

**MUNI**

# Matter and Energy

- Everything is made up of basic particles of matter and fields of energy / force, which also means that the fundamental structural elements of the organic and inorganic world are **identical**.
- Living matter differs from non-living matter mainly by its **much higher level of organisation**.

# Elementary Particles of Matter

(i.e. having - probably - no internal structure)

## ➤ „force“ particles – integer spin – **bosons**

### ➤ Vector bosons – spin 1

➤ Foton

➤ Gluons

➤ W, Z (weak bosons)

➤ Graviton

### ➤ Scalar boson – spin 0

➤ Higgs boson

## ➤ „matter“ particles – non-integer spin (like $\frac{1}{2}$ ) - **fermions**

➤ The elementary particles of matter are **leptons** and **quarks**

➤ **Leptons** – electrons, muons, neutrinos and their anti-particles – light particles without internal structure

➤ **Quarks** (u, c, t, d, s, b) – heavier particles without internal structure

## ➤ **Composite particles**

➤ **Hadrons** – heavy particles formed of quarks - **baryons** (fermions - **proton** (u, u, d), **neutron** (d, d, u)) **mezons** (bosons (quark-antiquark))

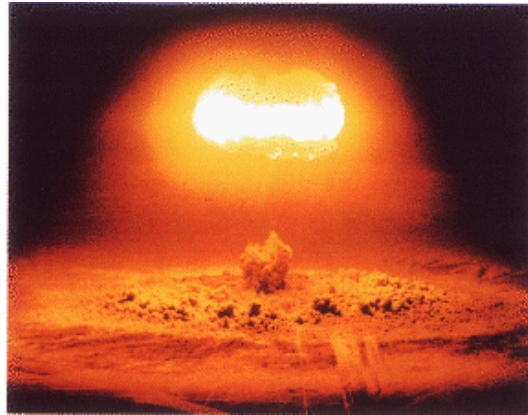
# The Four Fundamental Energy / Force Fields



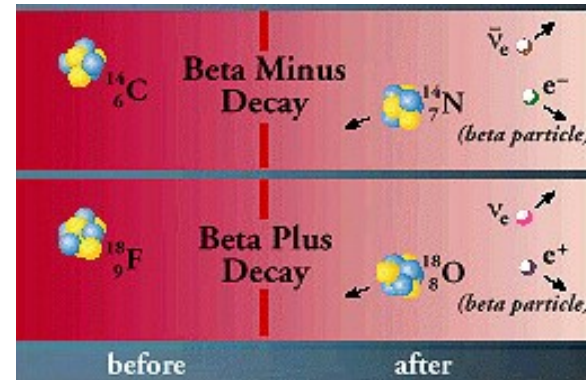
gravitational



electromagnetic



strong



weak

Strong : weak : electromagnetic : gravitational force -  $1 : 10^{-5} : 10^{-2} : 10^{-39}$  at interaction distance of about  $10^{-24}$  m;  $10^{-7} : \sim 0 : 10^{-9} : 10^{-46}$  at a distance of about  $10^{-18}$  m (1/1000 of atom nucleus dimension). In the distance equal to nucleus dimension goes to zero also strong interaction.

