

## Stata Textbook Examples

### Applied Regression Analysis by John Fox

#### Chapter 15: Beyond Linear Least Squares

#### Section 15.1 Models for Dichotomous Data

Figure 15.1 on page 440 on data file **chile**.

```
use http://www.ats.ucla.edu/stat/stata/examples/ara/chile, clear
gen voting=1 if (intvote==1)
replace voting = 0 if (intvote==2)
```

```
regress voting statquo
predict y, xb
```

```
logistic voting statquo
predict pred, p
```

```
ksm voting statquo, lowess gen(kp) bwidth(.4) nograph
```

```
sort statquo
graph voting y pred kp statquo, jitter(1) connect(.lll) symbol(Oiii)
```

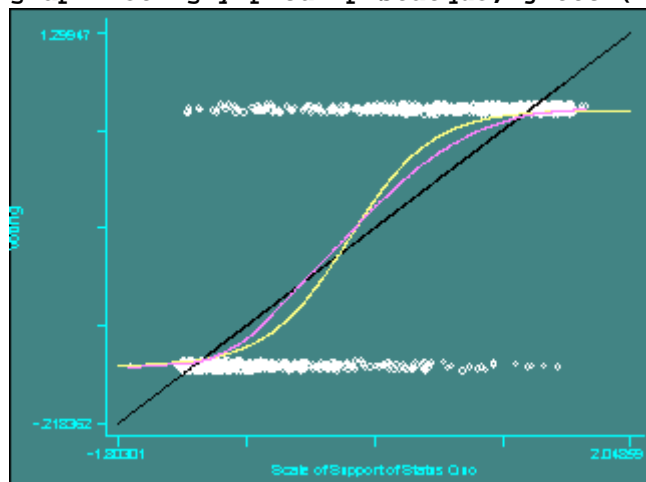


Table 15.1 and 15.2 on page 452 using data file **womenlf**.

```
use http://www.ats.ucla.edu/stat/stata/examples/ara/womenlf, clear
```

\* Generating a new work status variable and an interaction variable

```
gen ws = 1 if( workstat==1 | workstat==2)
replace ws=0 if ( workstat==0)
gen ik = husbinc*chilpres
```

\* Contrast between model 1 and 0 is the overall likelihood ratio of  
\* model 1 and the p-value is the overall Prob > chi2

```
xi: logistic ws husbinc i.chilpres i.region ik /*model 1 */
```

(Some output omitted here.)

Logit estimates	Number of obs	=
263		
	LR chi2(7)	=
39.61		
	Prob > chi2	=
0.0000		
Log likelihood = -158.27076	Pseudo R2	=
0.1112		

(More output is omitted.)

**lrtest, saving(m1)/\* saving for further contrast test \*/**

**display -2\*e(l1) /\* displaying deviance \*/**  
316.54152

**logistic ws /\* model 0 \*/**  
**display -2\*e(l1)/\* displaying deviance \*/**  
356.15089

**xi: logistic ws husbinc i.chilpres i.region /\* model 2 \*/**  
**display -2\*e(l1)**  
317.30107

**lrtest, saving(m2)**  
**lrtest, using(m1) /\* contrast 2-1 \*/**

Logistic: likelihood-ratio test	chi2(1)	=
0.76		
	Prob > chi2	=
0.3835		

**xi: logistic ws husbinc ik i.chilpres /\* model 3 \*/**

**display -2\*e(l1)**  
319.12422

**lrtest, using(m1)/\* constrast 3-1 \*/**

Logistic: likelihood-ratio test	chi2(4)	=
2.58		
	Prob > chi2	=
0.6299		

**xi: logistic ws husbinc i.region /\* model 4 \*/**

**display -2\*e(l1)**  
347.84936

**lrtest, using(m2)/\* contrast 4-2 \*/**

Logistic: likelihood-ratio test	chi2(1)	=
30.55		
	Prob > chi2	=
0.0000		

**xi: logistic ws i.chilpres i.region /\* model 5 \*/**

**display -2\*e(l1)**  
322.4267

**lrtest, using(m2)/\* contrast 5-2 \*/**

```

Logistic: likelihood-ratio test          chi2(1)      =
5.13                                     Prob > chi2 =
0.0236

