- a A state where a is true, but b is not, is reachable.
- Whenever system receives a request Req then it generates an acknowledgement Ack eventually.
- Whenever system receives a request Req then it is possible that it will generate an acknowledgement Ack eventually.
- . In every run there are infinitely many b.

- $EF[a \land \neg b]$
- $AG[ \operatorname{Req} \implies AF \operatorname{repair} ]$
- $AG[ \operatorname{Req} \implies EF \operatorname{repair} ]$
- *AG*[*AF* b]

- All the paths lead to Rome.
  All the time if I have not died yet, then I have a chance to survive one more day.
- All the time if I get robbed then I can react by defending myself or not defending myself.

- AF Rome
- $AG[\neg Death \implies EX \neg Death]$
- AG[ Robbed ⇒ ( EX Defend ∧ EX ¬Defend )] do not confuse with AG[ Robbed ⇒ EX ( Defend ∧ ¬Defend )] or with AG[ Robbed ⇒ EX ( Defend ∨ ¬Defend )]

## └─CTL examples



- Whenever there is an error, it is in a repair mode until it gets operational.
- Whenever there is an error, it stays without error until it gets operational or it stays without error forever. Whenever there is an error, there is no other error in the subsequent state before getting operational.
- There is always an option/possibility to restart the system eventually.
- There is always an option/possibility to restart the system immediatelly.
- All paths has to satisfy the regular expression  $p^*q^*r$  in its prefix.

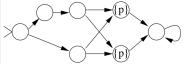
## CTL vs. LTL examples

Expanse in LTL:  $EF[ x \land \neg b]$ Compare the biblioning formulae:  $a \land C[F matter] \land c \subseteq (\neg C \neg matter]]$   $a \land C[ x \land D = x \land F = 1$ ,  $a \land C = x \rightarrow F = 1$   $a \land C[ AF = 1] \land C \land F = 1$   $a \land C[ AF = 1] \land C \land F = 1$   $a \land C[ AF = 1] \land C \land F = 1$   $a \land C[ AF = 1] \land C \land F = 1$ Expanse in CTL ( $CF \models \land CF = 1$ )  $\rightarrow \psi$ 

CTL vs. LTL examples

- AG[EF( restart)] not expressible in LTL
- $AG[ p \implies AF q ]$  vs.  $G[ p \implies Fq ]$  the same

- AF[AG p] vs. FG p different
- AG[AF p] vs. GF p the same
- AF[AX p] vs. FX p different



 $EF[a \land \neg b]$  - not directly, we can express (and check) its negation (GF p]  $\land$ G[F q])  $\implies \psi$  - fairness is not directly expressible in CTL