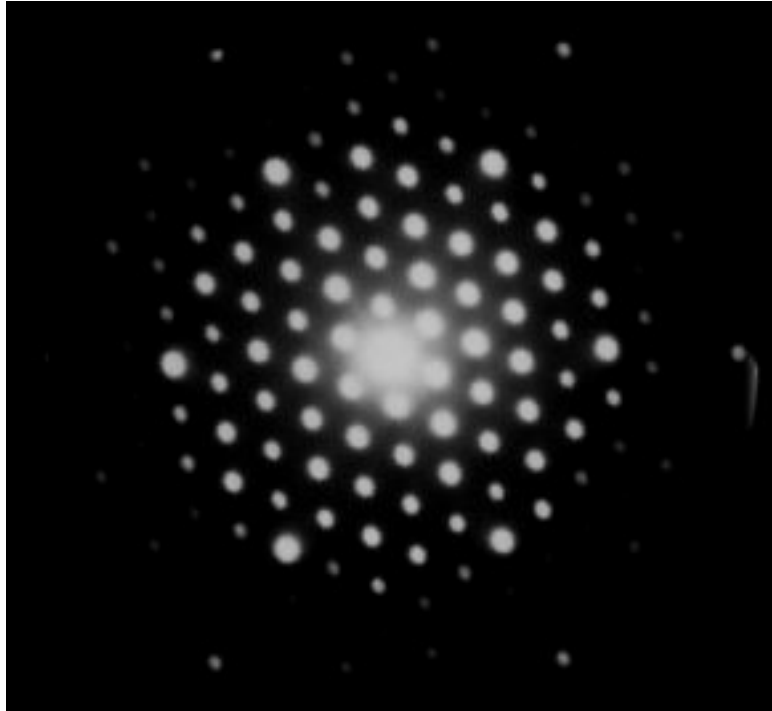
# Photons

- Photons - energy quanta of electromagnetic field, zero mass
- Energy of (one) photon:  $E = h \cdot f = h \cdot c / \lambda$   
 $h$  is the Planck constant ( $6.62 \cdot 10^{-34}$  J·s),  
 $f$  is the frequency,  
 $c$  is speed of light in vacuum,  
 $\lambda$  is the wavelength.

# Particles and Field Energy Quanta

Particles of matter and field energy quanta are capable of **mutual transformation** (e.g., an electron and positron transform to two gamma photons in the so-called annihilation – this is used in PET imaging).

