



# Agenda



- Graph Databases: **Mission**, Data, Example
- A Bit of **Graph Theory**
  - Graph **Representations**
  - Algorithms: Improving Data **Locality** (efficient storage)
  - Graph **Partitioning** and **Traversal** Algorithms
- Graph Databases
  - **Transactional** databases
  - **Non-transactional** databases
- Neo4j
  - Basics, Native Java API, Cypher, Behind the Scene









# Basic Terminology

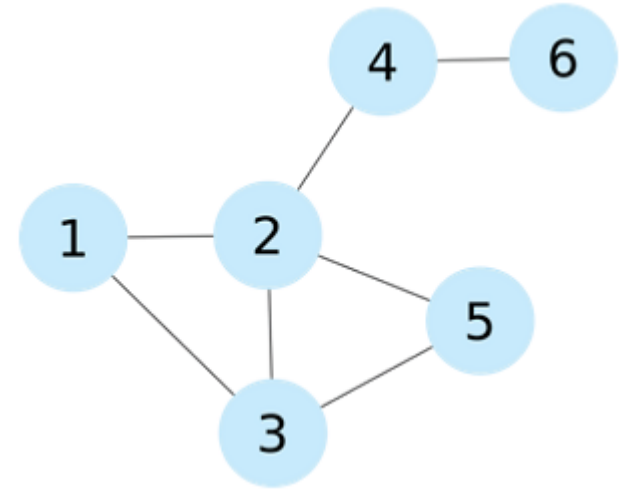


- Data: a **set** of entities and their **relationships**
  - => we need to **efficiently represent graphs**
- Basic **operations**:
  - finding the **neighbors** of a node,
  - **checking** if two nodes are connected by an edge,
  - **updating** the graph structure, ...
  - => we need **efficient graph operations**
- Graph  $G = (V, E)$  is usually **modelled** as
  - set of **nodes** (vertices)  $V$ ,  $|V| = n$
  - set of (directed) **edges**  $E = (V_1, V_2)$ ,  $|E| = m$
- Which **data structure** to use?

# Data Structure: Adjacency Matrix



- Two-dimensional **array**  $A$  of  $n \times n$  Boolean values
  - **Indexes** of the array = **node** identifiers of the graph
  - Boolean value  $A_{ij}$  indicates whether nodes  $i, j$  are **connected**

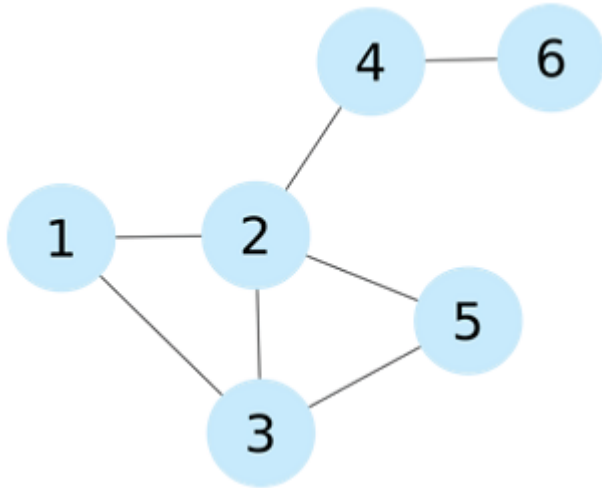


- **Variants:**
  - (Un)directed graphs
  - Weighted graphs...

$$\begin{pmatrix} 0 & 1 & 1 & 0 & 0 & 0 \\ 1 & 0 & 1 & 1 & 1 & 0 \\ 1 & 1 & 0 & 0 & 1 & 0 \\ 0 & 1 & 0 & 0 & 0 & 1 \\ 0 & 1 & 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 & 0 \end{pmatrix}$$



# Adjacency Matrix: Properties



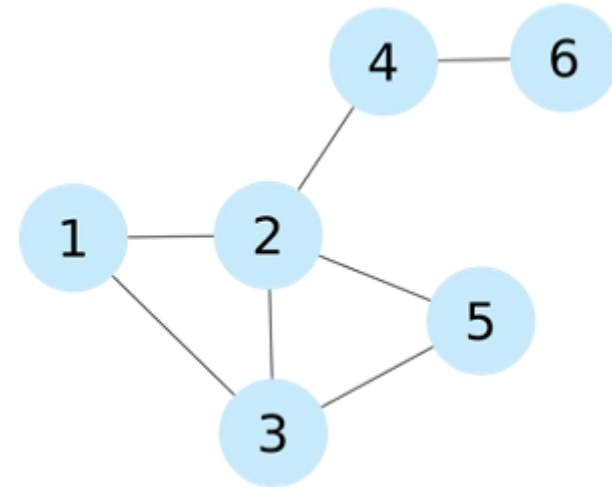
$$\begin{pmatrix} 0 & 1 & 1 & 0 & 0 & 0 \\ 1 & 0 & 1 & 1 & 1 & 0 \\ 1 & 1 & 0 & 0 & 1 & 0 \\ 0 & 1 & 0 & 0 & 0 & 1 \\ 0 & 1 & 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 & 0 \end{pmatrix}$$

- Pros:
  - Adding/removing **edges**
  - **Checking** if 2 nodes are connected
- Cons:
  - Quadratic **space**:  $O(n^2)$
  - We usually have **sparse** graphs
  - **Adding nodes** is expensive
  - Retrieval of **all** the **neighboring nodes** takes linear time:  $O(n)$

# Data Structure: Adjacency List



- A **set of lists**, each enumerating **neighbors** of one **node**
  - Vector of  $n$  pointers to adjacency lists
- **Undirected** graph:
  - An edge connects nodes  $i$  and  $j$
  - $\Rightarrow$  the adjacency list of  $i$  contains node  $j$  and **vice versa**
- Often **compressed**
  - Exploiting **regularities** in graphs



$N_1 \rightarrow \{N_2, N_3\}$

$N_2 \rightarrow \{N_1, N_3, N_5\}$

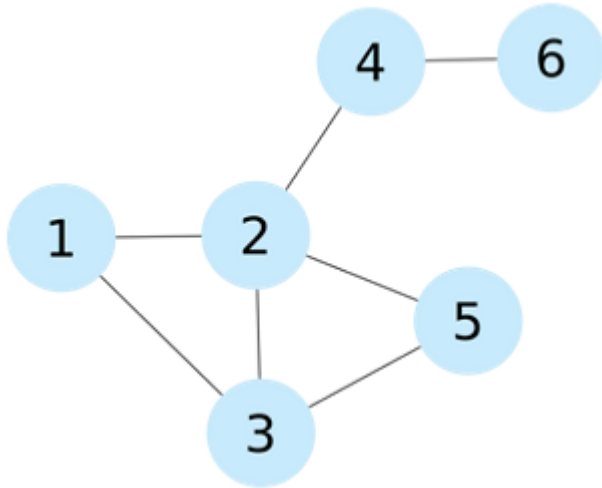
$N_3 \rightarrow \{N_1, N_2, N_5\}$

$N_4 \rightarrow \{N_2, N_6\}$

$N_5 \rightarrow \{N_2, N_3\}$

$N_6 \rightarrow \{N_4\}$

# Adjacency List: Properties



$N1 \rightarrow \{N2, N3\}$

$N2 \rightarrow \{N1, N3, N5\}$

$N3 \rightarrow \{N1, N2, N5\}$

$N4 \rightarrow \{N2, N6\}$

$N5 \rightarrow \{N2, N3\}$

$N6 \rightarrow \{N4\}$

## ● Pros:

- Getting the neighbors of a node
- Cheap **addition** of **nodes**
- More **compact** representation of **sparse** graphs