```

Figure 15.4 and formula on page 453. In order to add some text to the graph, we borrowed a program from Stata manual called **addtext** (see page 64 of Stata 6 Graphics Manual).

```
xi: logistic ws i.chilpres husbinc
```

```
i.chilpres          Ichilp_0-1  (naturally coded; Ichilp_0 omitted)
```

```

Logit estimates          Number of obs   =
263                      LR chi2(2)      =
36.42                    Prob > chi2     =
0.0000                   Pseudo R2      =
Log likelihood = -159.86627
0.1023

```

```
-----
```

	ws	Odds Ratio	Std. Err.	z	P> z	[95% Conf. Interval]
Ichilp_1		.2068734	.0604614	-5.391	0.000	.1166622
.3668421						
husbinc		.9585741	.0189607	-2.139	0.032	.9221229
.9964661						

```
-----
```

```
logit
```

```

Logit estimates          Number of obs   =
263                      LR chi2(2)      =
36.42                    Prob > chi2     =
0.0000                   Pseudo R2      =
Log likelihood = -159.86627
0.1023

```

```
-----
```

	ws	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]
Ichilp_1		-1.575648	.2922629	-5.391	0.000	-2.148473 -
1.002824						
husbinc		-.0423084	.0197801	-2.139	0.032	-.0810767 -
.0035401						
_cons		1.33583	.3837632	3.481	0.000	.5836677
2.087992						

```
-----
```

```
predict pw, p
```

```
xi: regress ws i.chilpres husbinc
```

i.chilpres                    Ichilp\_0-1    (naturally coded; Ichilp\_0 omitted)

Source	SS	df	MS	Number of obs =
263				
-----				F( 2, 260) =
20.43				
Model	8.64321054	2	4.32160527	Prob > F =
0.0000				
Residual	55.0069796	260	.211565306	R-squared =
0.1358				
-----				Adj R-squared =
0.1291				
Total	63.6501901	262	.242939657	Root MSE =
.45996				

ws	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
Ichilp_1	-.3673736	.061906	-5.934	0.000	-.4892745 -
.2454727					
husbinc	-.0085375	.0039351	-2.170	0.031	-.0162863 -
.0007887					
_cons	.7936535	.0766814	10.350	0.000	.6426578
.9446491					

```
predict lw, xb
gen pw1=pw if(chilpres==1)
gen pw2=pw if(chilpres==0)
gen lw1=lw if(chilpres==1)
gen lw2=lw if(chilpres==0)
sort husbinc
graph pw1 pw2 lw1 lw2 husbinc, connect(1111) symbol(iiii)
program define addtext, rclass
```

```
local y1 =.15
local x1 =10
local y2 =.75
local x2 =30
```

```
gph open
graph
local ay=r(ay)
local ax=r(ax)
local by=r(by)
local bx=r(bx)
local r1 = `ay'*`y1' + `by'
local c1 = `ax'*`x1' + `bx'
local r2 = `ay'*`y2' + `by'
local c2 = `ax'*`x2' + `bx'
gph pen 1
gph text `r1' `c1' 0 0 Children Present
gph text `r2' `c2' 0 0 Children Absent
gph close
```

