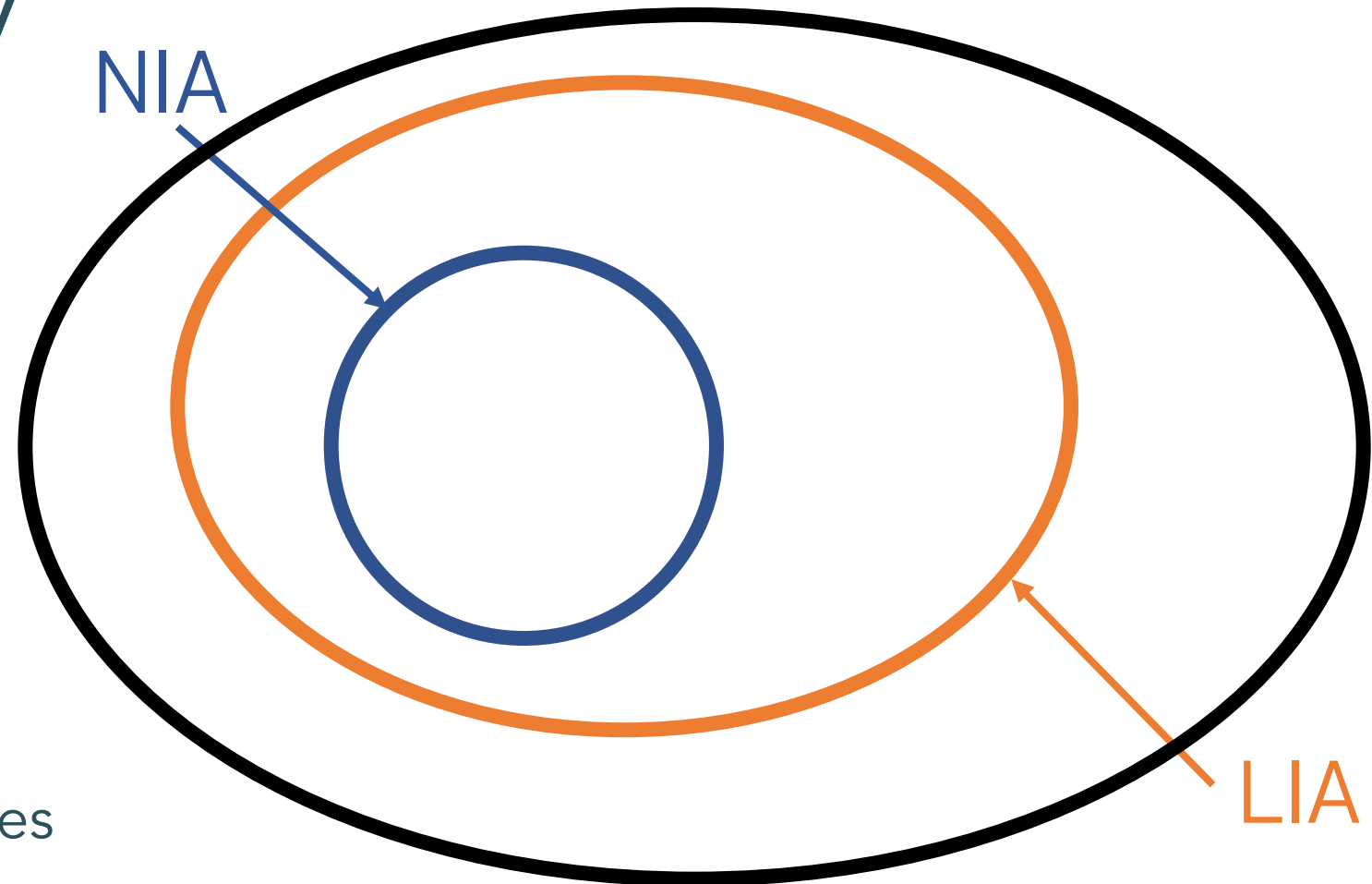
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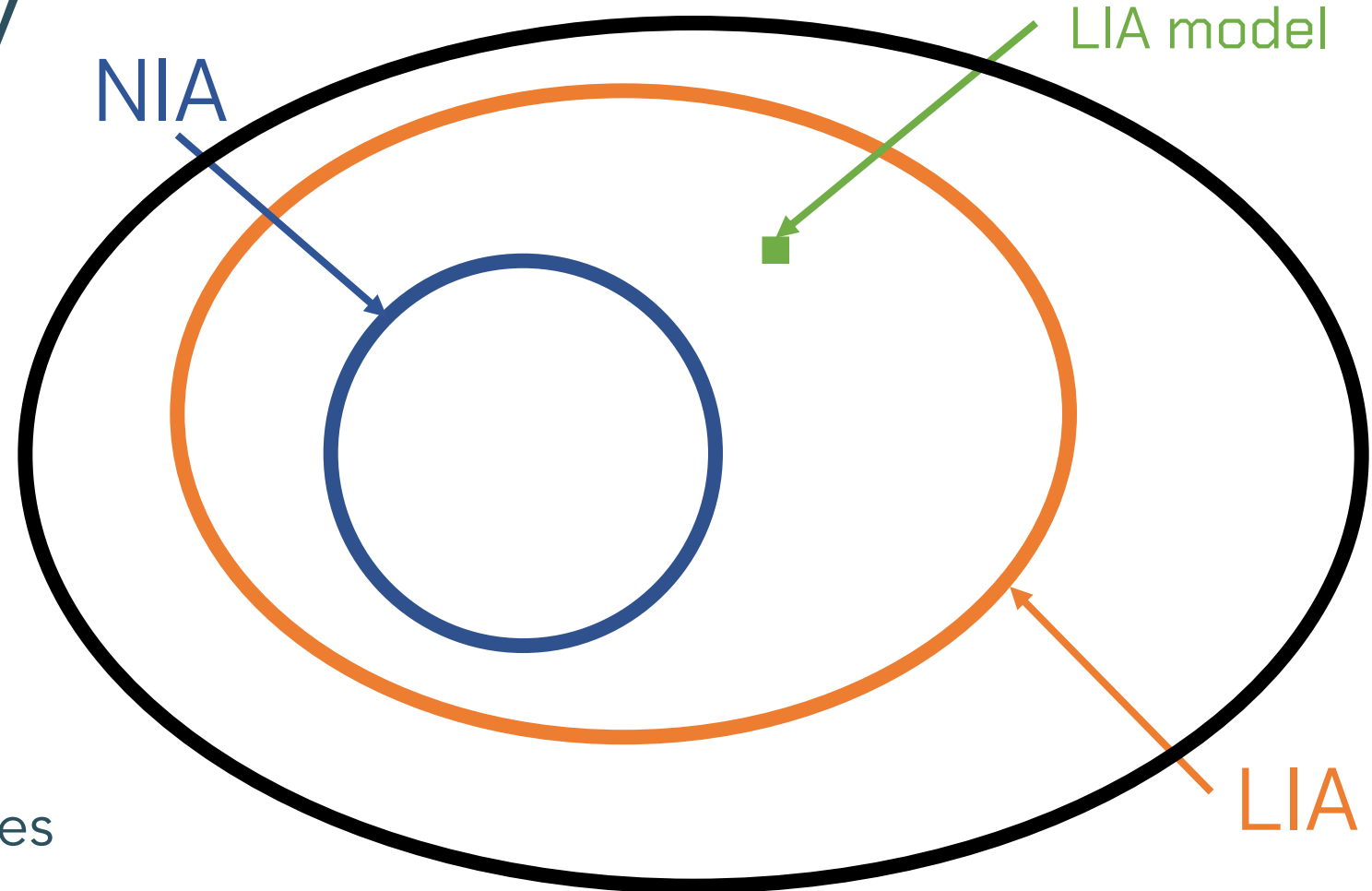
