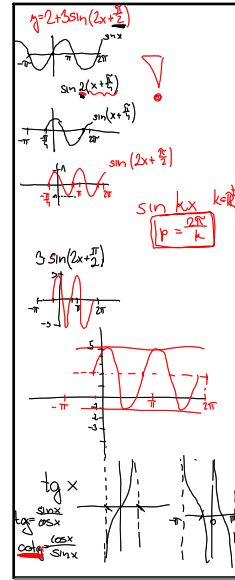
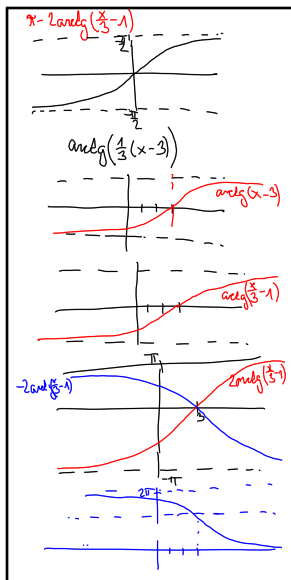


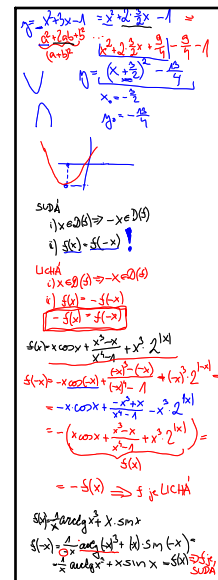
9 19-17:58



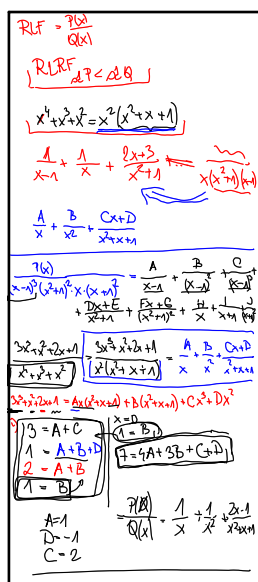
9 19-18:19



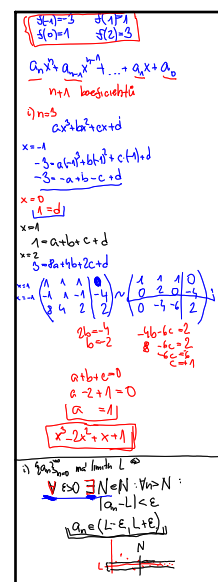
9 19-18:29



9 19-18:35



9 19-18:48



9 19-19:06

$(-N)^{\infty}$

$\forall \epsilon > 0 \quad (1 - \frac{\epsilon}{2}, 1 + \frac{\epsilon}{2})$

$\left\{ \frac{3+2n}{5-3n} \right\}_{n=1}^{\infty}$ konverguje

$\lim_{n \rightarrow \infty} \frac{3+2n}{5-3n} = \frac{2}{-3} = -\frac{2}{3}$

$\forall \epsilon > 0$

$\left| \frac{3+2n}{5-3n} - \left(-\frac{2}{3}\right) \right| < \epsilon$

$\left| \frac{3+2n}{5-3n} + \frac{2}{3} \right| < \epsilon$

$\left| \frac{3+2n}{5-3n} \right| < \epsilon$

$\frac{-19}{15-9n} < \epsilon$

$\frac{19}{9n-15} < \epsilon \quad n > 2$

$19 < \epsilon(9n-15)$

$19 < 9\epsilon n - 15\epsilon$

$\frac{19+15\epsilon}{9\epsilon} < n$

$N = \left\lceil \frac{19+15\epsilon}{9\epsilon} \right\rceil$

9 19-19:16

$\forall \epsilon > 0 \exists N \in \mathbb{N} : \forall n \in \mathbb{N} : n > N : a_n > k$

diverg k $\rightarrow \infty$

$\forall k < 0 \exists N \in \mathbb{N} : \forall n > N : a_n < k$

diverguje k $-\infty$

$a_n = 2 + \frac{3n-2}{5n+5}$

$\forall k > 0 \exists N$

$2 + \frac{3n-2}{5n+5} > k$

$\frac{3n-2}{5n+5} > k-2$

$\frac{3n}{5n+5} > k-2$

$\frac{3}{5} > k-2 \quad (2.5 > k)$

$\frac{3}{5} > k-2 \quad \log_{\frac{3}{5}} \frac{1}{k-2}$

$\log_{\frac{3}{5}} \frac{1}{k-2} > \log_{\frac{3}{5}} \frac{1}{k-2}$

$n > \log_{\frac{3}{5}} \frac{1}{k-2} = \frac{\log_{\frac{3}{5}} \frac{1}{k-2}}{\log_{\frac{3}{5}} \frac{3}{5}}$

9 19-19:24