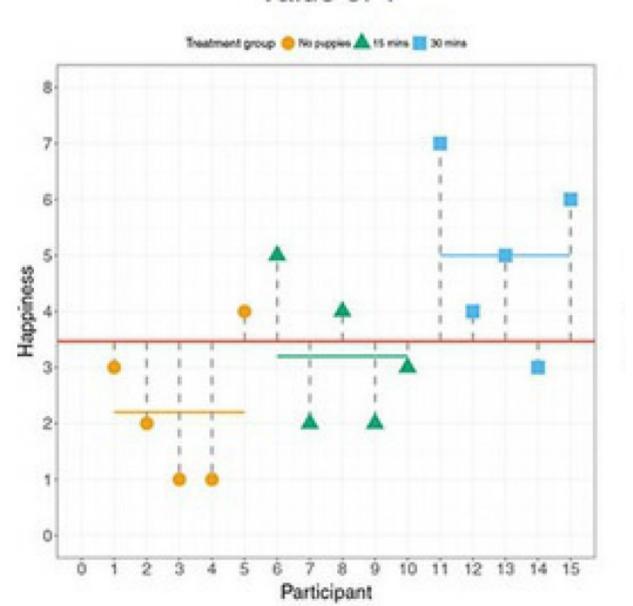
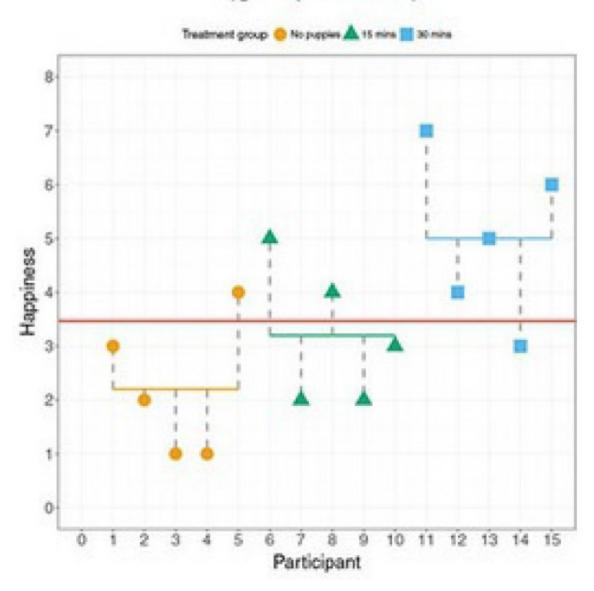
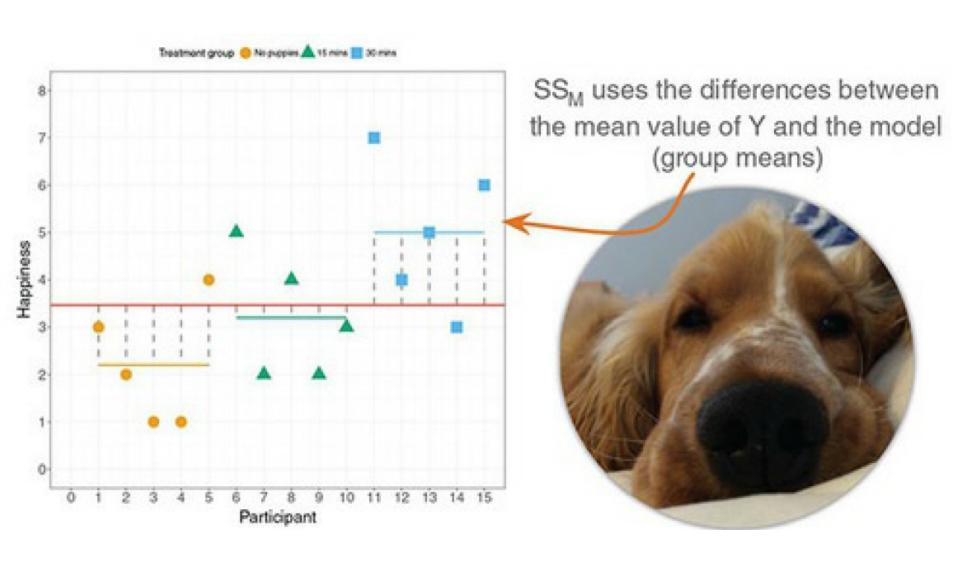
# Součty čtverců