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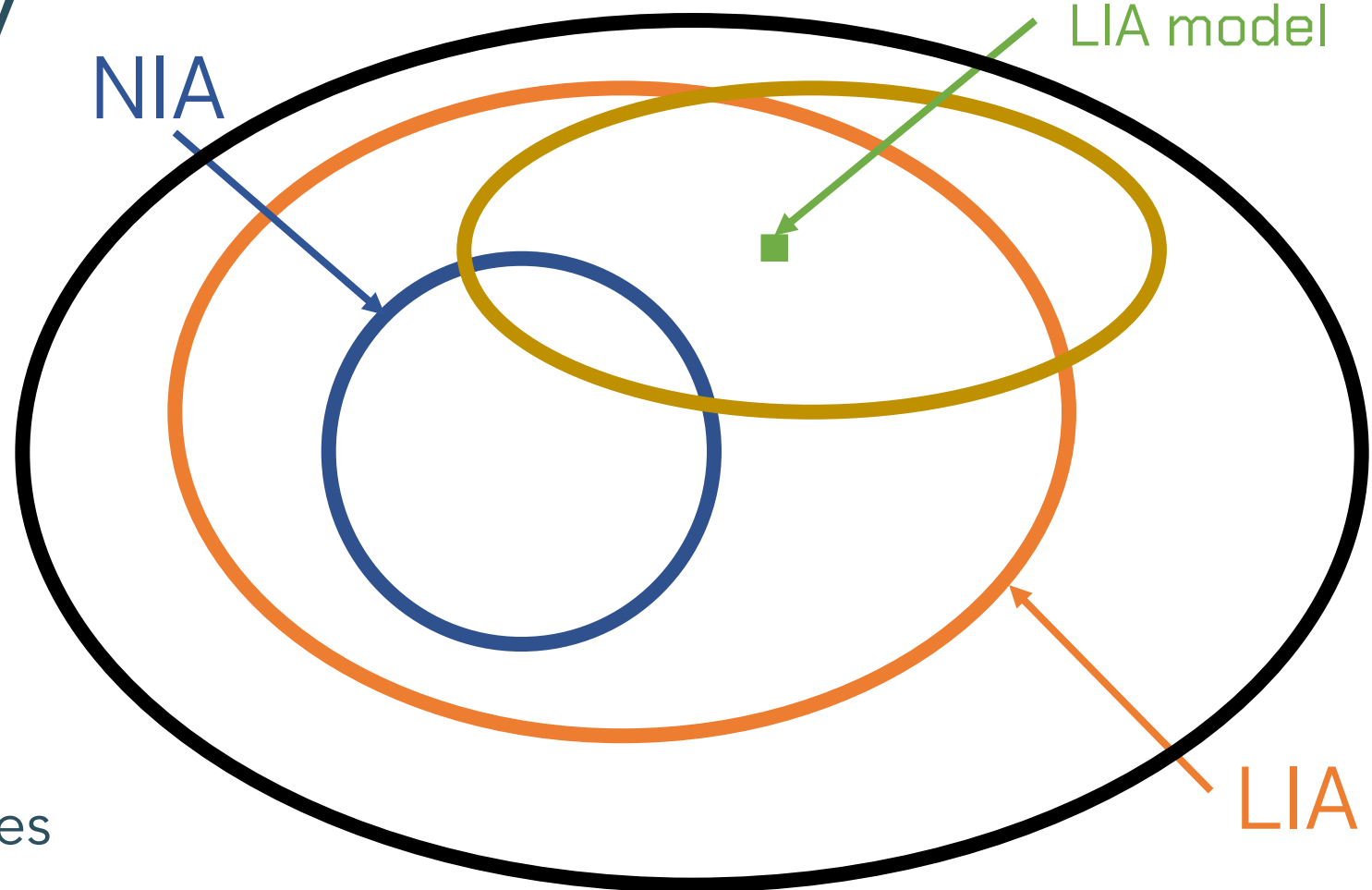
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LIA Multiplication Axiomatization