end

addtext

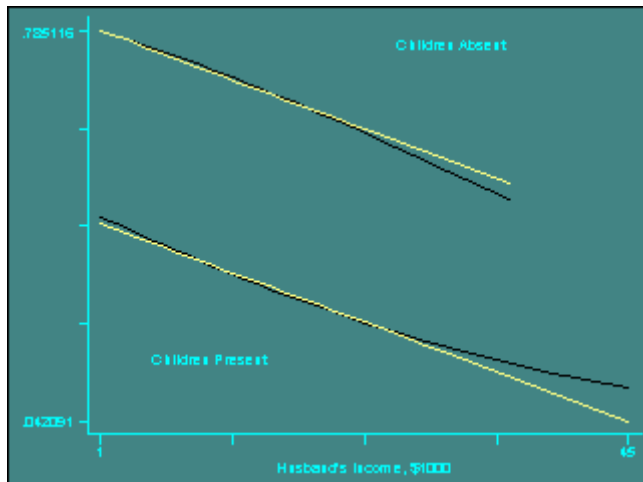


Figure 15.5 on page 459. We can't get the exact lowess smooth as in the book as it needs more than one iterative reweighting steps as there are outliers in the data and Stata's command `ksm` does not have an option on that yet. See the corresponding part of SAS for a better lowess smoothing result.

```
logistic ws chilpres husbinc
predict prob
gen par=(ws-prob)/(prob*(1-prob))-.0423*husbinc /*creating partial
residual*/
ksm par husbinc, lowess bwidth(0.9) gen(kprob) nog /*lowess smoothing*/
reg par husbinc
predict y
graph kprob y par husbinc, connect(11.) symbol(iiO)
```

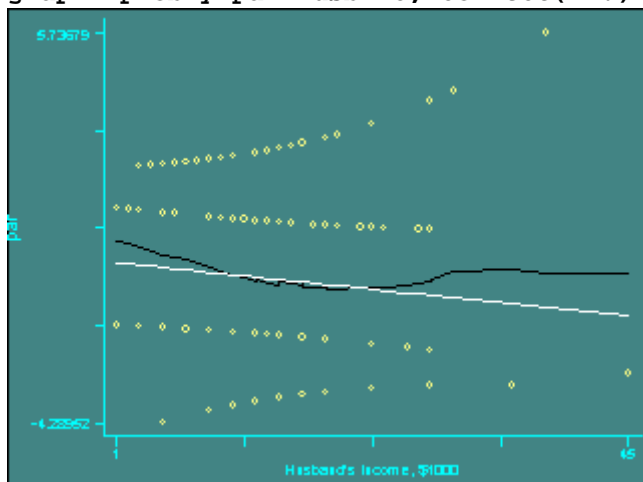


Figure 15.6 on page 461. Notice that in Stata all the diagnostic statistics for logistic regression are adjusted for the number of covariate patterns, so called *m-asymptotic* instead of *n-asymptotic*, i.e., for the number of observations. So we have to do some calculations here in order to get the results in the text book.

```
logistic ws chilpres husbinc
predict yhat /*the predicted value*/
gen pr=(ws-yhat)/sqrt(yhat*(1-yhat)) /* generating Pearson residual on a
case by case basis */
predict myhat, hat
predict pattern, number
egen count=count(obs), by(pattern) /*number of obs sharing a c.p.*/
gen nhathat=myhat/count /*hat diagonal on per observation basis*/
gen sr = pr/sqrt(1-nhathat)/*studentized pearson residual*/
graph sr nhathat, l1(Studentized Residual) ylab(-2(2) 4) yline(-2 0 2) /*
*/ xlab(0(.01) .06) xline(0.0228 .034) b1("Hat-value") b2(" ")
```

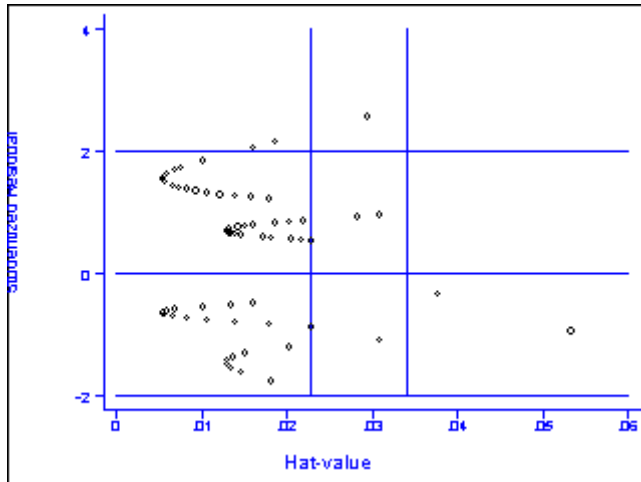
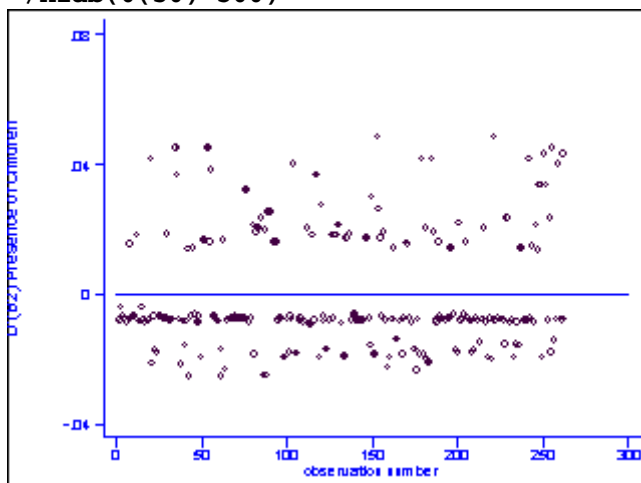