SS<sub>T</sub> uses the differences between the observed data and the mean value of Y



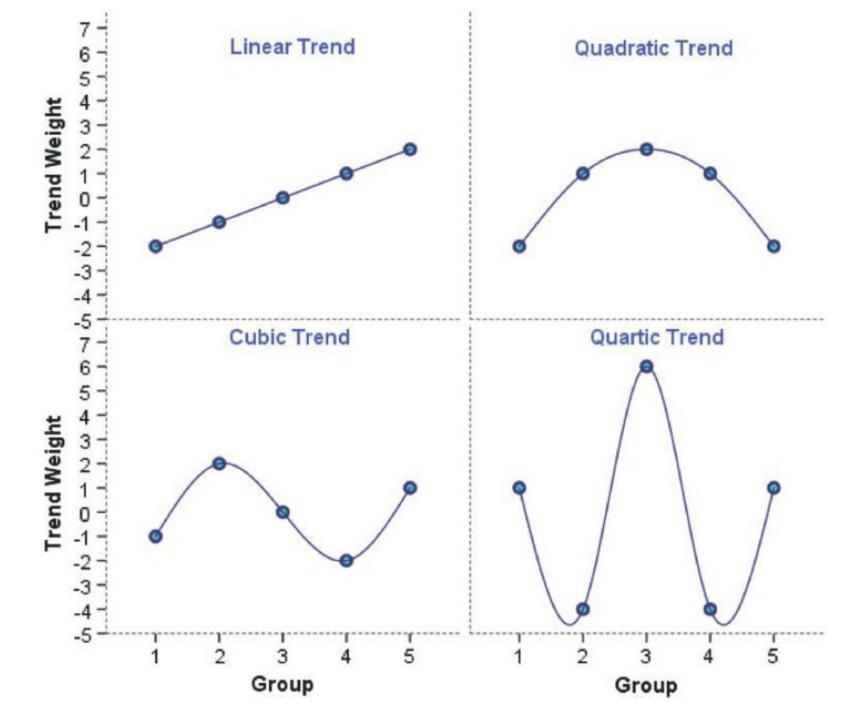
SS<sub>R</sub> uses the differences between the observed data and the model (group means)





# Kontrasty

Name	Definition	Contrast	Three Groups			Four Groups		
Deviation	Compares the effect of each	1	2	VS.	(1,2,3)	2	VS.	(1,2,3,4)
(first)	category (except first) to the overall experimental effect	2	3	VS.	(1,2,3)	3	VS.	(1,2,3,4)
	overali experimental effect	3				4	VS.	(1,2,3,4)
Deviation (last)	Compares the effect of each category (except last) to the overall experimental effect	1	1	VS.	(1,2,3)	1	VS.	(1,2,3,4)
		2	2	VS.	(1,2,3)	2	VS.	(1,2,3,4)
	overali experimental effect	3				3	VS.	(1,2,3,4)
Simple (first)	Each category is compared to	1	1	VS.	2	1	VS.	2
	the first category	2	1	VS.	3	1	VS.	3
		3				1	VS.	4
Simple (last)	Each category is compared to the last category	1	1	VS.	3	1	VS.	4
		2	2	VS.	3	2	VS.	4
		3				3	VS.	4
Repeated	Each category (except the first)	1	1	VS.	2	1	VS.	2
	is compared to the previous category	2	2	VS.	3	2	VS.	3
		3				3	VS.	4
Helmert	Each category (except the last) is compared to the mean effect of all subsequent categories	1	1	VS.	(2, 3)	1	VS.	(2, 3, 4)
		2	2	VS.	3	2	VS.	(3, 4)
		3				3	VS.	4
Difference	Each category (except the first) is compared to the mean effect of all previous categories	1	3	VS.	(2, 1)	4	VS.	(3, 2, 1)
(reverse Helmert)		2	2	VS.	1	3	VS.	(2, 1)
. 10111011	p	3				2	VS.	1