$a \cdot b$ modelled with an uninterpreted function $a \cdot b$

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$a \cdot b$ modelled with an uninterpreted function $a \cdot b$

- $a \cdot 0 = 0$
- $a \cdot b = b \cdot a$
- $a > 0, b > 0 \rightarrow a \cdot b > 0$
- $a > 0, b < 0 \rightarrow a \cdot b < 0$
- $a < 0, b > 0 \rightarrow a \cdot b < 0$
- $a < 0, b < 0 \rightarrow a \cdot b > 0$
- $a > 0, b > 0 \rightarrow a \cdot b \geq a, a \cdot b \geq b$
- $0 \leq a_1 \leq a_2, 0 \leq b_1 \leq b_2 \rightarrow a_1 \cdot b_1 \leq a_2 \cdot b_2$

LIA Multiplication Axiomatization

$a \cdot b$ modelled with an uninterpreted function $a \cdot b$

- $a \cdot 0 = 0$
- $a \cdot b = b \cdot a$
- $a > 0, b > 0 \rightarrow a \cdot b > 0$
- $a > 0, b < 0 \rightarrow a \cdot b < 0$
- $a < 0, b > 0 \rightarrow a \cdot b < 0$
- $a < 0, b < 0 \rightarrow a \cdot b > 0$
- $a > 0, b > 0 \rightarrow a \cdot b \geq a, a \cdot b \geq b$
- $0 \leq a_1 \leq a_2, 0 \leq b_1 \leq b_2 \rightarrow a_1 \cdot b_1 \leq a_2 \cdot b_2$