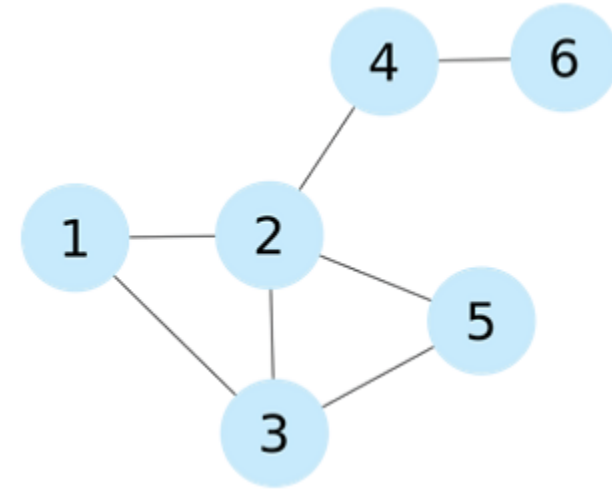
## ● Cons:

- **Checking** if there is an **edge** between two nodes
  - **Optimization:** sorted lists => logarithmic scan, but also logarithmic insertion

# Data Structure: Incidence Matrix

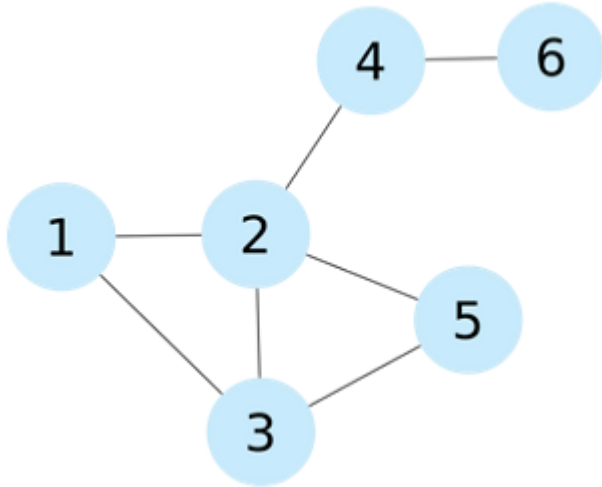


- Two-dimensional Boolean **matrix** of  $n$  rows and  $m$  columns
  - Each **row** represents a **node**
    - All edges that are connected to the node
  - Each **column** represents an **edge**
    - Nodes that are connected by a certain edge



$$\begin{pmatrix} 1 & 1 & 0 & 0 & 0 & 0 & 0 \\ 1 & 0 & 1 & 1 & 1 & 0 & 0 \\ 0 & 1 & 1 & 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 & 0 & 0 & 1 \\ 0 & 0 & 0 & 0 & 1 & 1 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 1 \end{pmatrix}$$

# Incidence Matrix: Properties



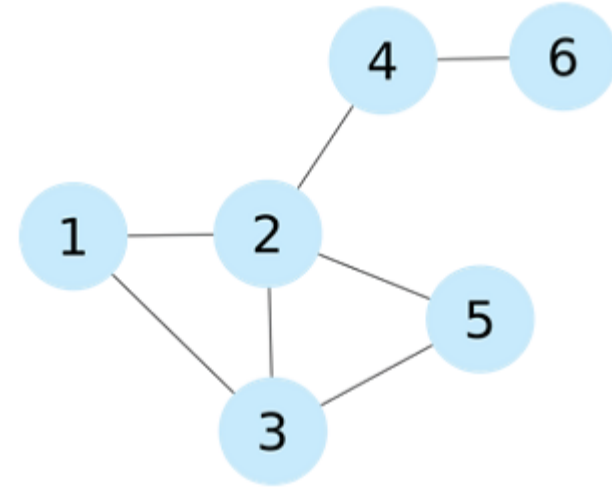
$$\begin{pmatrix} 1 & 1 & 0 & 0 & 0 & 0 & 0 \\ 1 & 0 & 1 & 1 & 1 & 0 & 0 \\ 0 & 1 & 1 & 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 & 0 & 0 & 1 \\ 0 & 0 & 0 & 0 & 1 & 1 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 1 \end{pmatrix}$$

- Pros:
  - Representation of **hypergraphs**
    - where one **edge** connects an **arbitrary** number of nodes
- Cons:
  - Requires  $n \times m$  bits (for most graphs  $m \gg n$ )
  - Listing neighborhood is slow

# Data Structure: Laplacian Matrix

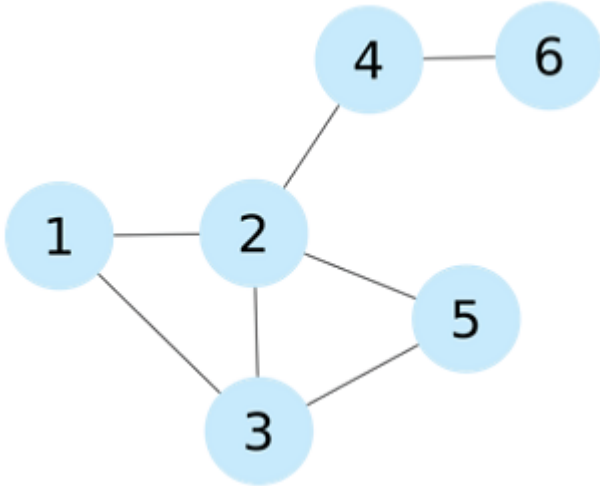


- Two-dimensional **array** of  $n \times n$  **integers**
  - Similar structure as **adjacency matrix**
  - **Diagonal** of the Laplacian matrix indicates the **degree** of the node
  - The **rest** of **positions** are set to **-1** if the two vertices are connected, **0** otherwise



$$\begin{pmatrix} 2 & -1 & -1 & 0 & 0 & 0 \\ -1 & 4 & -1 & -1 & -1 & 0 \\ -1 & -1 & 3 & 0 & -1 & 0 \\ 0 & -1 & 0 & 2 & 0 & -1 \\ 0 & -1 & -1 & 0 & 2 & 0 \\ 0 & 0 & 0 & -1 & 0 & 1 \end{pmatrix}$$

# Laplacian Matrix: Properties



$$\begin{pmatrix} 2 & -1 & -1 & 0 & 0 & 0 \\ -1 & 4 & -1 & -1 & -1 & 0 \\ -1 & -1 & 3 & 0 & -1 & 0 \\ 0 & -1 & 0 & 2 & 0 & -1 \\ 0 & -1 & -1 & 0 & 2 & 0 \\ 0 & 0 & 0 & -1 & 0 & 1 \end{pmatrix}$$

All features of adjacency matrix

- Pros:

- Analyzing the graph structure by means of spectral analysis
  - Calculating the number of spanning trees
  - Approximation of the sparsest cut of the graph
  - Calculate eigenvalues of the matrix
- A good summary: [Wikipedia](#)





# Basic Graph Algorithms



- **Access** all nodes reachable from a given source:
  - Breadth-first Search (BFS)
  - Depth-first Search (DFS)
- **Shortest** path between **two nodes**
- **Single-source shortest** path problem
  - BFS (unweighted),
  - Dijkstra (nonnegative weights),
  - Bellman-Ford algorithm
- **All-pairs shortest** path problem
  - Floyd-Warshall algorithm

# Improving Data Locality



- Performance of the **read/write** operations
  - Depends also on **physical organization** of the data
  - **Objective**: Achieve the best “data locality”
- **Spatial** locality:
  - if a data **item** has been **accessed**, the **nearby** data items are likely to be **accessed** in the following computations
    - e.g., during graph traversal
- **Strategy**:
  - in graph **adjacency matrix** representation, **exchange** rows and columns to improve the disk cache hit ratio
  - Specific **methods**: BFSL, Bandwidth of a Matrix, ...

