

Example: Ice Cream Sales

The local ice cream shop keeps track of how much ice cream they sell versus the temperature of that day for t
 Formulate a null hypothesis and verify it by Pearsons and Spearman coefficients

Ho: there is no correlation
 H1: There is correlation

Temperature (°C)	Ice Cream Sales (\$)
14.2	215
16.4	325
11.9	185
15.2	332
18.5	406
22.1	522
19.4	412
25.1	614
23.4	544
18.1	421
22.6	445
17.2	408

rank t	rank sales	d	d ²
11	11	0	0
9	10	-1	1
12	12	0	0
10	9	1	1
6	8	-2	4
4	3	1	1
5	6	-1	1
1	1	0	0
2	2	0	0
7	5	2	4
3	4	-1	1
8	7	1	1
			14

average	18.7	402.4
	-4.5	-187.4
	-2.3	-77.4
	-6.8	217.4166667
	-3.5	-70.4
	-0.2	3.6
	3.4	119.6
	0.7	9.6
	6.4	211.6
	4.7	141.6
	-0.6	18.6
	3.9	42.6
	2.3	5.6
	179.9	174756.7425
		2394.994

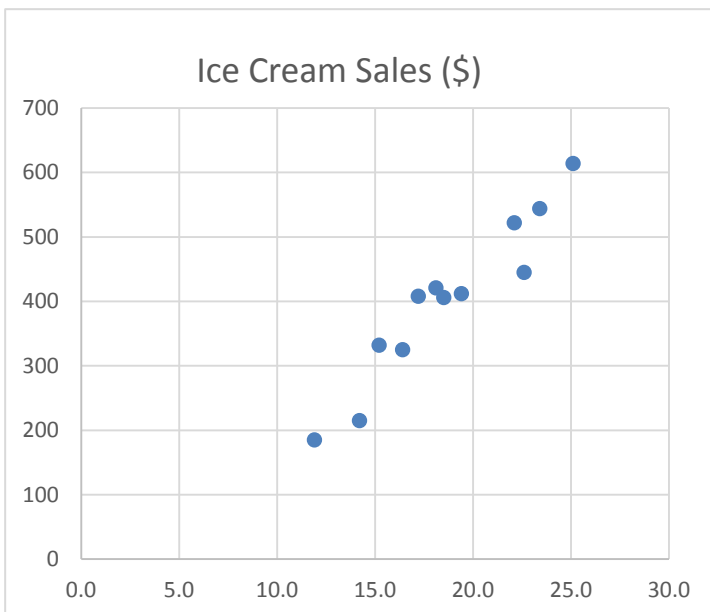
Pearson's law

$$r = \frac{\sum (X_i - \bar{X})(Y_i - \bar{Y})}{\sqrt{\sum (X_i - \bar{X})^2 \sum (Y_i - \bar{Y})^2}}$$

0.427151

0.576 crit

H0= is rejected.



the last 12 days:

Spearman's law

$$r_s = 1 - \frac{6 \sum_{i=1}^n d_i^2}{n^3 - n}$$

0.587 crit

0.951049

n \ α	0.2	0.1	0.05
4	1.000	1.000	—
5	0.800	0.900	1.000
6	0.657	0.829	0.886
7	0.571	0.714	0.786
8	0.524	0.643	0.738
9	0.483	0.600	0.700
10	0.455	0.564	0.648
11	0.427	0.536	0.618
12	0.406	0.503	0.587
13	0.385	0.484	0.560
14	0.367	0.464	0.538
15	0.354	0.446	0.521
16	0.341	0.429	0.503
17	0.328	0.414	0.488

$$\frac{\sum (\bar{Y} - \bar{Y})^2}{n}$$

Pearson		One-Tailed Test		
r crit.	.05	.025	.01	
Two-Tailed Test				
df	.10	.05	.02	
1	.988	.997	.9995	
2	.900	.950	.980	
3	.805	.878	.934	
4	.729	.811	.882	
5	.669	.754	.833	
6	.622	.707	.789	
7	.582	.666	.750	
8	.549	.632	.716	
9	.521	.602	.685	
10	.497	.576	.658	