LIA Multiplication Axiomatization

$a \cdot b$ modelled with an uninterpreted function $a \cdot b$

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Z3

Yices

CVC5

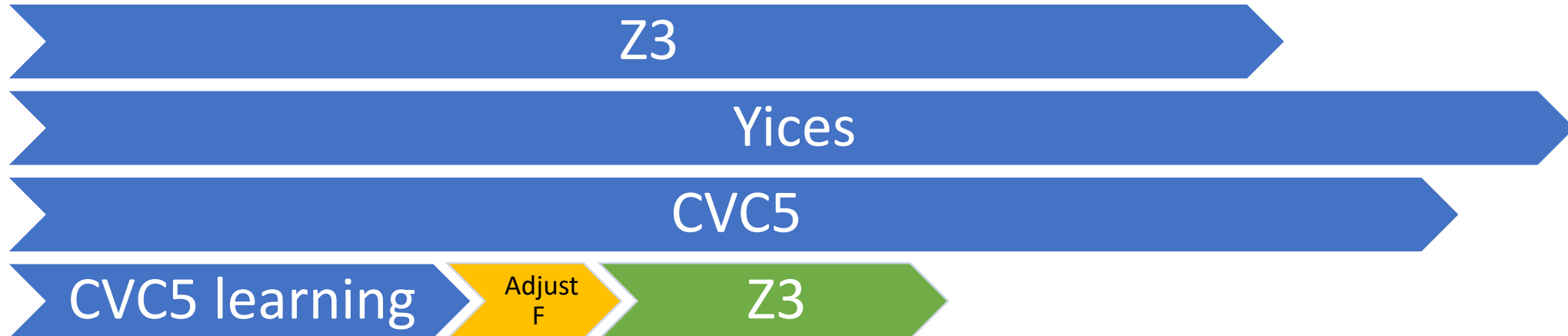
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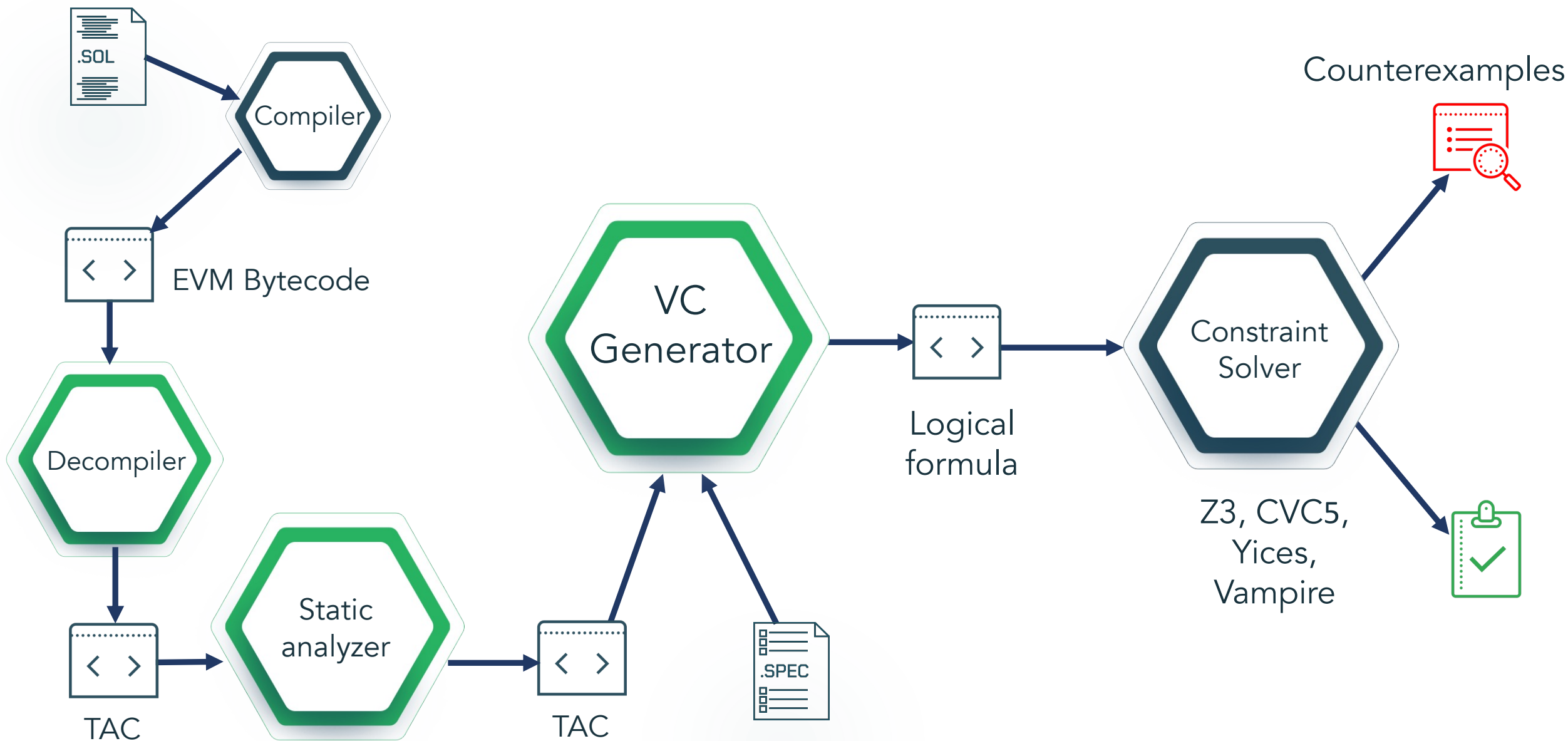
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Example