# Data Locality: Example



$$\begin{pmatrix} 1 & 0 & 0 & 0 & 1 & 0 & 0 & 0 \\ 0 & 1 & 1 & 0 & 0 & 1 & 0 & 1 \\ 0 & 1 & 1 & 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 & 0 & 1 & 0 \\ 1 & 0 & 1 & 0 & 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 & 0 & 1 & 0 & 1 \\ 0 & 0 & 0 & 1 & 0 & 0 & 1 & 0 \\ 0 & 1 & 0 & 0 & 0 & 1 & 0 & 1 \end{pmatrix}$$

$$\begin{pmatrix} 1 & 1 & 0 & 0 & 0 & 0 & 0 & 0 \\ 1 & 1 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & 1 & 1 & 0 & 0 & 0 \\ 0 & 0 & 1 & 1 & 1 & 0 & 0 & 0 \\ 0 & 0 & 1 & 1 & 1 & 1 & 0 & 0 \\ 0 & 0 & 0 & 0 & 1 & 1 & 1 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1 & 1 & 1 \\ 0 & 0 & 0 & 0 & 0 & 0 & 1 & 1 \end{pmatrix}$$

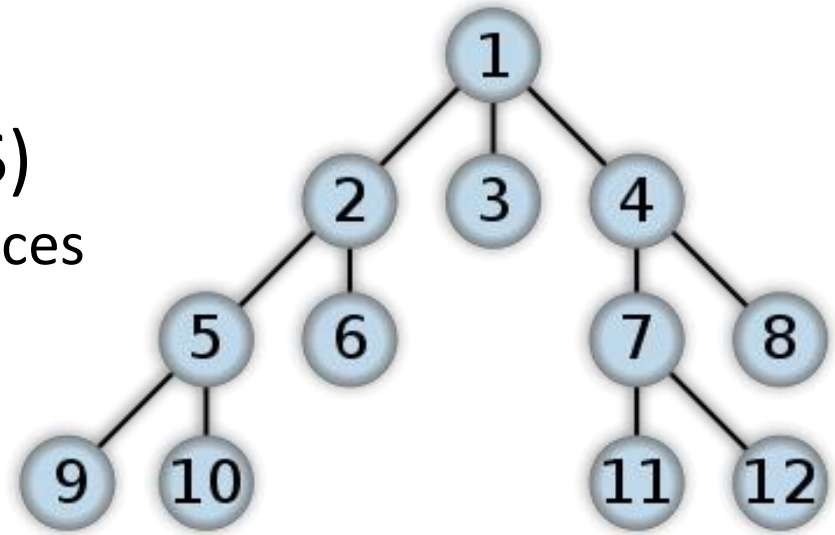
This matrix has **better** data **locality**, more **efficient** traversal



# Breadth First Search Layout (2)



- Let us recall:  
Breadth First Search (BFS)
  - FIFO **queue** of **frontier** vertices

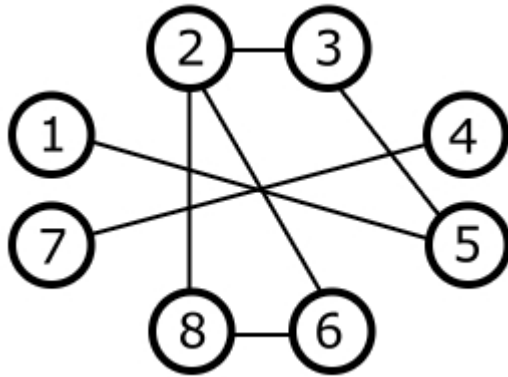


- Pros: **optimal** locality for traversal from the **root**
- Cons: starting traversal from **other nodes**
  - The further, the worse

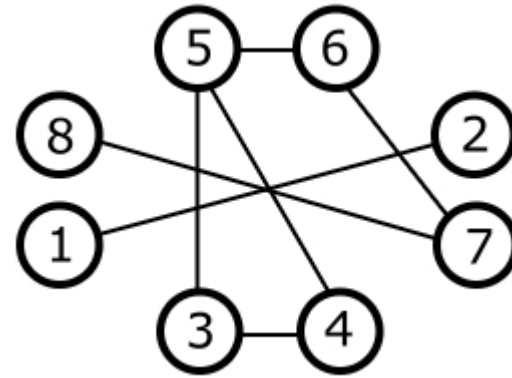
# Matrix Bandwidth: Motivation



- **Graph** represented by adjacency **matrix**



$$\begin{pmatrix} 1 & 0 & 0 & 0 & 1 & 0 & 0 & 0 \\ 0 & 1 & 1 & 0 & 0 & 1 & 0 & 1 \\ 0 & 1 & 1 & 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 & 0 & 1 & 0 \\ 1 & 0 & 1 & 0 & 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 & 0 & 1 & 0 & 1 \\ 0 & 0 & 0 & 1 & 0 & 0 & 1 & 0 \\ 0 & 1 & 0 & 0 & 0 & 1 & 0 & 1 \end{pmatrix}$$



$$\begin{pmatrix} 1 & 1 & 0 & 0 & 0 & 0 & 0 & 0 \\ 1 & 1 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & 1 & 1 & 0 & 0 & 0 \\ 0 & 0 & 1 & 1 & 1 & 0 & 0 & 0 \\ 0 & 0 & 1 & 1 & 1 & 1 & 0 & 0 \\ 0 & 0 & 0 & 0 & 1 & 1 & 1 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1 & 1 & 1 \\ 0 & 0 & 0 & 0 & 0 & 0 & 1 & 1 \end{pmatrix}$$





# Matrix Bandwidth: Formalization

- The minimum bandwidth problem
  - Bandwidth of a row in a matrix = the **maximum distance** between **nonzero elements**, where one is **left** of the diagonal and the other is **right** of the diagonal
  - Bandwidth of a matrix = **maximum** bandwidth of its rows
- **Low bandwidth** matrices are more **cache friendly**
  - Non zero elements (**edges**) **clustered** about the diagonal
- Bandwidth minimization problem: **NP hard**
  - For large matrices the solutions are only **approximated**



# A Bit of a Theory

## Graph partitioning

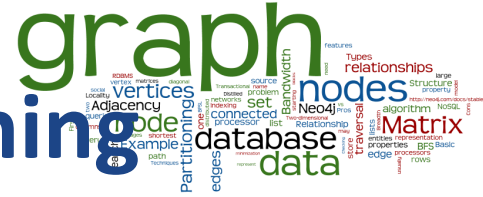


# Graph Partitioning



- Some graphs are **too large** to be fully loaded into the **main memory** of a **single** computer
  - Usage of **secondary** storage **degrades** the **performance**
  - Scalable **solution**: **distribute** the graph on multiple nodes
- We need to **partition** the graph reasonably
  - Usually for a particular (set of) operation(s)
    - The shortest path, finding frequent patterns, **BFS**, spanning tree search

# Example: 1-Dimensional Partitioning



- Aim: **Partition** the graph to solve BFS efficiently
  - Distributed into shared-nothing parallel system
  - Partitioning of the **adjacency matrix**
- **1D partitioning of Adjacency Matrix:**
  - Matrix **rows** are randomly assigned to the  $P$  nodes (processors) in the system
  - Each **vertex** (and its **edges**) are **owned** by one processor

|    | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 | 12 |
|----|---|---|---|---|---|---|---|---|---|----|----|----|
| 1  | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1  | 1  | 0  |
| 2  | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 1 | 0 | 0  | 0  | 0  |
| 3  | 0 | 1 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0  | 0  | 0  |
| 4  | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0  | 0  | 1  |
| 5  | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0  | 0  | 1  |
| 6  | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0  | 1  | 0  |
| 7  | 0 | 0 | 1 | 0 | 0 | 1 | 0 | 1 | 0 | 1  | 1  | 0  |
| 8  | 0 | 1 | 1 | 0 | 0 | 0 | 1 | 0 | 0 | 0  | 0  | 0  |
| 9  | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0  | 1  | 1  |
| 10 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0  | 1  | 0  |
| 11 | 1 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 1 | 1  | 0  | 0  |
| 12 | 0 | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 1 | 0  | 0  | 0  |

Starting BFS traversal at node 1:

1. (at black) 1 -> 10, 11  
visit green server
2. (at green) 10, 11 ->
  - a. 1, back to black
  - b. 6, visit red
  - c. 7,9, visit blue
  - d. 10, 11, myself
3. (at red) 6 -> 7  
visit blue
3. (at blue) 7,9 ->
  - a. 3, back to black ...
  - b. 6, back to red
  - c. 8 -> 2,3, back to black
  - d. 10,11,12, back to green





# Graph Databases

# Types of Graphs



- Single-relational graphs
  - Edges are **homogeneous** in meaning
    - e.g., all edges represent friendship
- Multi-relational (property) graphs
  - **Edges** are **typed** or labeled
    - e.g., friendship, business, communication
  - Vertices and edges maintain a **set** of key/value pairs
    - Representation of non-graphical data (**properties**)
    - e.g., name of a vertex, the weight of an edge

# Graph Databases



- A graph **database** = a **set** of graphs
- **Types** of graph **databases**:
  - **Transactional** = a **large set** of **small** graphs
    - e.g., chemical compounds, biological pathways, ...
    - Searching for graphs that match the query
  - **Non-transactional** = **few** numbers of **very large** graphs
    - or one huge (not necessarily connected) graph
    - e.g., Web graph, social networks, ...