Figure 15.7 (a) and (b) on page 462. Stata does not have built-in command for Dfbeta. We use formula [15.21] to create the required statistics for these figures. This example is continuation of the previous one.

```

gen id=1
set matsize 300
mkmat chilpres husbinc id, matrix(X)
matrix d=e(V)*X'
matrix dt=d'
svmat dt, name(mydf)
gen md1=mydf1*(ws-yhat)/(1-nhat)/*kidDfbeta*/
graph md1 obs, ylab(-0.04(0.04) 0.08) yline(0)l1(D*(B2) Presence of
Children)/*
*/xlab(0(50) 300)

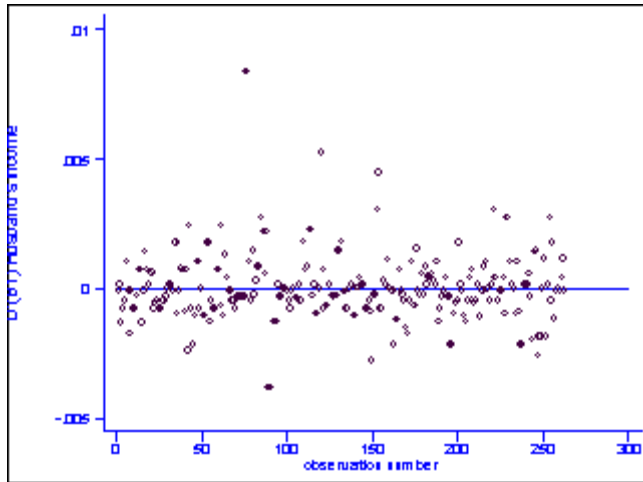
```



```

gen md2=mydf2*(ws-yhat)/(1-nhat)/*husbincDfbeta*/
graph md2 obs, ylab(-0.005(0.005) 0.01) yline(0)l1(D*(B2) Husband's
Income)/*
*/xlab(0(50) 300)

```



## Section 15.2 Models for Polytomous Data

Calculation and Figure 15.8 on page 468 and 469. We also show how to add text to a graph at the end of this example. Both Figure 15.8 (a) and Figure 15.8 (b) need to run the suitable program `addtext1` to have the text shown.

```
mlogit workstat husbinc chilpre, base(0)
```

```
Iteration 0: log likelihood = -250.24628
Iteration 1: log likelihood = -214.24438
Iteration 2: log likelihood = -211.495
Iteration 3: log likelihood = -211.44102
Iteration 4: log likelihood = -211.44096
```

```
Multinomial regression
263
77.61
0.0000
Log likelihood = -211.44096
0.1551
```

```
Number of obs =
LR chi2(4) =
Prob > chi2 =
Pseudo R2 =
```

```
-----
---
workstat |      Coef.   Std. Err.      z    P>|z|     [95% Conf.
Interval]
-----+-----
---
parttime |
  husbinc |   .0068921   .0234548     0.294   0.769    - .0390784
.0528627
  chilpres |   .0214911   .4690366     0.046   0.963    - .8978037
.940786
    _cons |  -1.432307   .5924623    -2.418   0.016    -2.593512
.2711023
-----+-----
---
fulltime |
  husbinc |  -.0972307   .0280958    -3.461   0.001    - .1522975
.0421639
  chilpres |  -2.558595   .362199     -7.064   0.000    -3.268492
1.848698
```

```

      _cons | 1.982822   .4841771   4.095   0.000   1.033853
2.931792
-----