### Post-hoc testy

The choice of comparison procedure will depend on the exact situation you have and whether it is more important for you to keep strict control over the familywise error rate or to have greater statistical power. However, some general guidelines can be drawn (Toothaker, 1993). When you have equal sample sizes and you are confident that your population variances are similar then use REGWQ or Tukey as both have good power and tight control over the Type I error rate. Bonferroni is generally conservative, but if you want guaranteed control over the Type I error rate then this is the test to use. If sample sizes are slightly different then use Gabriel's procedure because it has greater power, but if sample sizes are very different use Hochberg's GT2. If there is any doubt that the population variances are equal then use the Games-Howell procedure because this generally seems to offer the best performance. I recommend running the Games-Howell procedure in addition to any other tests you might select because of the uncertainty of knowing whether the population variances are equivalent.

Although these general guidelines provide a convention to follow, be aware of the other procedures available and when they might be useful to use (e.g., Dunnett's test is the only multiple comparison that allows you to test means against a control mean).

### **Tabulky**

### **One-way ANOVA**

Table 6

Means, standard deviations, and d-values with confidence intervals

Variable	M	SD	1	2
1. High Dose	5.00	1.58		
2. Low Dose	3.20	1.30	1.24 [-0.17, 2.59]	
3. Placebo	2.20	1.30	1.93 [0.34, 3.44]	0.77 [-0.55, 2.04]

Note. M indicates mean. SD indicates standard deviation. d-values are estimates calculated using formulas 4.18 and 4.19 from Borenstein, Hedges, Higgins, & Rothstein (2009). d-values not calculated if unequal variances prevented pooling. Values in square brackets indicate the 95% confidence interval for each d-value The confidence interval is a plausible range of population d-values that could have caused the sample d-value (Cumming, 2014).

### **One-way ANOVA**

Table 4

Fixed-Effects ANOVA results using libido as the criterion

Predictor	Sum of Squares	df	Mean Square	F	p p	partial $\eta^2$	partial η <sup>2</sup> 90% CI [LL, UL]
(Intercept)	180.27	1	180.27	91.66	.000		
dose	20.13	2	10.06	5.12	.025	.46	[.04, .62]
Error	23.60	12	1.97				· · · · · · · · · · · · · · · · · · ·

Note. LL and UL represent the lower-limit and upper-limit of the partial  $\eta^2$  confidence interval, respectively.

### **N-way ANOVA**

Table 8

Means and standard deviations for attractiveness as a function of a  $2(gender) \times 3(alcohol)$  design

			alc	ohol				
-	2 Pints		4 Pints		None		– Marginal	
gender	М	SD	M	SD	М	SD	M	SD
Female	62.50	6.55	57.50	7.07	60.62	4.96	60.21	6.34
Male	66.88	12.52	35.62	10.84	66.88	10.33	56.46	18.50
Marginal	64.69	9.91	46.56	14.34	63.75	8.47		

Note. M and SD represent mean and standard deviation, respectively.

### **N-way ANOVA**

Table 7

Fixed-Effects ANOVA results using attractiveness as the criterion

Predictor	Sum of Squares	df	Mean Square	F	p	partial $\eta^2$	partial η <sup>2</sup> 90% CI [LL, UL]
(Intercept)	163333.33	1	163333.33	1967.03	.000		
gender	168.75	1	168.75	2.03	.161	.05	[.00, .18]
alcohol	3332.29	2	1666.14	20.07	.000	.49	[.28, .60]
gender x alcohol	1978.12	2	989.06	11.91	.000	.36	[.15, .49]
Error	3487.50	42	83.04				

Note. LL and UL represent the lower-limit and upper-limit of the partial  $\eta^2$  confidence interval, respectively.

#### **Fixed vs Random Effects**

viz
 <u>http://web.pdx.edu/~newsomj/mlrclass/ho\_rand</u>
 <u>fixd.pdf</u>