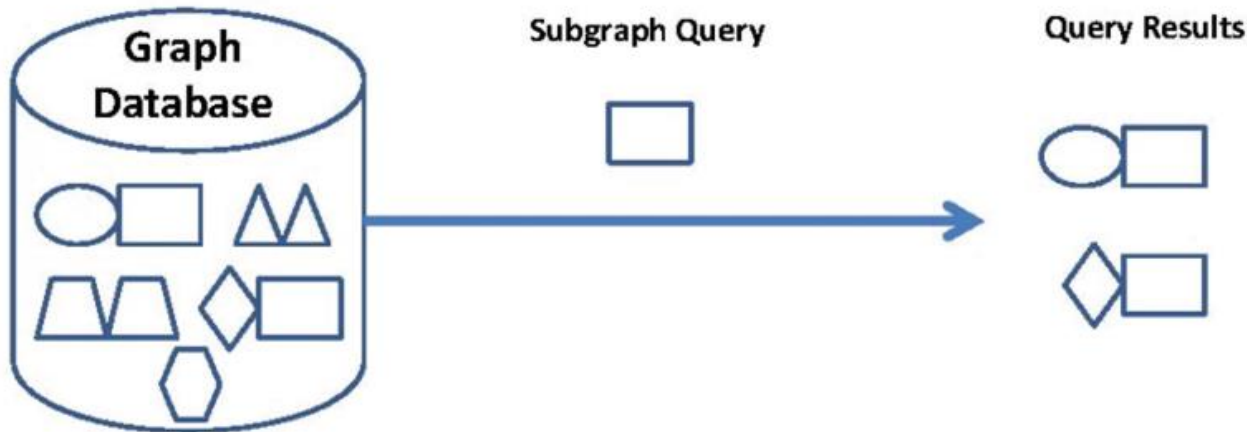
# Transactional DBs: Queries



- Types of Queries

- Subgraph queries

- Searches for a specific **pattern** in the graph database
    - Query = a **small graph**
      - or a graph, where some parts are uncertain, e.g., vertices with wildcard labels
    - More **general** type: allow sub-graph **isomorphism**







# Indexing & Query Evaluation



- **Extract** certain **characteristics** from each graph
  - And **index** these characteristics for each  $G_1, \dots, G_n$
- **Query** evaluation in transactional graph DB
  1. Extraction of the **characteristics** from **query** graph  $q$
  2. **Filter** the database (index) and identify a **candidate** set
    - **Subset** of the  $G_1, \dots, G_n$  graphs that should contain the answer
  3. **Refinement** - check all candidate graphs

# Subgraph Query Processing



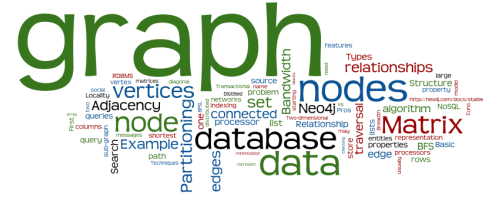
## 1. Mining-based Graph Indexing Techniques

- Idea: if **some features** of query graph  $q$  do not exist in data graph  $G$ , then  $G$  cannot contain  $q$  as its subgraph
- Apply graph-mining methods to **extract** some **features** (sub-structures) from the graph database members
  - e.g., frequent sub-trees, frequent sub-graphs
- An inverted **index** is created for each **feature**

## 2. Non Mining-Based Graph Indexing Techniques

- Indexing of the **whole constructs** of the graph database
  - Instead of indexing only some selected features

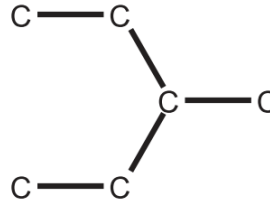
# Mining-based Technique



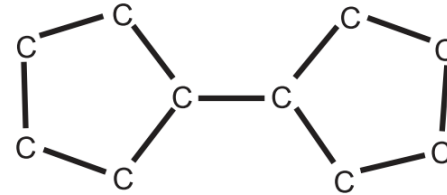
- Example method: GIndex [2004]
  - Indexing “frequent **discriminative** graphs”
  - Build **inverted** index for selected discriminative subgraphs



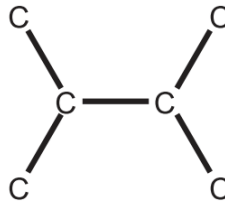
G<sub>1</sub>



G<sub>2</sub>



G<sub>3</sub>



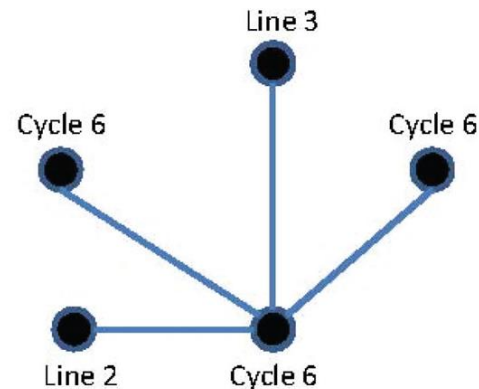
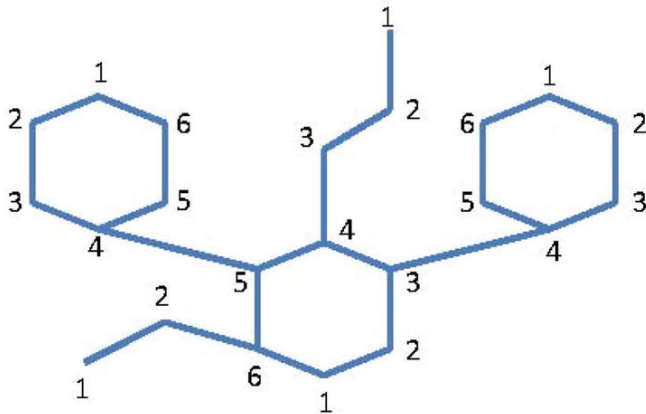
G<sub>d</sub>

# Non Mining-based Techniques



- **Example: GString (2007)**

- Model the graphs in the context of organic chemistry using basic structures
  - **Line** = series of vertices connected end to end
  - **Cycle** = series of vertices that form a close loop
  - **Star** = core vertex directly connects to several vertices

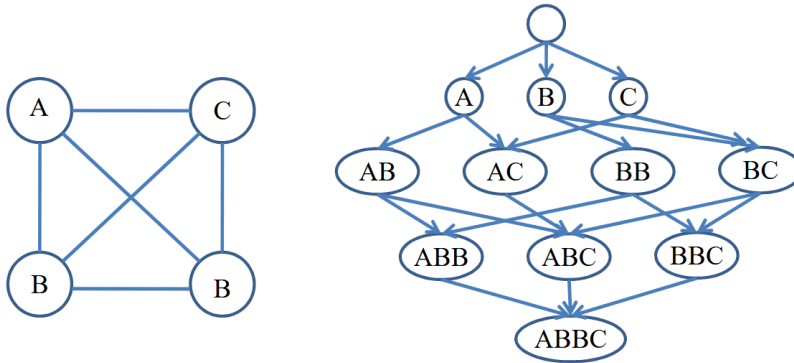


# Non Mining-based Techniques



- GDIndex (2007)

- all connected and induced subgraphs of a given graph are enumerated (at most  $2^n$ )
- due to isomorfisms, there much less subgraphs.
  - if all labels are identical, a complete graph of size n is decomposed into just n+1 subgraphs.