```

```

---
(Outcome workstat==not work is the comparison group)

```

```

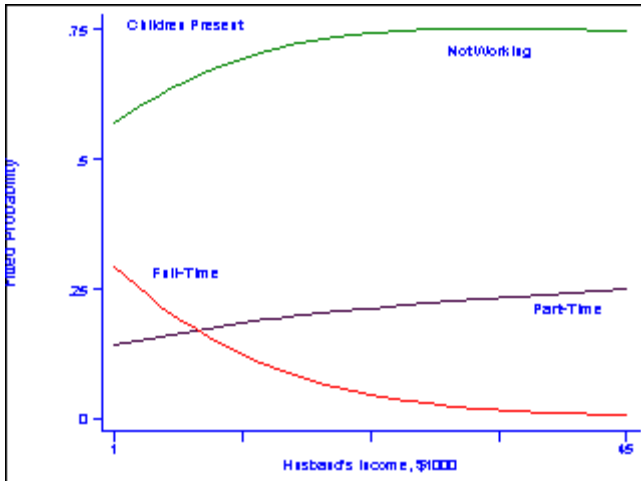
predict p1 if e(sample), outcome(1)
predict p2 if e(sample), outcome(2)
predict p0 if e(sample), outcome(0)
gen kp1=p1 if(chilpres==0)
gen knp1=p1 if (chilpres ==1)
gen kp2=p2 if(chilpres==0)
gen knp2=p2 if(chilpres==1)
gen kp0=p0 if(chilpres==0)
gen knp0 =p0 if(chilpres==1)
sort husbinc

```

```

graph knp1 knp2 knp0 husbinc, connect(l11) symbol(iii) ylab(0(.25) .75)
l1(Fitted Probability)

```



```

graph kp2 kp1 kp0 husbinc, connect(l11) symbol(iii) l1(Fitted Probability)
ylab(0(.25) 1)

```

```

program define addtext1, rclass
    local y1 =1
    local x1 =5
    local y2 =.75
    local x2 =12
    local y3 =.65
    local x3 =30
    local y4 =0.15
    local x4=20

    gph open
    graph
    local ay=r(ay)
    local ax=r(ax)
    local by=r(by)
    local bx=r(bx)

    local r1 = `ay'*`y1' + `by'
    local c1 = `ax'*`x1' + `bx'
    local r2 = `ay'*`y2' + `by'
    local c2 = `ax'*`x2' + `bx'
    local r3 = `ay'*`y3' + `by'
    local c3 = `ax'*`x3' + `bx'

```



```

local r4 = `ay'*`y4' + `by'
local c4 = `ax'*`x4' + `bx'

```

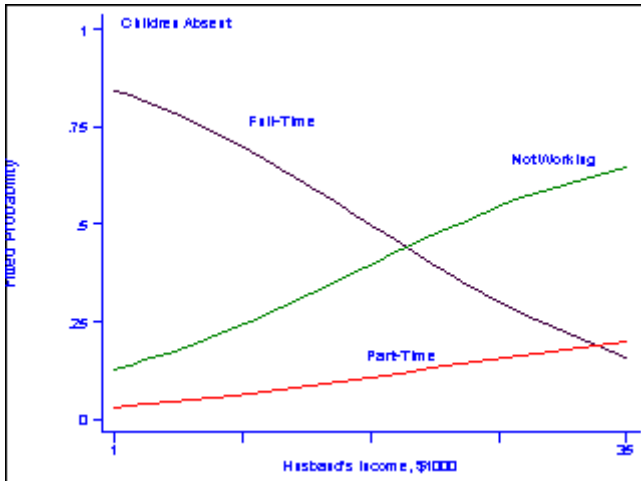
```

gph pen 1
gph text `r1' `c1' 0 0 Children Absent
gph text `r2' `c2' 0 0 Full-Time
gph text `r3' `c3' 0 0 Not Working
gph text `r4' `c4' 0 0 Part-Time
gph close

