## Základní vztahy k procvičení

$$\Delta G^{o} = \Delta H^{o} - T\Delta S^{o}$$

$$\Delta G^{\circ}_{\text{reaction}} = \sum \text{coeff}_{\circ} \Delta G^{\circ}_{f}(\text{products}) - \sum \text{coeff}_{r} \Delta G^{\circ}_{f}(\text{reactants})$$

$$aA + bB \Longrightarrow cC + dD$$
 
$$K_{eq} = \frac{[C]_{eq}^{c} [D]_{eq}^{d}}{[A]_{eq}^{a} [B]_{eq}^{b}}$$

$$\Delta G = \Delta G^{\circ} + RT \ln Q$$

$$0 = \Delta G^{\circ} + RT \ln K_{eq} \qquad \Delta G^{\circ} = -RT \ln K_{eq}$$

## Kniha:

J. Olmsted III, G. M. Williams: Chemistry - The Molekular Science, Moshby - Year Book, Inc., 1994

## MIPLE PROBLEM 15-9 THERMODYNAMICS AND K.

g standard thermodynamic data, find the value of  $K_{eq}$  at 298 K for the Haber reaction:

$$N_{2(g)} + 3 H_{2(g)} \rightleftharpoons 2 NH_{3(g)}$$

EHOD: Equation 15-5 provides the link between thermodynamic data and  $K_{eq}$ . We must ackulate  $\Delta G_{rxn}^{\circ}$  from tabulated standard free energies of formation.

$$\Delta G_{csn}^{o} = \Sigma \text{ (coeff) } \Delta G_{f}^{o} \text{ (products)} - \Sigma \text{ (coeff) } \Delta G_{f}^{o} \text{ (reactants)}$$

pendix E contains the appropriate values:

$$\Delta G_1^{\circ}$$
 (kJ/mol): N<sub>2 (g)</sub>, 0; H<sub>2 (g)</sub>, 0; NH<sub>3 (g)</sub>, -16.4 kJ/mol  
 $\Delta G^{\circ} = (2 \text{ mol NH}_3)(-16.4 \text{ kJ/mol NH}_3) - 3(0) - 1(0) = -32.8 \text{ kJ}$ 

determine the equilibrium constant, Equation 15-5 must be rearranged to isolate  $\ln K_{\infty}$ .

$$ln K_{eq} = -\frac{\Delta G^{\circ}}{RT} = \frac{-(-32.8 \text{ kJ})(10^3 \text{ J/kJ})}{(8.314 \text{ J/K})(298 \text{ K})} = 13.24$$
  
 $K_{eq} = e^{13.4} = 5.6 \times 10^5 \text{ atm}^{-2}$ 

be exponential gives a dimensionless number, since  $e^x$  is always a pure number. However, the assign units to  $K_{eq}$  as required by the concentration quotient. Remember that the superfact "o" in  $\Delta G^0$  refers to standard conditions that include concentrations of 1 M for solutes and 1 atm partial pressure for gases.

Remember that  $\Delta G_i^o$  for any element in its standard state is zero.

## SAMPLE PROBLEM 15-10 Kee AND TEMPERATURE

Use tabulated thermodynamic data to estimate  $K_{oa}$  for the Haber reaction at 500 °C.

METHOD: Values for  $\Delta H^{\circ}$  and  $\Delta S^{\circ}$  can be calculated using tabulated thermodynamic values. Then Equation 15-6 can be applied to determine the value of the equilibrium constant at 500 °C. First, we need  $\Delta H^{\circ}_{rm}$  and  $\Delta S^{\circ}_{rm}$ :

$$\Delta H_{\text{ran}}^{\text{o}} = \Sigma \text{ (coeff) } \Delta H_{\text{f}}^{\text{o}} \text{ (products)} - \Sigma \text{ (coeff) } \Delta H_{\text{f}}^{\text{o}} \text{ (reactants)}$$
  
$$\Delta S_{\text{ran}}^{\text{o}} = \Sigma \text{ (coeff) } S^{\text{o}} \text{ (products)} - \Sigma \text{ (coeff) } S^{\text{o}} \text{ (reactants)}$$

Appendix E contains the appropriate values:

$$\Delta \dot{H}_{r,k}^{0}(kJ/mol) = N_{2(g)}: 0 = H_{2(g)}: 0 = NH_{3(g)}: -46$$
 $S^{0}(J/mol K) = N_{2(g)}: 191.6 = H_{2(g)}: 130.7 = NH_{3(g)}: 192.45$ 

$$\Delta H_{rxn}^{0} = (2)(-46 \text{ kJ/mol}) - 3(0) - 0 = -92 \text{ kJ/mol}$$

$$\Delta S_{rxn}^{0} = (2)(192.45 \text{ J/mol K}) - (3)(130.7 \text{ J/mol K}) - 191.6 \text{ J/mol K}$$

$$\Delta S_{rxn}^{0} = -198.8 \text{ J/mol K}$$

Now calculate  $K_{\rm eq}$  at 500 °C using Equation 15-6:

$$ln K_{eq} = \frac{\Delta H^{o}}{RT} + \frac{\Delta S^{o}}{R}$$

$$ln K_{eq} = -\frac{(-92 \text{ kJ/mol})(10^{3} \text{ J/kJ})}{(8.314 \text{ J/mol K})(500 + 273 \text{ K})} + \frac{(-198.8 \text{ J/mol K})}{(8.314 \text{ J/mol K})}$$

$$ln K_{eq} = 14.3 - 23.9 = -9.6$$

Taking the antiln, or  $e^x$ , of -9.6 gives the estimated equilibrium constant at 500 °C:

$$K_{\rm eq} = 6.7 \times 10^{-5} \, \rm atm^{-2}$$