# Graph Databases

## Non-transactional Databases

# Non-transactional Databases

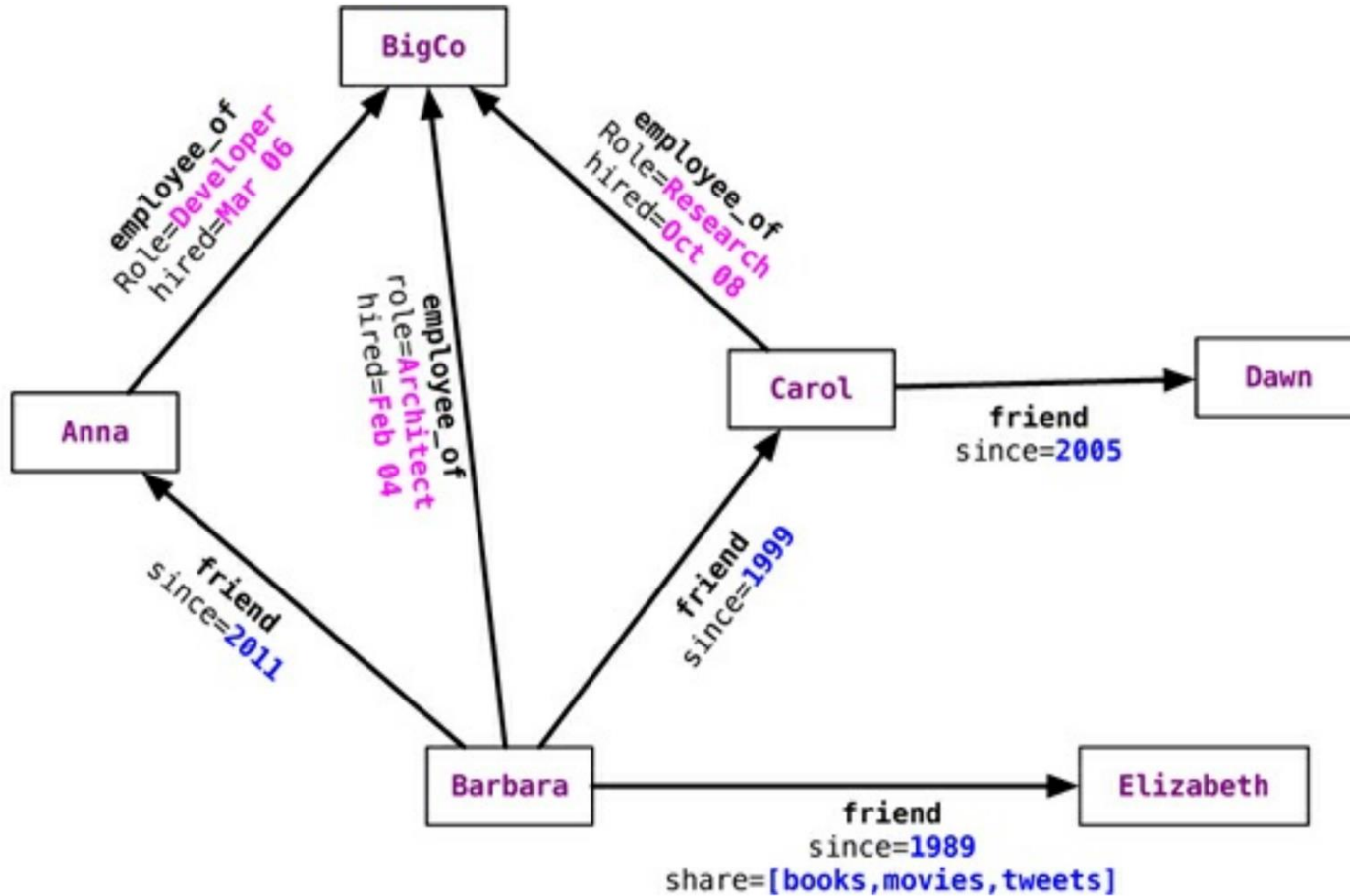


- A **few** very **large** graphs
  - e.g., Web graph, social networks, ...
- Queries:
  - Nodes/edges with properties
  - Neighboring nodes/edges
  - Paths (all, shortest, etc.)
- Our example: Neo4j





# Relationship Properties: Example

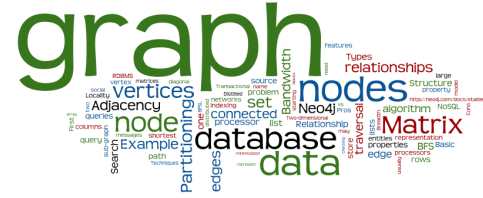




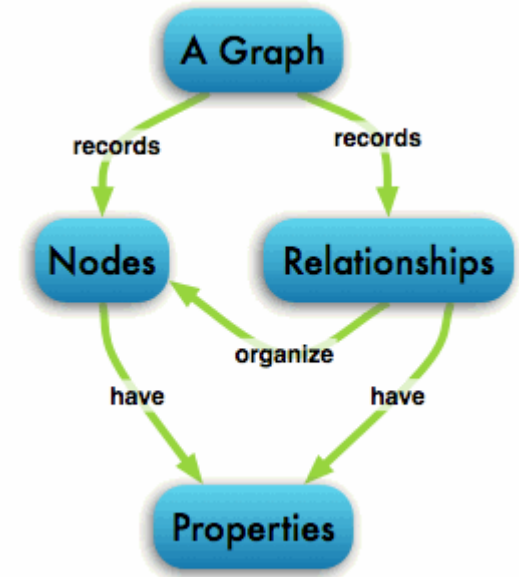


# Neo4J: Basics & Concepts

# Neo4j: Basic Info



- **Open source** graph database
  - The most **popular**
- Initial release: 2007
- Written in: **Java**
- OS: cross-platform
- Stores data as **nodes** connected by directed, typed **relationships**
  - With properties on both nodes and relationships

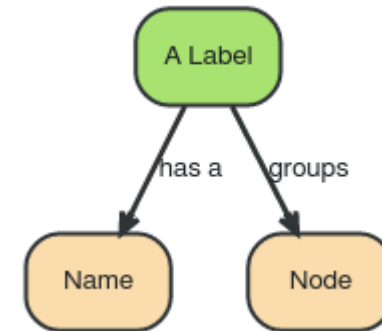
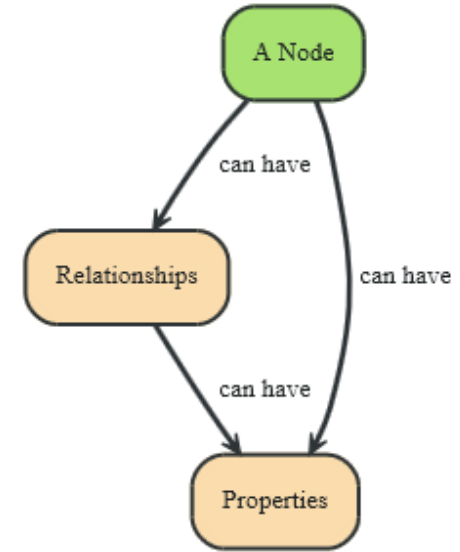