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The Certora Prover Pipeline



Putting It All Together

Spec Font size ▾ Start Verification ▶

```

1 pragma specify 0.1
2 methods {
3   getFunds(address) returns uint256 envfree
4 }
5
6 rule deposit_ok(uint256 amount) {
7   env e;
8   uint256 before_deposit = getFunds(e.msg.sender);
9   deposit(e, amount);
10  uint256 after_deposit = getFunds(e.msg.sender);
11  assert(after_deposit == before_deposit + amount);
12 }
13

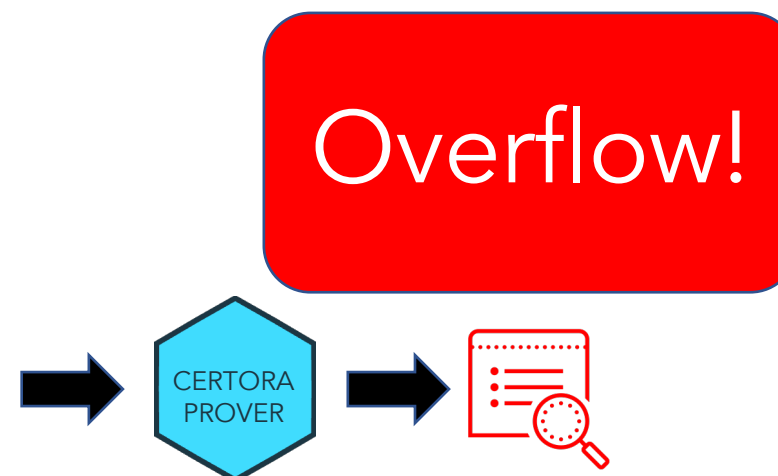
```

Solidity Bank 0.6.10 ▾

```

1 contract BankBroken {
2   uint256 public totalFunds;
3   mapping (address => uint256) public funds;
4
5   function deposit(uint256 amount) public payable {
6     funds[msg.sender] += amount;
7   }
8
9   function getFunds(address account) public view returns (uint256) {
10    return funds[account];
11  }
12 }
13

```



Call Trace
<ul style="list-style-type: none"> deposit_ok{amount=2}
Variables
e.msg.sender=0x401
e.msg.address=0x402
e.msg.value=3
before_deposit=0xff
after_deposit=0

<https://demo.certora.com>

Certora Inc.

- Founded in 2019
- 60 software engineers including 13 PhDs
- Offices in Tel Aviv and Seattle
- Teams:
 - Static analysis
 - SMT
 - Frontend
 - Rulewriters
 - Fuzzing and mutation testing
 - Security Engineers (white hat hackers)

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WE ARE HIRING
full time, part time, internship

(contact me, jaroslav@certora.com,
or see <https://www.certora.com>)