# Quantum Mechanics

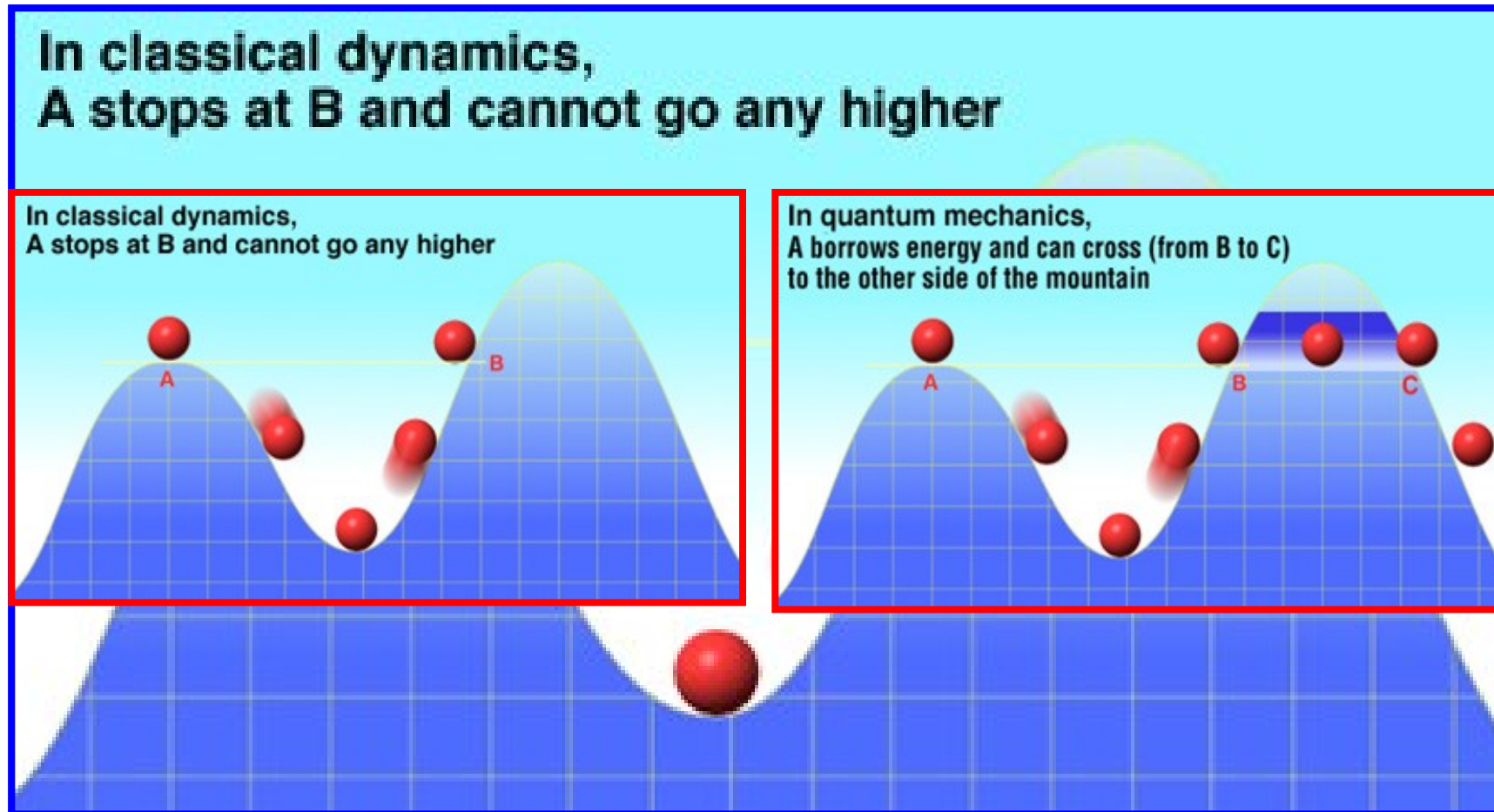


The behaviors of ensembles of a given type of particles obey equations which are similar to wave equations.

On the left pattern formed on a photographic plate by an ensemble of electrons hitting a crystal lattice. Notice that it is very similar to the diffraction pattern produced by a light wave passed through optical grating.

# Quantum Mechanics

tunnel effect:





# Quantum Mechanics: Heisenberg uncertainty relations

$$\delta r \cdot \delta p \geq h/4\pi$$
$$\delta E \cdot \delta t \geq h/4\pi$$

The position  $r$  and momentum  $p$  of a particle **cannot be** *simultaneously* measured with independent precision (if the uncertainty of particle position –  $\delta r$  – is made smaller, the uncertainty of particle momentum –  $\delta p$  – automatically increases). The same holds for the simultaneous measurement of energy change  $\delta E$  and the time  $\delta t$  necessary for this change.  $h$  is the Planck constant.

# Schrödinger equation

(to admire 😊)

*second derivative*

$$\frac{\partial^2 \psi}{\partial x^2} + \frac{8\pi^2 m}{h^2} (E - V) \psi = 0$$

*position*      *energy*   *potential energy*

„one-dimensional“ S. equation

Radial coordinates of an electron in a hydrogen atom

S. equation for the **electron** in the **hydrogen** atom

$\Psi$  - wave function

# Solution of the Schrödinger Equation

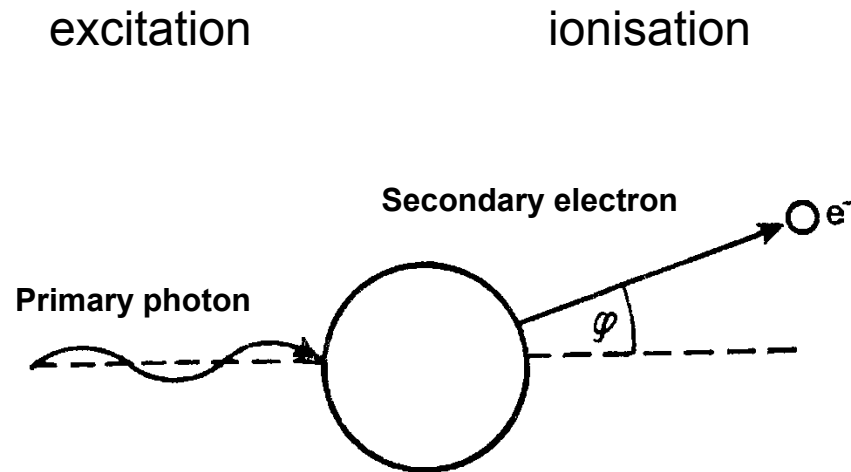
- The solution of the Schrödinger equation for the electron in the hydrogen atom leads to the **values of the energies** of the orbital electron.
- The solution of the Schrödinger equation often leads to **numerical coefficients** which determine the possible values of energy. These numerical coefficients are called **quantum numbers**

# Quantum numbers for Hydrogen

- **Principal**  $n = 1, 2, 3 \dots$  (K, L, M, ...)
  - **Orbital** for each  $n$   $l = 0, 1, 2, \dots, n - 1$  (s, p, d, f ...)
  - **Magnetic** for each  $l$   $m = 0, 1, 2, \dots, l$
  - **Spin magnetic** for each  $m$   $s = 1/2$
- 
- **Pauli exclusion principle** – in one atomic electron shell there cannot be present two or more electrons with the same set of quantum numbers.