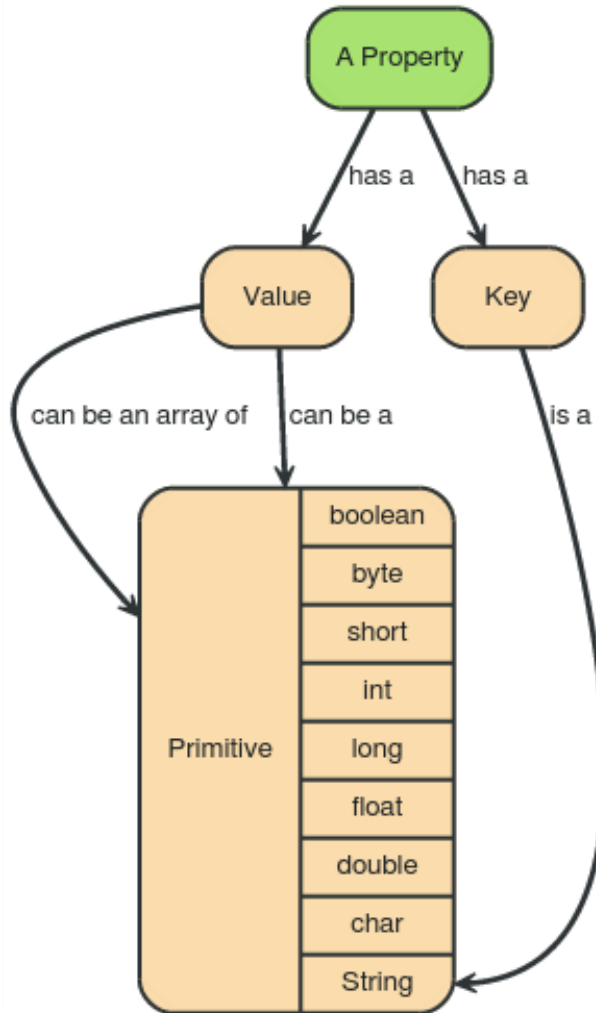
# Data Model: Nodes



- Fundamental unit: **node**
- Nodes have **properties**
  - **Key-value** pairs
  - **null** is **not** a **valid** property value
    - nulls can be modelled by the absence of a key
- Nodes have **labels**
  - labels typically express "type of node"



# Data Model: Properties



| Type     | Description  |
|----------|--|
| boolean  | true/false   |
| byte     | 8-bit integer  |
| short    | 16-bit integer   |
| int      | 32-bit integer   |
| long     | 64-bit integer   |
| float    | 32-bit IEEE 754 floating-point number                    |
| double   | 64-bit IEEE 754 floating-point number                    |
| char     | 16-bit unsigned integer representing a Unicode character |
| String   | sequence of Unicode characters                           |
| DateTime | temporal types...  |



# Data Model: Relationships



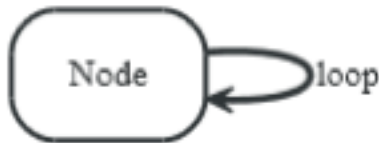
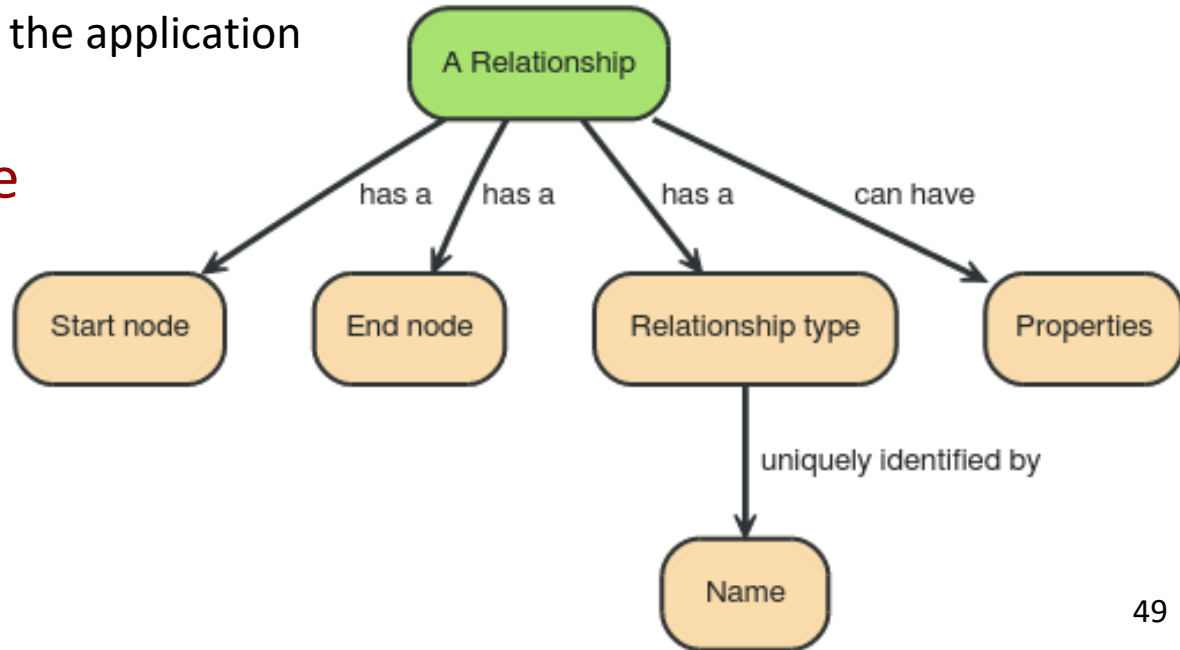
- **Directed relationships (edges)**

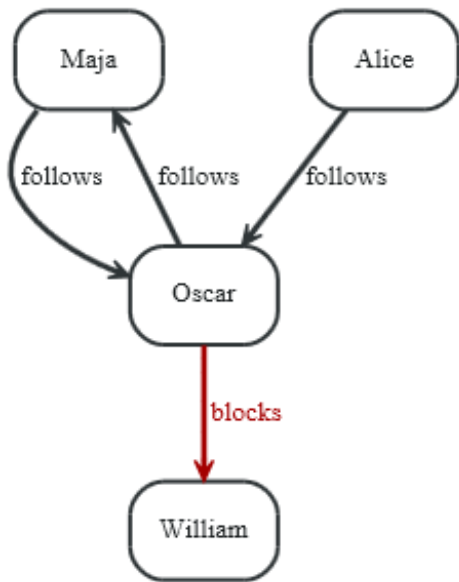
- Incoming and outgoing **edge**

- Equally **efficient traversal** in both directions
    - Direction **can be ignored** if not needed by the application

- Always **a start** and **an end node**

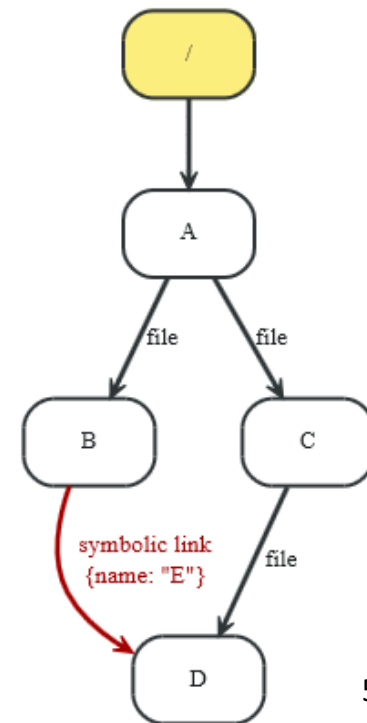
- Can be recursive





| What                          | How  |
|-------------------------------|--|
| get who a person follows      | outgoing <i>follows</i> relationships, depth one |
| get the followers of a person | incoming <i>follows</i> relationships, depth one |
| get who a person blocks       | outgoing <i>blocks</i> relationships, depth one  |

| What   | How  |
|--|--|
| get the full path of a file                            | incoming <i>file</i> relationships                                     |
| get all paths for a file                               | incoming <i>file</i> and <i>symbolic link</i> relationships            |
| get all files in a directory                           | outgoing <i>file</i> and <i>symbolic link</i> relationships, depth one |
| get all files in a directory, excluding symbolic links | outgoing <i>file</i> relationships, depth one                          |
| get all files in a directory, recursively              | outgoing <i>file</i> and <i>symbolic link</i> relationships            |



# Access to Neo4j



- **Embedded** database in Java system
- **Language**-specific connectors
  - **Libraries** to connect to a running Neo4j server
- **Cypher** query language
  - Standard language to **query** graph data
- HTTP **REST** API
- **Gremlin** graph traversal language (plugin)
- etc.