0.02	0.01	n \ α	0.2	0.1	0.05	0.02	0.01	
—	—	18	0.317	0.401	0.472	0.550	0.600	
1.000	—	19	0.309	0.391	0.460	0.535	0.584	
0.943	1.000	20	0.299	0.380	0.447	0.522	0.570	
0.893	0.929	21	0.292	0.370	0.436	0.509	0.556	
0.833	0.881	22	0.284	0.361	0.425	0.497	0.544	
0.783	0.833	23	0.278	0.353	0.416	0.486	0.532	
0.745	0.794	24	0.271	0.344	0.407	0.476	0.521	
0.709	0.755	25	0.265	0.337	0.398	0.466	0.511	
0.678	0.727	26	0.259	0.331	0.390	0.457	0.501	
0.648	0.703	27	0.255	0.324	0.383	0.449	0.492	
0.626	0.679	28	0.250	0.318	0.375	0.441	0.483	
0.604	0.654	29	0.245	0.312	0.368	0.433	0.475	
0.582	0.635	30	0.240	0.306	0.362	0.425	0.467	
0.566	0.618		rho critical values for 2-tailed test					

age (yrs)	price/1000 Kč
3	167
4	165
5	139
6	149
7	119
7	129
8	89
8	115
9	76
9	89

Here is a pricelist of used 10 cars Skoda Felicia Combi

1. presume normal distribution of the data
2. construct a simple regression model how the price depends on the age
3. evaluate quality of the model
4. estimate a price of a ten-year-old Felicia Combi

e age





A new kind of insulin was developed. Its effect was tested as a drop of sugar level in blood 2 hours after the injection application.

8 Randomly selected patients were dozed with different insulin amounts.

Results are in the table:

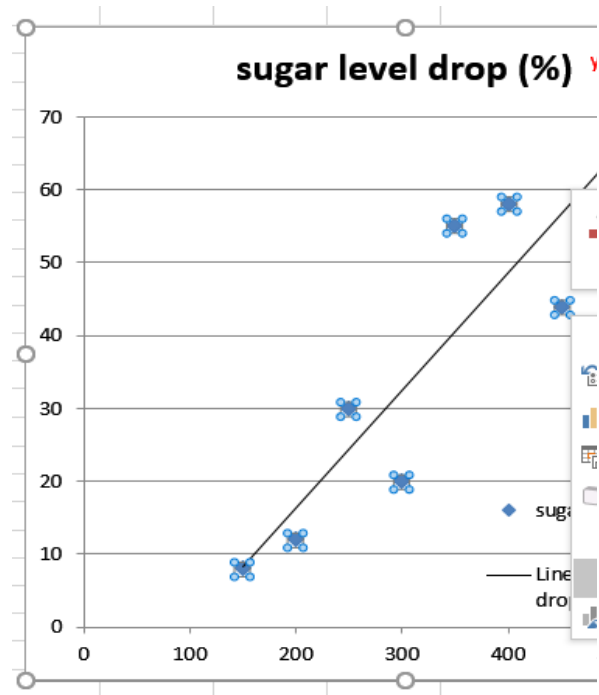
Prove a strong correlation and plot a graph of regression residu:

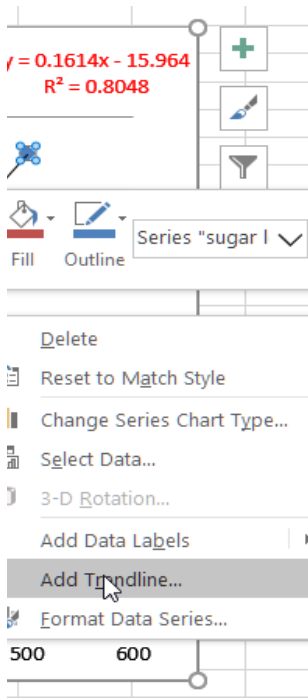
insuline amount (ug)
sugar level drop (%)

150	200	250	300	350	400
8	12	30	20	55	58

als!

450	500
44	65





concentration	signal
1	0.195
2	0.425
3	0.565
4	0.851
5	1.142
6	1.198
7	1.530

HOW TO FORCE Const a=0

Function Arguments

LINEST

Known_y's	B2:B8	=
Known_x's	A2:A8	=
Const	1 or 0	=
Stats	1	=

Returns statistics that describe a linear trend matching known data by the least squares method.

Const is a logical value: the constant term to be forced to zero, or omitted; b is set equal to zero if Const is TRUE or omitted.

Formula result =

[Help on this function](#)