```

end

addtext1



Calculation on page 473.

```

gen wk=(workstat==0)
logistic wk husbinc chilpres

```

Logit estimates  
263

36.42

0.0000

Log likelihood = -159.86627

0.1023

Number of obs =

LR chi2(2) =

Prob > chi2 =

Pseudo R2 =

```

-----
---
wk | Odds Ratio   Std. Err.      z    P>|z|     [95% Conf.
Interval]
-----+-----
---
husbinc |   1.043216   .0206349     2.139   0.032     1.003546
1.084454
chilpres |   4.833875   1.412762     5.391   0.000     2.725968
8.57176
-----

```

**logit**

Logit estimates  
263

36.42

0.0000

Number of obs =

LR chi2(2) =

Prob > chi2 =

Log likelihood = -159.86627                      Pseudo R2                      =  
0.1023

```
-----  
-----  
      wk |      Coef.   Std. Err.      z    P>|z|      [95% Conf.  
Interval]  
-----+-----  
-----  
  husbinc |   .0423084   .0197801    2.139   0.032    .0035401  
.0810767  
  chilpres |   1.575648   .2922629    5.391   0.000    1.002824  
2.148473  
    _cons |  -1.33583    .3837632   -3.481   0.000   -2.087992 -  
.5836677  
-----  
-----
```

**lrtest, saving(0)**  
**logistic wk chilpres**

```
Logit estimates                      Number of obs        =  
263                                      LR chi2(1)            =  
31.59                                     Prob > chi2          =  
0.0000                                   Pseudo R2            =  
Log likelihood = -162.27945  
0.0887
```

```
-----  
-----  
      wk | Odds Ratio   Std. Err.      z    P>|z|      [95% Conf.  
Interval]  
-----+-----  
-----  
  chilpres |   4.781119   1.379609    5.422   0.000    2.71589  
8.416797  
-----  
-----
```

**lrtest /\*test on the bottom of page 473\*/**

```
Logistic: likelihood-ratio test                      chi2(1)            =  
4.83                                                      Prob > chi2 =  
0.0280
```

```
gen ptime=.  
replace ptime = 0 if (workstat==1)  
replace ptime=1 if(workstat==2)  
logistic ptime husbinc chilpres
```

```
Logit estimates                      Number of obs        =  
108                                      LR chi2(2)            =  
39.85                                     Prob > chi2          =  
0.0000                                   Pseudo R2            =  
Log likelihood = -52.247423  
0.2761
```

```

-----
---
      ptime | Odds Ratio   Std. Err.      z    P>|z|      [95% Conf.
Interval]
-----+-----
---
      husbinc |   .898285   .0351699   -2.740   0.006   .8319318
.9699305
      chilpres |   .0705484   .0381719   -4.900   0.000   .0244301
.2037278
-----

```

**logit**

```

Logit estimates                               Number of obs   =
108                                           LR chi2(2)      =
39.85                                       Prob > chi2     =
0.0000                                       Pseudo R2      =
Log likelihood = -52.247423
0.2761

```

```

-----
---
      ptime |      Coef.   Std. Err.      z    P>|z|      [95% Conf.
Interval]
-----+-----
---
      husbinc |  -.1072679   .0391522   -2.740   0.006   -.1840048   -
.0305309
      chilpres | -2.651456   .5410738   -4.900   0.000   -3.711941   -
1.59097
      _cons   |   3.477773   .7671069    4.534   0.000    1.974272
4.981275
-----

```

**lrtest, saving(p1)  
logistic ptime chilpres**

```

Logit estimates                               Number of obs   =
108                                           LR chi2(1)      =
30.87                                       Prob > chi2     =
0.0000                                       Pseudo R2      =
Log likelihood = -56.738094
0.2138

```

```

-----
---
      ptime | Odds Ratio   Std. Err.      z    P>|z|      [95% Conf.
Interval]
-----+-----
---
      chilpres |   .0869565   .04288    -4.953   0.000   .0330794
.2285846
-----