# Neo4J: Native Java API & Graph Traversal

# Native Java Interface: Example



```
Node irena = graphDb.createNode();
irena.setProperty("name", "Irena");
Node jirka = graphDb.createNode();
jirka.setProperty("name", "Jirka");
```

```
Relationship i2j = irena.createRelationshipTo(jirka, FRIEND);
Relationship j2i = jirka.createRelationshipTo(irena, FRIEND);
```

```
i2j.setProperty("quality", "a good one");
j2i.setProperty("since", 2003);
```

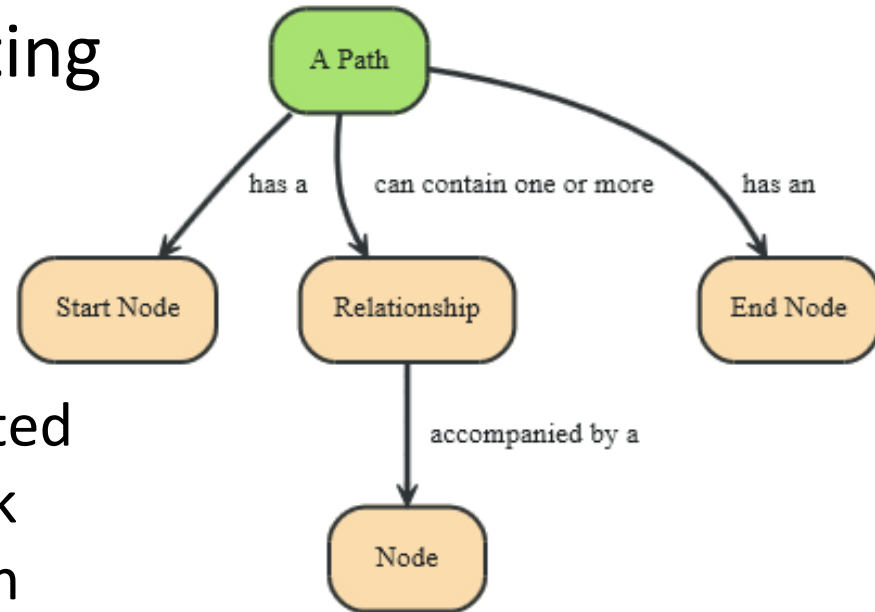
- **Undirected** edge:

- Relationship between the nodes in **both directions**
- **INCOMING** and **OUTGOING** relationships from a node

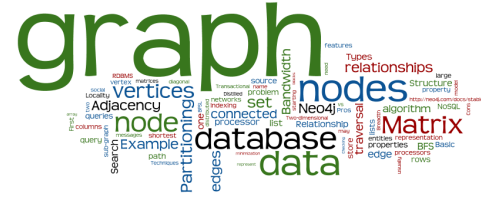
# Data Model: Path & Traversal



- **Path** = specific nodes + connecting relationships
  - Path can be a **result** of a query or a traversal
- **Traversing a graph** = visiting its nodes, following relationships according to some **rules**
  - Typically, a subgraph is visited
  - Neo4j: Traversal framework in Java API, Cypher, Gremlin



# Traversal Framework



- A **traversal** is influenced by
  - Starting **node(s)** where the traversal begins
  - **Expanders** – define what to traverse
    - i.e., relationship direction and type
  - **Order** – depth-first / breadth-first
  - **Uniqueness** – visit nodes (relationships, paths) only once
  - **Evaluator** – what to return
    - and whether to stop or continue beyond current position

Traversal = TraversalDescription + **starting** node(s)

# Traversal Framework – Java API



- `org.neo4j...TraversalDescription`
  - The main **interface** for defining **traversals**
    - Can specify branch ordering `breadthFirst()` / `depthFirst()`
- `.relationships()`
  - Specify the **relationship types** to traverse
    - e.g., traverse only edge types: `FRIEND`, `RELATIVE`
    - Empty (default) = traverse all relationships
  - Can also specify **direction**
    - `Direction.BOTH`
    - `Direction.INCOMING`
    - `Direction.OUTGOING`



# Traversal Framework – Java API (2)



- `org.neo4j...Evaluator`
  - Used for deciding at each node: **should** the traversal **continue**, and should the node be included in the result
    - `INCLUDE_AND_CONTINUE`: Include this node in the result and continue the traversal
    - `INCLUDE_AND_PRUNE`: Include this node, do not continue traversal
    - `EXCLUDE_AND_CONTINUE`: Exclude this node, but continue traversal
    - `EXCLUDE_AND_PRUNE`: Exclude this node and do not continue
  - **Pre-defined** evaluators:
    - `Evaluators.toDepth(int depth) /`  
`Evaluators.fromDepth(int depth),`
    - `Evaluators.excludeStartPosition()`
    - ...

# Traversal Framework – Java API (3)



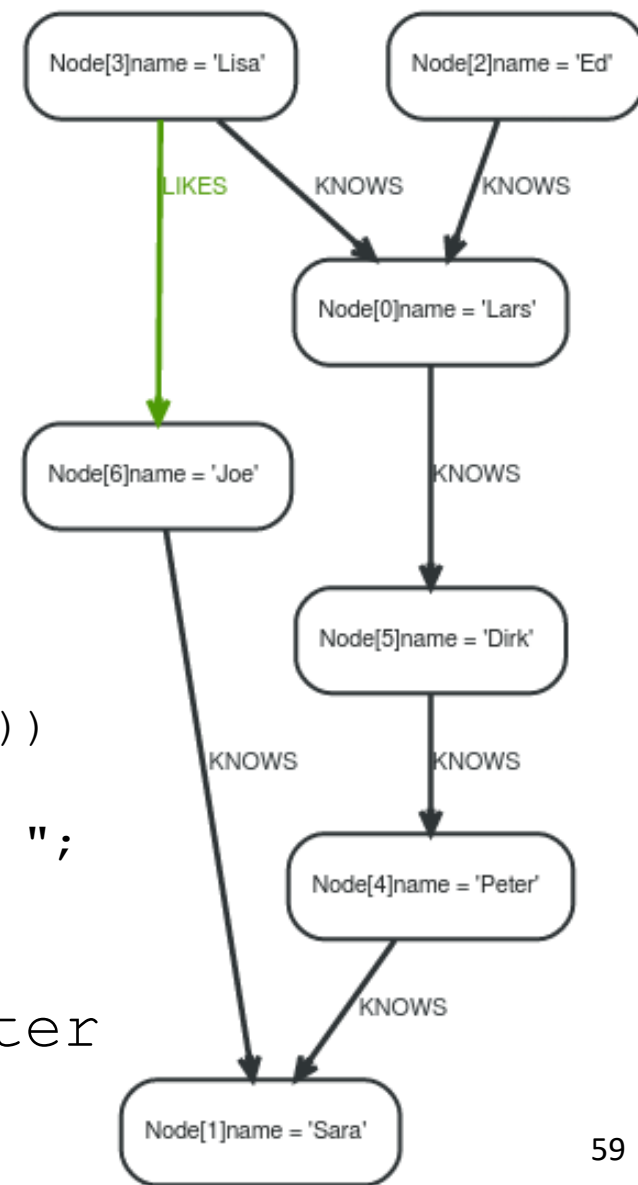
- `org.neo4j...Uniqueness`
  - Indicates under what circumstances a **traversal** may **revisit** the same position in the graph
  
- `Traverser`
  - **Starts** actual **traversal** given a `TraversalDescription` and **starting** node(s)
  - Returns an **iterator** over “steps” in the traversal
    - Steps can be: Path (default), Node, Relationship
  - The graph is actually traversed “**lazily**” (on request)

# Example of Traversal

```
TraversalDescription desc =
    db.traversalDescription()
      .depthFirst()
      .relationships( Rels.KNOWS,
                    Direction.BOTH )
      .evaluator(Evaluators.toDepth(3));
```

```
// node is 'Ed' (Node[2])
for (Node n : desc.traverse(node).nodes())
{
    output += n.getProperty("name") + ", ";
}
```

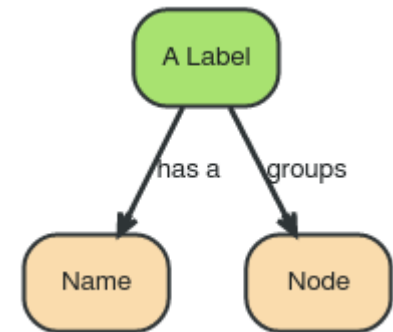
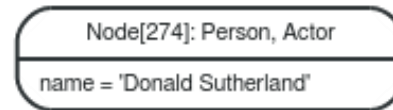
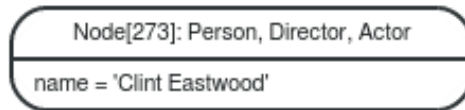
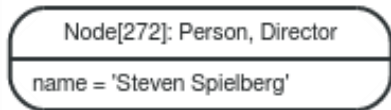
**Output:** Ed, Lars, Lisa, Dirk, Peter