# Ionisation of Atoms

The binding energy of an electron  $E_b$  is the energy that would be required to liberate the electron from its atom – depends mainly on the principal quantum number.



Example of ionisation:  
**photoelectric effect**

$$h \cdot f = E_b + \frac{1}{2} m \cdot v^2$$

# Emission Spectra

slits

prism

**Visible** emission spectrum of **hydrogen**.

modro- =  
bluish  
Learn the Czech  
names of  
colours 😊

Hydrogen  
discharge tube

Excitations between *discrete* energy levels result in emitted photons with only certain *discrete* energies, i.e. radiation of certain frequencies/wavelengths.

Excitation  
of  
electrons

Emission  
of light

# Hydrogen spectrum again

magenta, cyan  
and red line

according  
[http://cwx.prenhall.com/bookbind/pubbooks/hillchem3/media\\_portfolio/text\\_images/CH07/FG07\\_19.JPG](http://cwx.prenhall.com/bookbind/pubbooks/hillchem3/media_portfolio/text_images/CH07/FG07_19.JPG)

# Excitation (absorption) Spectra for Atoms

Absorption lines in visible spectrum of sun light.

Wavelengths are given in Ångströms ( $\text{Å}$ ) = 0.1 nm

[http://cwx.prenhall.com/bookbind/pubbooks/hillchem3/medialib/media\\_portfolio/07.html](http://cwx.prenhall.com/bookbind/pubbooks/hillchem3/medialib/media_portfolio/07.html)

Transitions between discrete energy states of atoms!!



# Excitation (Absorption) Spectrum for Molecules

Absorption spectrum of a dye

Absorbance

Wavelength

# Atom nucleus

Proton (atomic) number –  $Z$

Nucleon (mass) number –  $A$

Neutron number –  $N$      $N = A - Z$

Atomic mass unit  $u = 1.66 \cdot 10^{-27}$  kg, i.e. the 1/12 of the carbon C-12 atom mass

Electric charge of the nucleus  $Q = Z1.602 \cdot 10^{-19}$  C

If relative mass of electron = 1

⇒ Relative mass of proton = 1836

⇒ Relative mass of neutron = 1839

# Mass defect of nucleus

= measure of nucleus stability:

$$\delta m = (Zm_p + Nm_n) - m_{nuc}$$

Binding energy per one nucleon [MeV]

nuclear  
synthesis

scale  
change

fission

Sources:

[http://cwx.prenhall.com/bookbind/pubbooks/hil/chem3/medialib/media\\_portfolio/text\\_images/CH19/FG19\\_05.JPG](http://cwx.prenhall.com/bookbind/pubbooks/hil/chem3/medialib/media_portfolio/text_images/CH19/FG19_05.JPG)

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$$E = \delta m \cdot c^2$$

This formula allows to calculate amount of energy liberated during the synthesis of the nucleus.

nucleon number

# Nuclides

- **nuclide** - a nucleus with a given  $A$ ,  $Z$  and energy
- **Isotopes** - nuclides with same  $Z$  but different  $A$
- **Isobars** – nuclides with same  $A$  but different  $Z$
- **Isomers** – nuclides with same  $Z$  and  $A$ , but different energy (e.g.,  $\text{Tc}^{99\text{m}}$  used in gamma camera imaging)

# Isotope composition of mercury

% of Hg atoms vs. isotope nucleon number (A)

Percentage of atoms

Nucleon number

A

# What else is necessary to know?

➤ **Radionuclides** – nuclides capable of radioactive decay

➤ **Nuclear spin:**

Nuclei have a property called spin. If the value of the spin is not zero the nuclei have a magnetic moment i.e., they behave like small magnets - NMR – nuclear magnetic resonance spectroscopy and magnetic resonance imaging (MRI) in radiology are based on this property.

**M U N I**

Author:  
**Vojtěch**

**Vojtěch Mornstein**

Content collaboration and  
language revision:

**Carmel J. Caruana**

Presentation design:

**Lucie Mornsteinová**