

R output	Regression line formula	Significance	Model evaluation criteria
<pre>Call: lm(formula = Employment ~ Inflation + Gender, data = data) Residuals: Min 1Q Median 3Q Max -10.4921 -2.9839 -0.1966 3.4352 11.1156 Coefficients: Estimate Std. Error t value Pr(> t) (Intercept) 58.5802 1.3245 44.228 < 2e-16 *** Inflation -1.8310 0.2257 -8.111 1.56e-12 *** GenderMale -9.0464 0.9403 -9.621 8.84e-16 *** --- Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1 Residual standard error: 4.675 on 97 degrees of freedom Multiple R-squared: 0.6279, Adjusted R-squared: 0.6202 F-statistic: 81.84 on 2 and 97 DF, p-value: < 2.2e-16 > confint(model) 2.5 % 97.5 % (Intercept) 55.951376 61.208935 Inflation -2.279038 -1.382979 GenderMale -10.912675 -7.180206 > AIC(model) [1] 597.204 ></pre>	<p>Find the employment level for a male with the inflation level 2.273.</p> <p>Find the employment level for a female with the inflation level 10.867.</p>	<p>β_1-coefficient p-value=</p> <p>β_2-coefficient p-value=</p> <p>the model p-value=</p>	<p>R^2_{adjusted}=</p> <p>RSE=</p> <p>95% CI=</p> <p>AIC=</p>
<pre>Call: lm(formula = BPA_concentration ~ Age + Gender, data = data) Residuals: Min 1Q Median 3Q Max -3.7499 -1.0485 0.0213 1.0711 5.4356 Coefficients: Estimate Std. Error t value Pr(> t) (Intercept) 6.89148 0.59269 11.627 < 2e-16 *** Age 0.09707 0.01170 8.297 6.26e-13 *** GenderMale -1.85252 0.36739 -5.042 2.14e-06 *** --- Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1 Residual standard error: 1.825 on 97 degrees of freedom Multiple R-squared: 0.5062, Adjusted R-squared: 0.496 F-statistic: 49.71 on 2 and 97 DF, p-value: 1.374e-15 > confint(model) 2.5 % 97.5 % (Intercept) 5.71514845 8.0678043 Age 0.07384665 0.1202863 GenderMale -2.58168246 -1.1233619 > AIC(model) [1] 409.0219 ></pre>	<p>Find the BPA level for a 50 y.o. female.</p> <p>Find the BPA level for a 10 y.o. boy.</p>	<p>β_1-coefficient p-value=</p> <p>β_2-coefficient p-value=</p> <p>the model p-value=</p>	<p>R^2_{adjusted}=</p> <p>RSE=</p> <p>95% CI=</p> <p>AIC=</p>

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<pre>Call: lm(formula = BPA_concentration ~ Age + Gender, data = data) Residuals: Min 1Q Median 3Q Max -3.7499 -1.0485 0.0213 1.0711 5.4356 Coefficients: Estimate Std. Error t value Pr(> t) (Intercept) 6.89148 0.59269 11.627 < 2e-16 *** Age 0.09707 0.01170 8.297 6.26e-13 *** GenderMale -1.85252 0.36739 -5.042 2.14e-06 *** --- Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1 Residual standard error: 1.825 on 97 degrees of freedom Multiple R-squared: 0.5062, Adjusted R-squared: 0.496 F-statistic: 49.71 on 2 and 97 DF, p-value: 1.374e-15 > confint(model) 2.5 % 97.5 % (Intercept) 5.71514845 8.0678043 Age 0.07384665 0.1202863 GenderMale -2.58168246 -1.1233619 > AIC(model) [1] 409.0219 ></pre>	<p>Find the BPA level for a 50 y.o. female.</p> <p>11.89³</p> <p>Find the BPA level for a 10 y.o. boy.</p> <p>6.04⁴</p>	<p>β1-coefficient p-value= <0.001</p> <p>β2-coefficient p-value= <0.001</p> <p>the model p-value= <0.001</p>	<p>R²_{adjusted}=0.50</p> <p>RSE=1.83</p> <p>95% CI= β1[0.07;0.12] β2[-2.58;-1.12]</p> <p>AIC=409</p>

$$^1 Y(\text{employment}) = \alpha + \beta_1 * X_1(\text{inflation}) + \beta_2 * X_2(\text{gender}) = 58.58 - 1.83 * X_1(\text{inflation}) - 9.05 * X_2(\text{gender})$$

$$Y(\text{employment}) = 58.58 - 1.83 * (2.273) - 9.05 * 1 = 58.58 - 4.103 - 9.05 = 45.427$$

$$^2 Y(\text{employment}) = \alpha + \beta_1 * X_1(\text{inflation}) + \beta_2 * X_2(\text{gender}) = 58.58 - 1.83 * X_1(\text{inflation}) - 9.05 * X_2(\text{gender})$$

$$Y(\text{employment}) = 58.58 - 1.83 * (10.863) - 9.05 * 0 = 58.58 - 19.88 = 38.70$$

$$^3 Y(\text{bpa}) = \alpha + \beta_1 * X_1(\text{age}) + \beta_2 * X_2(\text{gender}) = 6.89 + 0.10 * X_1(\text{age}) - 1.85 * X_2(\text{gender})$$

$$Y(\text{bpa}) = 6.89 + 0.10 * 50 - 1.85 * 0 = 6.89 + 5 = 11.89$$

$$^4 Y(\text{bpa}) = \alpha + \beta_1 * X_1(\text{age}) + \beta_2 * X_2(\text{gender}) = 6.89 + 0.10 * X_1(\text{age}) - 1.85 * X_2(\text{gender})$$

$$Y(\text{bpa}) = 6.89 + 0.10 * 10 - 1.85 * 1 = 6.89 + 1 - 1.85 = 6.04$$