# Access to Nodes



- How to **get to the starting** node(s) before traversal
  1. Using **internal identifiers** (generated IDs)
    - **not recommended** - Neo4j generates IDs for memory objs and reuses IDs
  2. Using **properties** of nodes
    - one of the properties is typically “ID” (user-specified ID)
    - recommended, properties can be **indexed**
      - automatic indexes
  3. Using **“labels”**
    - group nodes into **“subsets”** (named graph)
    - a node can have **more** than one label
      - belong to more subsets





# Neo4J: Cypher Language

# Cypher Language



- Neo4j graph **query language**
  - For querying and updating
- **Declarative** – we say **what** we want
  - **Not how** to get it
  - **Not** necessary to express **traversals**
- **Human-readable**
- Inspired by SQL and SPARQL
- Still growing = syntax changes are often



# Cypher: Creating Nodes (Examples)



```
CREATE (n);
```

*(create a node, assign to var n)*

```
Created 1 node, returned 0 rows
```

```
CREATE (a: Person {name : 'David'})
```

```
RETURN a;
```

*(create a node with label 'Person' and  
'name' property 'David')*

```
Created 1 node, set 1 property, returned  
1 row
```



# Cypher: Creating Relationships



```
MATCH (a {name:'John'}), (b {name:'Jack'})
```

```
CREATE a-[r:Friend]->b
```

```
RETURN r ;
```

*(create a relation Friend between John and Jack)*

Created 1 relationship, returned 1 row

```
MATCH (a {name:'John'}), (b {name:'Jack'})
```

```
CREATE p = a-[:Friend {name: a.name + '->' + b.name }]->b
```

```
RETURN p
```

*(set property 'name' of the relationship)*

Created 0 nodes, set 1 property, returned 1 row

# Cypher: Queries



```
MATCH (p: Person)
WHERE p.age >= 18 AND p.age < 30
RETURN p.name
```

*(return names of all adult people under 30)*

```
MATCH (user: Person {name: 'Andres'})-[:Friend]->(follower)
RETURN user.name, follower.name
```

*(find all 'Friends' of 'Andres')*

# Cypher: Queries (2)



```
MATCH (andres: Person {name: 'Andres'})-[*1..3]-(node)  
RETURN andres, node ;
```

*(find all 'nodes' within three hops from 'Andres')*

```
MATCH p=shortestPath(  
  (andres:Person {name: 'Andres'})-[*]-(david {name:'David'})  
)  
RETURN p ;
```

*(find the shortest connection between 'Andres' and 'David')*



# Neo4J: Behind the Scene

# Neo4j Internals: Indexes



```
CREATE INDEX ON :Person(name);
```

*(Create index on property name of nodes with label Person)*

```
Indexes added: 1
```

- Since Neo4j v. 2, indexes are used **automatically**
  - Can be specified **explicitly** (which index to use)

```
MATCH (n:Person)
```

```
USING INDEX n:Person(surname)
```

```
WHERE n.surname = 'Taylor'
```

```
RETURN n
```

# Neo4j Internals: Transactions



- Transactions in Neo4j
  - Support for **ACID** properties
  - All **write** operations **must** be performed in a **transaction**
  - Default transaction **isolation level**: **Read committed**
    - Operation can see the last committed value
    - **Reads** do **not** block or take **any locks**
    - If the same **row** is retrieved **twice** within a transaction, the values in the row **CAN differ**
  - **Higher** level of isolation can be **achieved**
    - By explicit acquiring the read locks





# Graph Databases: When (not) to Use



# Graph DBs: Suitable Use Cases



- Connected Data
  - Social networks
  - Any link-rich domain is well suited for graph databases
- Routing, Dispatch, and Location-Based Services
  - Node = location or address that has a delivery
  - Graph = nodes where a delivery has to be made
  - Relationships = distance
- Recommendation Engines
  - “your friends also bought this product”
  - “when buying this item, these others are usually bought”

# Graph DBs: Modeling Issues



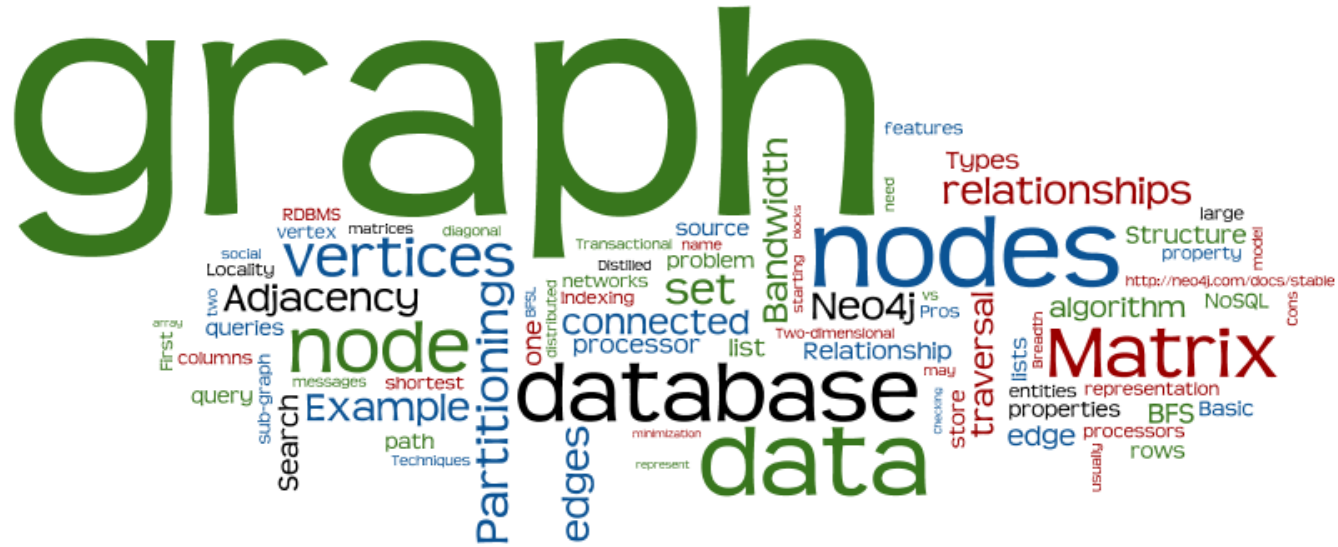
- Node modeling:
  - tradeoff between placing all attributes and properties in a single node,
  - and separating each attribute into an individual node.
- Relationship modeling:
  - “unlabeled” all,
    - e.g., person **connected\_to** person/address/product
  - versus semantic meaning encoded labels
    - e.g., person **peters\_work\_colleague** person,  
person **peters\_home\_address** address

# Graph DBs: When Not to Use



- If we want to **update** all or a **subset** of entities
  - Changing a property on many nodes is not straightforward
    - e.g., analytics solution where all entities may need to be updated with a changed property
  - No BLOBs (large binary objects) in byte arrays.
- **Some** graph databases may be **unable** to handle **lots** of data
  - **Distribution** of a graph is **difficult**

# Questions?



# References

- I. Holubová, J. Kosek, K. Minařík, D. Novák. Big Data a NoSQL databáze. Praha: Grada Publishing, 2015. 288 p.
- RNDr. Irena Holubova, Ph.D. MMF UK course NDBI040: Big Data Management and NoSQL Databases
- Sherif Sakr - Eric Pardede: Graph Data Management: Techniques and Applications
- Sadalage, P. J., & Fowler, M. (2012). NoSQL Distilled: A Brief Guide to the Emerging World of Polyglot Persistence. Addison-Wesley Professional, 192 p.
- <http://neo4j.com/docs/stable/>