```

```
lrtest, using(p1)/*test on the top of page 474*/
```

```
Logistic: likelihood-ratio test          chi2(1)      =
8.98                                     Prob > chi2 =
0.0027
```

Calculation on page 477.

```
xi: ologit workstat husbinc i.chilpres
```

```
i.chilpres          Ichilp_0-1  (naturally coded; Ichilp_0 omitted)
```

```
Iteration 0:  log likelihood = -250.24628
Iteration 1:  log likelihood = -221.36758
Iteration 2:  log likelihood = -220.83242
Iteration 3:  log likelihood = -220.83148
```

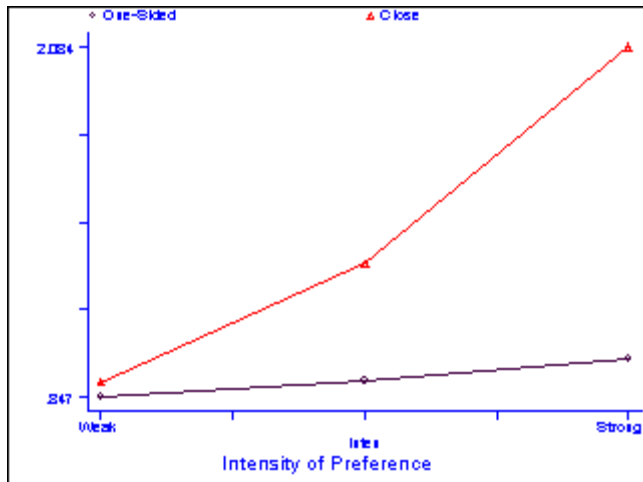
```
Ordered logit estimates          Number of obs   =
263                               LR chi2(2)       =
58.83                            Prob > chi2     =
0.0000                           Pseudo R2      =
Log likelihood = -220.83148
0.1175
```

```
-----
---
workstat |      Coef.   Std. Err.      z    P>|z|      [95% Conf.
Interval]
-----+-----
---
  husbinc |  -.0539007   .01949      -2.766   0.006   - .0921004   -
.0157009
Ichilp_1 | -1.971957   .2869478    -6.872   0.000   -2.534364   -
1.40955
-----+-----
---
  _cut1 | -1.852037   .3862995                    (Ancillary parameters)
  _cut2 | - .9409253   .3699303
-----
---
```

### Section 15.3 Discrete Independent Variables and Contingency Tables

The analysis in this section is based on Table 15.3, which is based on data from an example from **The American Voter** (Campbell, et al., 1960). The first data set we create here is based on Table 15.3 for Figure 15.3.

```
input logv1 logvc inten
.847 .9 0
.904 1.318 1
.981 2.084 2
end
label define scale 0 Weak 1 Medium 2 Strong
label values inten scale
label variable logv1 "One-Sided"
label variable logvc "Close"
graph logv1 logvc inten, connect(11) b1(Intensity of Preference)
```



Now we create another data set below to do the logistic regression and tests over different models. Thus we will have Table 15.4 and Table 15.5 on page 482.

```

input perclose inten1 inten2 voted vw
0 0 0 1 91
0 0 0 0 39
0 1 0 1 121
0 1 0 0 49
0 0 1 1 64
0 0 1 0 24
1 0 0 1 214
1 0 0 0 87
1 1 0 1 284
1 1 0 0 76
1 0 1 1 201
1 0 1 0 25
end

gen clspref1=perclose*inten1
gen clspref2=perclose*inten2

logistic voted perclose inten1 inten2 clspref1 clspref2 [fweight=vw]
(Output omitted.)

di -2*e(l1) /*deviance for model 1*/
1356.4343

lrtest, saving(t1)
logistic voted perclose inten1 inten2 [fweight=vw]
(Output omitted.)

di -2*e(l1) /*model 2*/
1363.5529

lrtest, saving(t2)
lrtest, using(t1) /*contrast 2-1*/

Logistic: likelihood-ratio test                                chi2(2)      =
7.12                                                    Prob > chi2 =
0.0285

logistic voted perclose clspref1 clspref2 [fweight=vw]
(Output omitted.)

. di -2*e(l1) /*model 3 */

```

